## Energy absorption of xenon clusters in helium nanodroplets under strong laser pulses

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Energy absorption of xenon clusters embedded in helium nanodroplets from strong femtosecond laser pulses is studied theoretically. Compared to pure clusters we find earlier and more efficient energy absorption in agreement with experiments. This effect is due to resonant absorption of the helium nanoplasma whose formation is catalyzed by the xenon core. For very short double pulses with variable delay, two plasma resonances, due to the helium shell and the xenon core, are identified and the experimental conditions are given which should allow for a simultaneous observation of both of them.

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Atomic clusters couple very efficiently to laser light pulses [1-3]. Through irradiation with a strong laser pulse, typically a nanoplasma is formed which can resonantly absorb energy if its eigenfrequency matches the laser frequency [4]. While it is generally agreed that collective electron oscillation resonant with the laser frequency is the most efficient way to transfer energy from the laser pulse into the cluster [4-8], subtle effects continue to be discussed [9-11]. Composite clusters, on the other hand, are even more efficient in energy absorption, paving the way to nuclear fusion [12,13] and leading to enhanced x-ray production, e.g., in water-doped clusters [14,15], which is not well understood. Equally unclear to date is why helium-embedded clusters absorb energy faster than bare clusters [16]. Growing clusters in helium droplets has proven to be an elegant alternative to their production in supersonic beams [17–19]. In contrast to spectroscopic applications [20], where the role of the helium droplet is merely to isolate and cool the embedded species, helium embedding may significantly influence cluster dynamics when a strong laser pulse is applied [16].

Here, we investigate this influence theoretically by exposing a xenon cluster (100 atoms) embedded in a helium droplet of up to 5000 atoms to a single laser pulse. It is taken sufficiently long (100 fs) for an expansion of the cluster to roughly double its original size. We find the usual resonant absorption when the eigenfrequency of the expanding xenon cluster matches the laser frequency. However, in agreement with the experiment [16], earlier in the pulse we see another resonance which dominates the energy absorption. Therefore, higher cluster charges and energy absorption are observed in a helium-embedded cluster compared to the pure one. This suggests that the resonance earlier in the laser pulse found for helium-embedded lead clusters [16] is not the same one as seen for the pure lead cluster, simply shifted to earlier times due to the helium environment. Rather, it is the resonance of the embedding helium droplet and for a reason to be clarified the resonance of the xenon core is not visible.

To better understand the energy absorption, we have used the double pulse scheme and replaced the 100 fs pulse by two time-delayed very short pulses of 10 fs duration, during which the cluster expansion is negligible. As we will show the cluster parameters as well as those of the laser have to be chosen very carefully to see both resonances in one experiment.

We use a classical molecular dynamics approach with tree-code techniques [1,21] to follow the cluster dynamics. The initial positions of the xenon atoms are chosen according to the lowest energy configuration [22], while helium atoms are placed randomly so that the droplet has the density of bulk liquid helium ( $\rho = 0.02185 \text{ Å}^{-3}$ ). As ionization mechanism we assume barrier suppression which dominates at the high laser intensities considered here [6]. This means that due to electric fields created by surrounding charges and the laser the potential barrier is bent down sufficiently to release classically a bound electron from its mother ion into the cluster environment [8]. Such electrons are called "inner ionized" and their number equals the positive background charge Q(t) created. Some of them gain enough energy to leave the cluster, they become "outer ionized." Those which are inner ionized but remain in the cluster, we call "quasifree." They form the nanoplasma [4] which plays a crucial role for the energy absorption in the cluster [1]. All the laser pulses used have a wavelength of 780 nm. For clarity we will restrict ourselves to a xenon cluster of 100 atoms embedded in helium droplets of 300, 500, 1000, and 5000 atoms, respectively.

First, we will discuss the energy absorption of the embedded cluster  $Xe_{100}$  @  $He_{1000}$  from a single laser pulse of 100 fs duration (FWHM) with the intensity  $I=3.51\times10^{14}$  W/cm<sup>2</sup>. Under this laser pulse, the cluster is ionized and expands. Every helium atom is doubly ionized, while the average charge of xenon is around 11+ per ion by the end of the pulse. The expansion is much faster for the light helium ions than for the heavier xenon ions (see Fig. 1). While the cluster expands, the rate of energy absorption changes dramatically, reaching two maxima, as can be seen from Fig. 2(a). The first maximum is much higher than the second one. Comparison with the pure cluster (dashed line) indicates that the second maximum is caused by the resonant absorption due to the expanding xenon cluster: At resonance the xenon cluster has reached a critical radius  $R(t^{\star}) = R_{crit}$  so that the eigenfrequency of the quasifree electrons  $\Omega(t) = \sqrt{Q(t)}/R^3(t)$  matches the laser frequency  $\Omega(t^*) = \omega$  [7]. A clearer indication for resonant absorption than the eigenfrequency is the time dependent phase shift  $\phi(t)$  of the periodic center of mass (CM) motion of the quasifree electrons with respect to the driving laser field. At resonance the phase shift is  $\phi(t^*) = \pi/2$  [7]. The corresponding times  $t^*$  are indicated by the two vertical

