



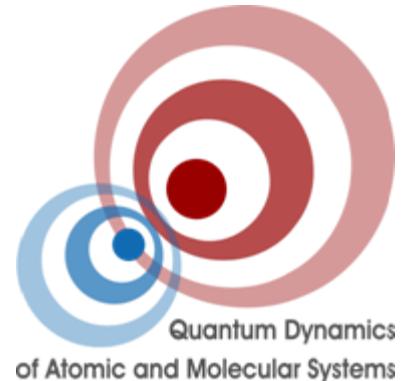
Ionization dynamics and antiblockade of an ultracold Rydberg gas

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T. Amthor, and M. Weidemüller

Quantendynamik atomarer und molekularer Systeme
Ruprecht-Karls-Universität Heidelberg
Physikalisches Institut



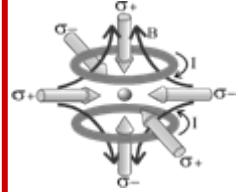
RUPRECHT-KARLS-
UNIVERSITÄT
HEIDELBERG



Ultracold Rydberg Gases



magneto-optical trap
(MOT)



$10^7\text{-}10^8$ atoms
 $\rho \sim 10^{10} \text{ cm}^{-3}$
 $T < 100 \mu\text{K}$

ultralong range interactions:

- large polarizability $\propto n^7$
- strong dipole interaction $\propto n^4$
- strong van-der-Waals forces $\propto n^{11}$

electronic wavefunction
 $0.05 \mu\text{m} \dots 0.5 \mu\text{m}$

interatomic
interaction strength
 $\sim 10 \text{ MHz}$

lifetime
 $10 \mu\text{s} \dots 1 \text{ ms}$

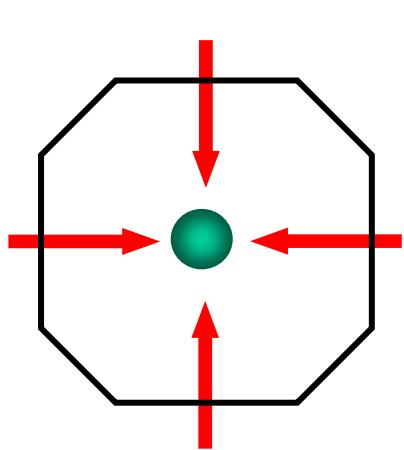
thermal velocities
 $0.1 \mu\text{m}/\mu\text{s}$

