# Broken symmetry and spin-split bands at surfaces





**Marco Grioni** 



CORPES07 - Dresden



FONDS NATIONAL SUISSE SCHWEIZERISCHER NATIONALFONDS FONDO NAZIONALE SVIZZERO SWISS NATIONAL SCIENCE FOUNDATION

## On the positive side...



- Different ground states may be stable at the surface due to differences in the strength of interactions, dimensionality, symmetry
- surfaces as tuneable model systems

### A case of symmetry breaking at surfaces



1.  $E(k,\uparrow) = E(-k,\downarrow)$  time-reversal symmetry 2.  $E(k,\uparrow) = E(-k,\uparrow)$  inversion symmetry

1+2.  $E(k,\uparrow) = E(k,\downarrow)$  Kramers' degeneracy

at an interface, or at the surface of a solid, inversion symmetry is broken. With SO interaction:

 $\mathsf{E}(k,\uparrow)\neq\mathsf{E}(k,\downarrow)$ 

even without an external magnetic field



### 2D free-electrons - the Rashba effect now also observed in $1D \rightarrow talk$ by F.Himpsel



2D free electrons moving in an E field

$$\vec{E} = -\nabla V = -\frac{dV}{dz}\vec{e}_z$$

#### "see" a magnetic field

$$\vec{B}_{eff} = \frac{1}{c^2} \vec{v} \times \vec{E} = \frac{\hbar}{m^* c^2} \vec{k} \times \vec{E}$$

$$-k \xrightarrow{B_{eff}} \nabla V$$

#### **Zeeman coupling**

$$H_{SOC} \approx -\vec{\mu}_S \cdot \vec{B} = \alpha_R (\vec{e}_z \times \vec{p}) \cdot \sigma$$



expected Rashba energy  $E_R \sim 10^{-6} \text{ eV}!$ 

$$E = \frac{\hbar^2 k^2}{2m^*} \pm \alpha_R k$$
$$\alpha_R = \frac{\hbar^2 k_0}{m^*}$$
$$E_R = |E(\pm k_0)|$$



rotational invariance

## Influence of atomic parameters: TB approach



The E field is largest near the nuclei

The intra-atomic SO interaction MUST be important

 $\alpha_R \approx \alpha_{AT} \cdot (\frac{dV}{dz})$ 

SO split TB bands

intra-atomic SO parameter surface term



Much larger splittings are then possible

Petersen and Hedegård (2000)

## Shockley states at the surface of noble metals





#### Ag (111)



 $k_0 = 0.012 \text{ Å}^{-1}; \ \alpha_R = 0.33 \text{ eV Å}$ 

Au(111)

 $E_{R} \sim 2 \text{ meV}; \quad \Delta E_{SO} = 470 \text{ meV}$ 

#### Ag(111)

 $k_0 < 0.004 \text{ Å}^{-1}; \ \alpha_R \sim 0.03 \text{ eV Å}$  $\mathbf{E}_{\mathbf{R}} < 0.2 \text{ meV}; \ \Delta \mathbf{E}_{SO} = 110 \text{ meV}$ 



Reinert (2001)



## Strategies to enhance the SO splitting



# Modifying the surface barrier

Alkali adsorption Rotenberg (1999)

#### **Rare-gas adsorption**



Moreschini et al., to be published (Lausanne-Würzburg)

#### Alloying

#### Au/Ag (disordered) alloy





#### **Other high-Z metals**

Bi(111)



 $k_0 \sim 0.05 \text{ Å}^{-1}$   $\Delta E_{SO} = 1.5 \text{ eV}$ (Z = 83)

### An ordered surface alloy: Pb/Ag(111)



The deposition and reaction of 1/3 ML Pb yields an ordered PbAg<sub>2</sub> surface alloy



Dalmas (2005)













What is the origin of the huge enhancement?

 $k_0 = 0.13 \text{ Å}^{-1}; \alpha_{\rm B} \sim 3 \text{ eV Å};$  $E_{\rm B} = 200 \text{ meV}$ 

Au(111):  $k_0 = 0.012 \text{ Å}^{-1}$ ;  $\alpha_{\rm B} = 0.33 \text{ eV} \text{ Å}$ ;  $E_{R} \sim 2 \text{ meV}$ 

Bi(111):  $k_0 = 0.05 \text{ Å}^{-1}$ ;  $\alpha_B = 0.56 \text{ eV Å}$ ;  $E_{\rm B} = 14 \text{ meV}$ 



dichroism in the angular distribution



Fully relativistic layer KKR calculation - J. Henk also G. Bihlmayer (PRB 2007)



The hybrid states are tightly confined within the top layer



Unlike the case of Au(111), the spin-split FS is clearly influenced by the crystal potential

**More realistic** 

05



#### **Non-circular Fermi surface**

Out-of-normal component (10%) of the spin polarization demonstrates an in-plane potential gradient

The inhomogeneous charge distribution within the surface alloy is the origin of the in-plane gradient

Chemical bonding is a new "knob" to tune the spin splitting

# Spin splitting and the density of states



# Signatures of spin-split states in tunneling spectra

**Bi/Ag(111)** 

**Pb/Ag(111)** 



0.5 -0.5 Energy (eV) (va) 0.0 0.0 -0.5 -0.5 -10 -0.15 -0.10 -0.05 0.00 0.05 0.10 0.15 0.00 -0.20 -0.10 0.10 Wave vector k (Å-1) Wave vector k (Å-1) (d) (c) Energy E Π Density of States Wave vector k

"1D-like DOS"

**STS: MPI Stuttgart** 

# 



1.0

Bi<sub>x</sub>Pb<sub>(1-x)</sub>

0.8

0.6

Х

0.12

0.08

0.04

Ο

0.2

0.4

#### Internal calibration from core levels



#### Adjusting the spin pattern by interface engineering The spin pattern depends Band Maximum on the energy 21 20 Three different situations are 19 realized by tuning E<sub>F</sub> through (sqrt 3xsqrt3)R30° Bi Bi coverage: 0.33 ML 18 the band as a function of stoichiometry 20 30 40 50 60 10 Region 21.0 в Α 20.5 20.0 19.5 ш Bi: 0.24 ML Energy Pb: 0.09 ML 19.0 \_\_\_\_\_ 10 0 20 30 40 50 60 Π Region II 21.5 -21.0 -Wave vector k Density of States 20.5 -20.0 19.5 -Bi: 0.09 ML Pb: 0.24 ML 19.0 -\*\*\*\*\* 10 0 20 40 50 60 30

## The true surface structure is crucial





-1.5 0 0.05 0.1 0.15 0.2 0.25 0.3 0.35 0.40 0.05 0.1 0.15 0.2 0.25 0.3 0.35 0.4 ky (1/ Bohr) ky (1/ Bohr)

J. Henk



The Pb p<sub>z</sub> band is disrupted. Spectral weight is spread in E and k

moiré structure ≈ √28 x √28 R(±19.1°) 19 Pb ATOMS, 28 Ag ATOMS

## Selective hybridization with bulk via the Ag SS





TB bands for the modulated structure Gloor (2006)

- 1) Pb  $p_z$  states hybridize with the Ag surface band and, through this, with bulk states.
- 2) The mixed state is degenerate with the continuum of bulk states. For each *k* value, it is an *impurity problem*.



## Selective hybridization with bulk via the Ag SS





## Summary



 Enhanced correlations and lower symmetry lead to different ground states at surfaces.
Ideal playground for ARPES practitioners

 Interface engineering to tune spin splitting and spin configuration