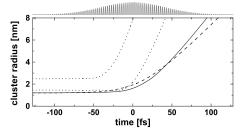


FIG. 1. Cluster radii as functions of time for the helium droplet in Xe<sub>100</sub> @ He<sub>1000</sub> (dotted, inner and outer edge), for the xenon cluster in Xe<sub>100</sub> @ He<sub>1000</sub> (solid), and for the bare Xe<sub>100</sub> cluster (dashed). The laser pulse with a peak intensity of  $I=3.51 \times 10^{14}$  W/cm<sup>2</sup>, a duration of 100 fs and a wavelength of  $\lambda=780$  nm is shown on top of the figure.

lines in Fig. 2(b) for the embedded (solid) and the pure (dashed) cluster.

Indeed, for the first and the dominant absorption feature, i.e. the time when the absorption rate is maximal, the phase shift of the CM motion of *all* quasifree electrons passes  $\pi/2$ . Excluding the quasifree electrons inside the xenon core of the cluster gives the same result [dotted curve in Fig. 2(c)] which illustrates that it is the period of the electronic CM motion in the extended potential of the helium ions which coincides with the laser period. This result also explains why the early resonance is much stronger than the later one. It is simply because there are many more helium ions than xenon ones so that many more electrons participate in the resonant absorption in the helium shell than in the xenon core. Note, that for a larger helium droplet of 5000 atoms, the second resonance is hidden by the first one and not seen in the energy absorption rate.

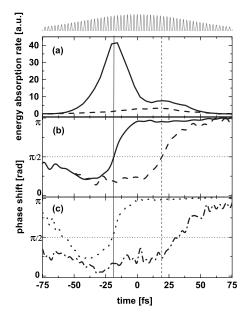


FIG. 2. Energy absorption rate (a), and phase shift of CM oscillations of the quasifree electrons with respect to laser field (b) for  $Xe_{100}$  @  $He_{1000}$  (solid) and  $Xe_{100}$  (dashed), respectively. Phase shifts for the embedded system  $Xe_{100}$  @  $He_{1000}$  (c) from electrons in the helium shell (dotted) and in the xenon core (dashed-dotted) only. Laser pulse (top) as in Fig. 1.

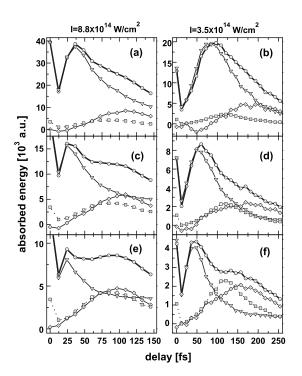


FIG. 3. Absorbed energy as a function of delay between pump and probe pulse for Xe<sub>100</sub> @ He<sub>N</sub> ( $\circ$ ), for xenon atoms fixed ( $\nabla$ ), for bare Xe<sub>100</sub> clusters ( $\Box$ , dotted line) and finally, the difference in energy absorption for helium-embedded xenon clusters with moving and fixed xenon atoms ( $\diamond$ ). The panels (a) and (b) are for *N* =1000 helium atoms, (c) and (d) for *N*=500 and (e) and (f) for *N* =300, respectively.

These findings are consistent with the earlier absorption in the embedded cluster compared to the pure one found in the experiment [16]. However, in contrast to the two resonances we have identified, only one early in the laser pulse was seen in the experiment using a pump-probe double pulse scheme. Therefore, we will analyze the effect of the double pulse with variable delay on the same system as before in the following.

We have used two identical pulses with a duration of 10 fs (FWHM) and a delay from 10 to 250 fs. Results for two different intensities of the pulses ( $I=8.8 \times 10^{14}$  W/cm<sup>2</sup> and  $I=3.5 \times 10^{14}$  W/cm<sup>2</sup>) are shown in Fig. 3. Surprisingly, for the same cluster as before (Xe<sub>100</sub>@He<sub>1000</sub>), one only sees the early resonance [Fig. 3(a) and Fig. 3(b)] in qualitative agreement with the experiment [16] for which we conclude that there the helium resonance was observed.

For the higher intensity [Fig. 3(a)] the resonance peak appears to be rather asymmetric having a shoulder towards longer delays where the second resonance due to xenon should be but is apparently masked by the helium resonance. There are several ways to check this assumption: The one which can also be realized experimentally is to increase the number of xenon atoms relative to the helium atoms. We did so by reducing the number of helium atoms. Indeed, for 500 helium atoms the second resonance appears already for the higher intensity, and for 300 helium atoms, the later resonance is visible at both laser intensities. This shows that the parameters of the laser have to be carefully adapted for the embedded cluster under investigation in order to get the full

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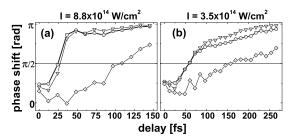


FIG. 4. Phase shift of the CM oscillation of quasifree electrons with respect to the driving field taken at the maximum of the second pulse as a function of delay between pulses. The phase shift of all quasifree electrons ( $\circ$ ), of quasifree electrons in the helium shell only ( $\nabla$ ) and in the xenon core ( $\diamond$ ) only is shown for Xe<sub>100</sub>@ He<sub>500</sub>.

information on energy absorption from pump-probe schemes.