interatomic spacing
 $\sim 5 \mu\text{m}$



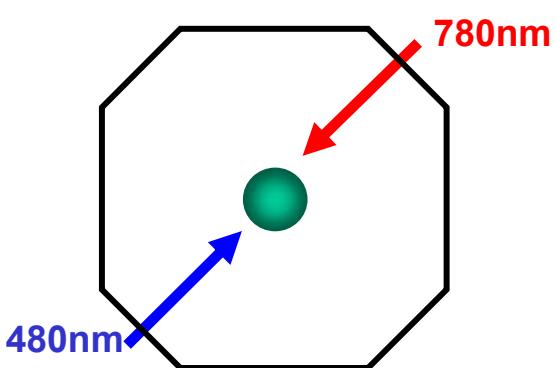
Typical experimental cycle

1. Magneto-optical trapping of ^{87}Rb

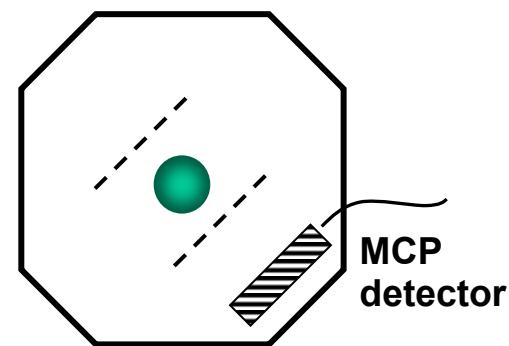


$T < 100 \mu\text{K}$
 $10^7 - 10^8$ atoms
