

Photoemission spectra in Mott Insulating Surfaces

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Outline

Mott state in Silicon triangular surfaces

Magnetic properties

¿Can be detected 120[•] Néel order in these surfaces?

Spectroscopic fingerprints of the magnetic order

Model and methods used

Conclusions and perspectives

Silicon surfaces are ideal to look for Mott states

Although Coulomb potential U is not so large (1eV)

Electrons can localize due to

•Atoms at surfaces have lower coordination than in the bulk

•reconstruction yields much larger interorbital spacing in the bulk \rightarrow lower t

U / **W** > 1 strong correlation without transition metal ions

Surface SiC (0001)

- LEED and STM \rightarrow *triangular* $\sqrt{3} \times \sqrt{3}$ reconstruction
- First principles total energy calculation (Northrup et al, PRB '95)



A non-saturated sate per absorbed Si \rightarrow LDA predicts a half-filled metallic surface band W = 0.35 eV t = 0.04 eV

Experimentally, it is found a similar band ... but completely filled W = 0.20 eV



Photoemission: inverse and direct

(Johansson et al, Surf. Sci. '96)



$\sqrt{3} \times \sqrt{3} - K/Si(111) - B$

LEED → triangular √3 x √3 reconstruction
First principles total energy calculation (Y. Ma et al PRL'90)



Theory vs Experiments



LDA calculation (Hellberg et al, PRL'99)

Photoemission

(Weitering et al, PRL '97)





Hubbard model realistic parameters

$$D = \partial^2 E / \partial \phi^2$$

Zero frequency conductivity or Drude weight



What about the magnetic ground states of these surfaces?

Hubbard model triangular lattice No perfect nesting Critical value U/t magnetic order

 $(U/t)_{siC} = 20$, $(U/t)_{K/si-B} = 40 > (U/t)_{crit} = 12$ (Cappone PRB, 2001)

SiC and K/Si-B seems to be located at AF phase

Low energy physics of a Mott insulator: dominated by spin fluctuations

Heisenberg model (localized spins)

$$H = \sum_{\langle ij \rangle} J_{ij} \mathbf{S}_{\mathbf{i}} \cdot \mathbf{S}_{\mathbf{j}} \qquad J_{ij} = \frac{4t_{ij}^2}{U}$$

SiC(0001) and K/Si(111)-B: first experimental realization of the Heisenberg model on triangular lattice

Theory: 120° Néel oder ground state

(Capriotti Trumper Sorella, PRL '99) (Bernu et al PRL'92)



Experiments?

¿ Can be detected 120°Néel order in these surfaces?

Usual LRO techniques are difficult to implement

Nowadays, high-resolution (~10 meV) ARPES experiments are possible

Is it possible to obtain *Spectroscopic Fingerprints* of 120° Néel Order ?

We study the hole-dynamic in 120° Néel order on triangular lattice For realistic parameters of K/Si(111)-B- $\sqrt{3}X\sqrt{3}$ SiC(0001)- $\sqrt{3}X\sqrt{3}$

Model and techniques used

t-J model
$$H = -t \sum_{\langle ij \rangle \sigma} \left(\hat{c}_{i\sigma}^{\dagger} \hat{c}_{j\sigma} + \hat{c}_{j\sigma}^{\dagger} \hat{c}_{i\sigma} \right) + J \sum_{\langle ij \rangle} \left(\mathbf{S}_{i} \mathbf{S}_{j} - \frac{n_{i} n_{j}}{4} \right)$$

Once magnetic order is assumed, spinless fermion and Holstein-Primakov

$$\hat{c}_{i\uparrow} = h_i^{\dagger} \qquad \hat{c}_{i\downarrow}^{\dagger} = h_i S_i^{-}$$
$$S_i^x \sim \frac{1}{2} (a_i^{\dagger} + a_i) \qquad S_i^y \sim \frac{i}{2} (a_i^{\dagger} - a_i) \qquad S_i^z = \frac{1}{2} - a_i^{\dagger} a_i$$

Effective Hamiltonian

$$H = \sum_{\mathbf{k}} \epsilon_{\mathbf{k}} h_{\mathbf{k}}^{\dagger} h_{\mathbf{k}} + \sum_{\mathbf{q}} \omega_{\mathbf{q}} \alpha_{\mathbf{q}}^{\dagger} \alpha_{\mathbf{q}} - t \sqrt{\frac{3}{N_s}} \sum_{\mathbf{k}, \mathbf{q}} \left[M_{\mathbf{k}\mathbf{q}} h_{\mathbf{k}}^{\dagger} h_{\mathbf{k}-\mathbf{q}} \alpha_{\mathbf{q}} + h.c. \right]$$

Free hole energy Free magnon energy hole-magnon vertex

Self-consistent Born approximation (SCBA)

We calculate the hole spectral function

$$A_{\mathbf{k}}(\omega) = -\frac{1}{\pi} Im G^{h}_{\mathbf{k}}(\omega)$$

$$G^{h}_{\mathbf{k}}(\omega) = \langle AF | h_{\mathbf{k}} \frac{1}{(\omega + i\eta^{+} - H)} h^{\dagger}_{\mathbf{k}} | AF \rangle$$

Solving the self-consistent eqn for self-energy



$$\Sigma_{\mathbf{k}}(\omega) = \frac{3t^2}{N_s} \sum_{\mathbf{q}} \frac{\mid M_{\mathbf{kq}} \mid^2}{\omega - \omega_{\mathbf{q}} - \epsilon_{\mathbf{k}-\mathbf{q}} - \Sigma_{\mathbf{k}-\mathbf{q}}(\omega - \omega_{\mathbf{q}})}$$

Quasiparticle weight $z_{\mathbf{k}} = \left(1 - \frac{\partial \Sigma_{\mathbf{k}}(\omega)}{\partial \omega}\right)^{-1} |_{E_{\mathbf{k}} = \Sigma_{\mathbf{k}}(E_{\mathbf{k}})}$

Two mechanisms for hole-motion

$$\sum_{k,q} [M_{kq} h_k^{\dagger} h_{k-q} \alpha_q + \text{h.c.}]$$

 $\sum_k \epsilon_k h_k^{\dagger} h_k$

Magnon assisted hopping

Free hopping: no absorption or emission of magnons (due to non-collinearity)

Spin-polaron origin in non-frustrates AF

Both mechanisms interfere ! Quasiparticle survives? **Comparison SCBA vs exact results : Spectral function**







Quasiparticle weight



Band structure SiC(0001)



Conclusions

We obtained theoretically the spectroscopic fingerprints of the 120° Néel order in Silicon surfaces

• For SiC(0001) [K/Si(111)-B] photoemission experiment should be done at low temperatures T < J ~ 40 K [170 K]

- The photo-injected hole does not exist as quasiparticle except for momenta near the magnetic Goldstone modes
- In simple silicon surfaces with simple sp orbitals there is interesting physics due to correlation effects

Perspectives

• Finite doping? Experimentally it can accomplished by monitoring K coverage in K/Si(111)-B

¿Non conventional excitations at finite doping ?



Recently Koretsune and Ogata (PRL sept 2002) studied the rol played by the particle-hole asymmetry Δ t-J model

Finite \rightarrow t >0 \rightarrow RVB magnetic statesdopingt < 0</td> \rightarrow Nagaoka's ferromagnetism

For one-hole doping of the 120° Neel order we found