To further elucidate the nature of the second smaller energy absorption peak, we have fixed the xenon atoms in space. This is, of course, only possible in a calculation. For such an artificial situation we can exclude resonant absorption by the xenon core since the ion charge density there will be too high for matching the corresponding eigenfrequency with the laser frequency (triangles in Fig. 3). Consequently, under none of the parameter combinations does energy absorption for fixed xenon show a second peak in Fig. 3. To uncover the importance of the xenon core expansion we show the difference (squares in Fig. 3) between the calculations with fixed and moving xenon ions. The first peak due to the helium resonance has disappeared in all cases, which indicates that moving xenon ions do not affect the first resonance. More importantly, the second resonance due to xenon clearly shows up in the difference curves, revealing that it is present but buried under the helium signal in the full dynamical energy absorption (circles) but of course by construction absent in the fixed xenon absorption (triangles). Moreover, this difference curve bears similarity with the energy absorption for a pure xenon cluster, where the general trend is that the xenon resonance is stronger and appears later in the embedded cluster. It is stronger due to the larger number of quasifree electrons participating in the resonant absorption. They also give rise to a slightly higher ion charge Q(t) of the embedded xenon cluster, because of the stronger electron impact ionization. Consequently, a longer expansion time is needed to reach the critical ion charge density corresponding to resonance.

We finally take a look at the phase shift of the quasifree electron CM motion versus the laser driving in Fig. 4 for the case of 500 helium atoms. We have separated the quasifree electrons contributing to the helium resonance and to the xenon one by spatial selection of the respective electrons in the cluster. The result confirms our picture: The second weaker absorption peak is due to the electrons near the xenon core. Their collective phase shift  $\phi(t)$  passes  $\pi/2$  at the right time of about 100 fs and 160 fs for the two laser intensities, respectively.

From these results, one could get the impression that in a composite cluster of two atomic species two resonances occur related to the respective two resonance frequencies, or specifically in our case: we observe the helium resonance of the droplet almost not influenced by the xenon core. This is, however, by no means true: We have verified that without the xenon core, helium is not ionized at all for the laser intensities used. This is clear, recalling that the intensities are not large enough to ionize helium by barrier suppression, while multiphoton ionization requires some 20 photons and is very unlikely. Moreover, when the laser intensity is increased so that barrier suppression ionization of helium becomes possible, our calculations show that resonant absorption is of minor importance (less than 20% of the total absorbed energy). The reason is that double ionization follows single ionization immediately, as soon as the laser intensity is enough for single ionization of helium, due to strong fields that build up in the cluster environment. After that, there is only a small number of quasifree electrons left in the cluster, which become outer ionized as the cluster approaches the plasma resonance. On the other hand, a xenon core is considerably charged by weaker external electric fields and subsequently detaches electrons from helium by its Coulomb force. Initially attracted to the center, these electrons form a plasma. This plasma undergoes collective heating which eventually becomes resonant. Thus, it is only the composite cluster (xenon cluster in a helium droplet) that exhibits the earlier resonance leading to very strong energy absorption. Neither the helium nor the xenon cluster by itself has this property.

To summarize, we have shown that a helium embedding strongly influences the dynamics of rare gas clusters illuminated by strong laser pulses. For both single and double laser pulses, the helium droplet leads to the appearance of an additional plasma resonance, occurring earlier in the laser pulse. Its weight relative to the plasma resonance in the xenon cluster core depends on the size of the droplet compared to the size of xenon cluster, and on the laser intensity. This finding should allow one to choose the parameters such that an observation of both resonances in one double-pulse experiment can be realized. The dominant resonance in a helium droplet occurs earlier because light helium ions explode faster than xenon ions. Due to this additional resonance and also due to the larger number of quasifree electrons, the helium embedding increases the energy absorption of the cluster. This indicates that helium embedding is quite dangerous if one is interested in the properties of the embedded clusters [23], since the dynamics of the helium droplet dominates the absorption properties of the composite cluster in most cases.

Furthermore, based on the results presented we conjecture that significant resonant absorption in a helium droplet is only possible in a composite cluster unless the helium droplet is very large. From the perspective of xenon, however, the helium embedding makes the absorption slightly stronger since more electrons, also from helium, are available. Finally, our results suggest that it may well be possible to obtain, e.g., very fast electrons or x-rays mostly of a certain wavelength, by specifically choosing a certain composite cluster in combination with a suitable dual laser pulse. Studies in this direction are underway.

Another potential application is the embedding of clusters

(or biomolecules [24]) for x-ray diffractive imaging in strong pulses from free-electron-laser sources. Here the helium provides a sacrificing layer in order to slow down the Coulomb explosion and improve the image quality.

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