 $\rho \sim 10^{10} \text{ cm}^{-3}$

2. Excitation of Rydberg states ($\sim 0.1\mu\text{s} - 10\mu\text{s}$)

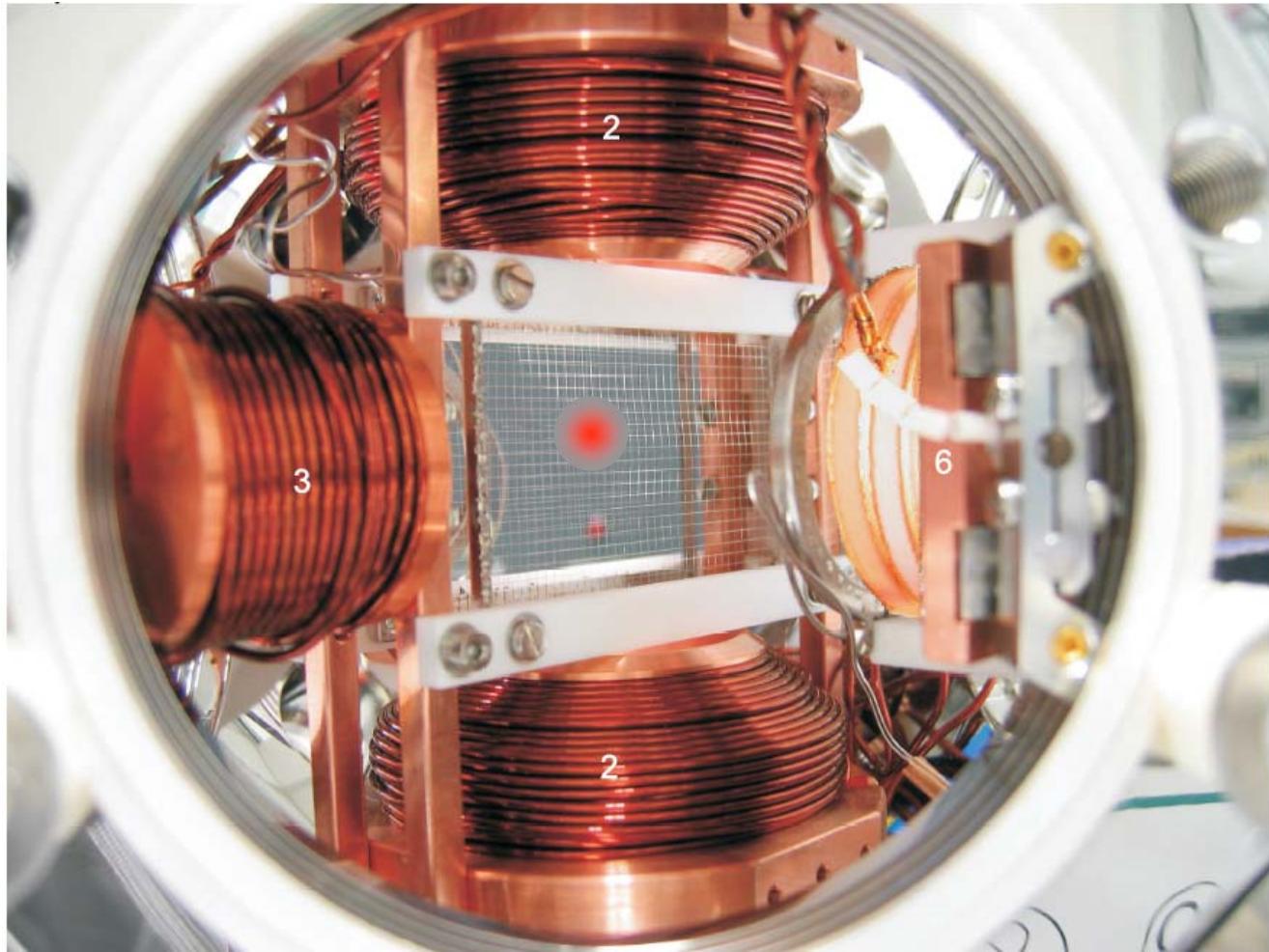


3. State-selective field ionization





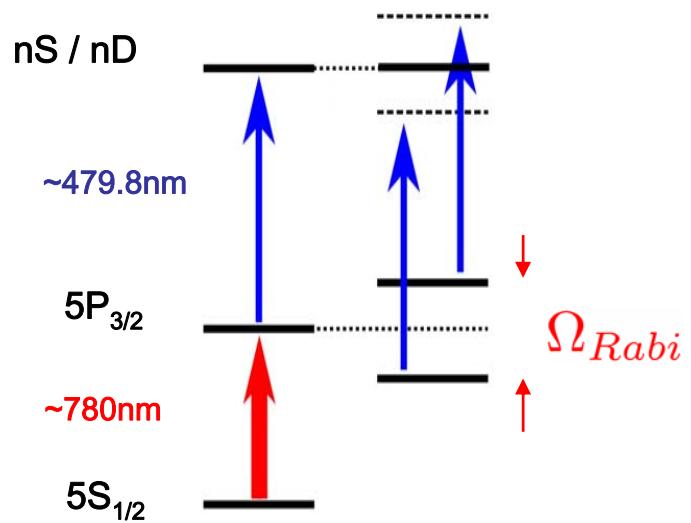
Experimental Setup



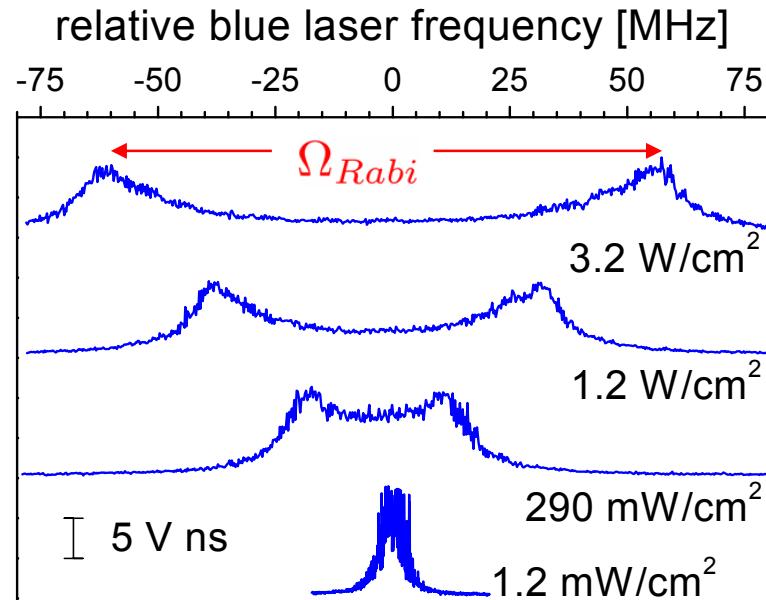
Excitation schemes I



- 2 photons & 3 levels



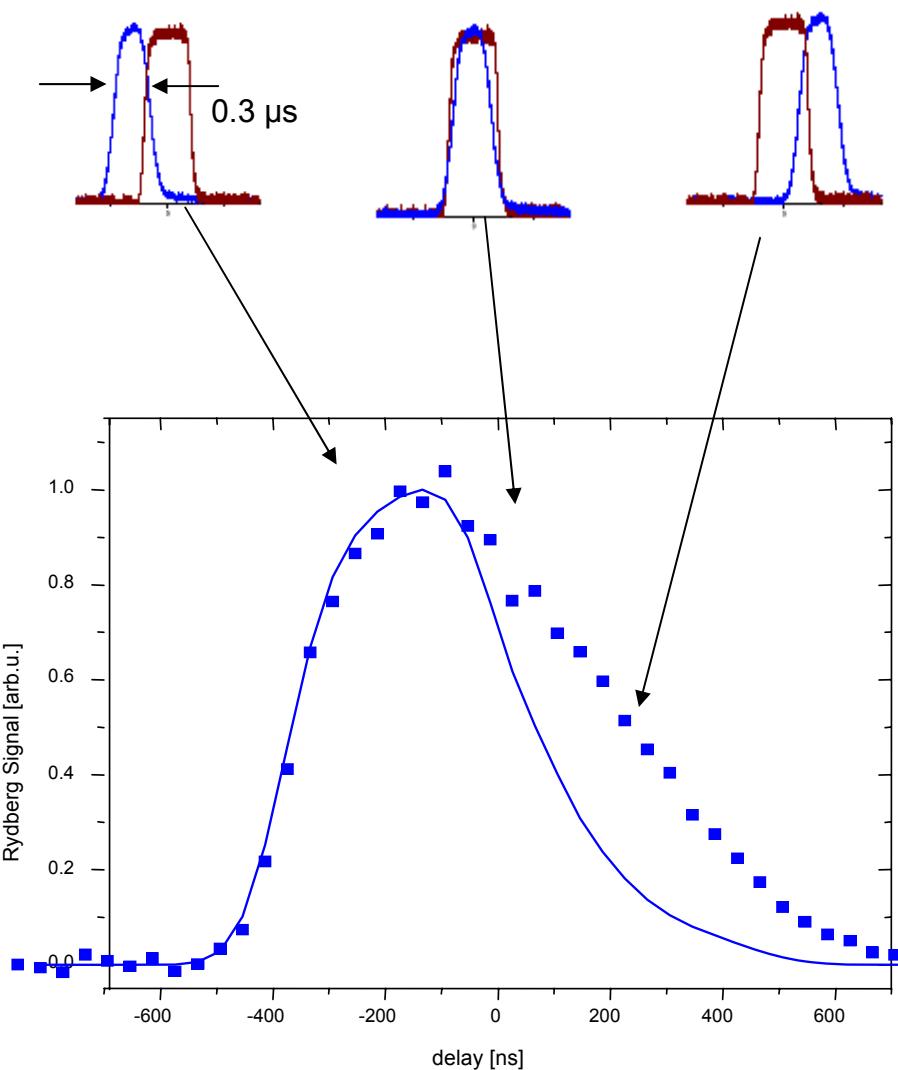
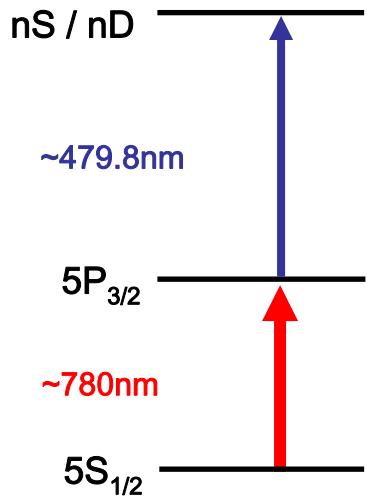
Autler-Townes-Splitting



Excitation schemes II



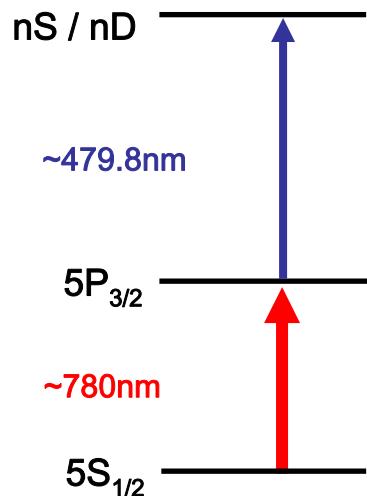
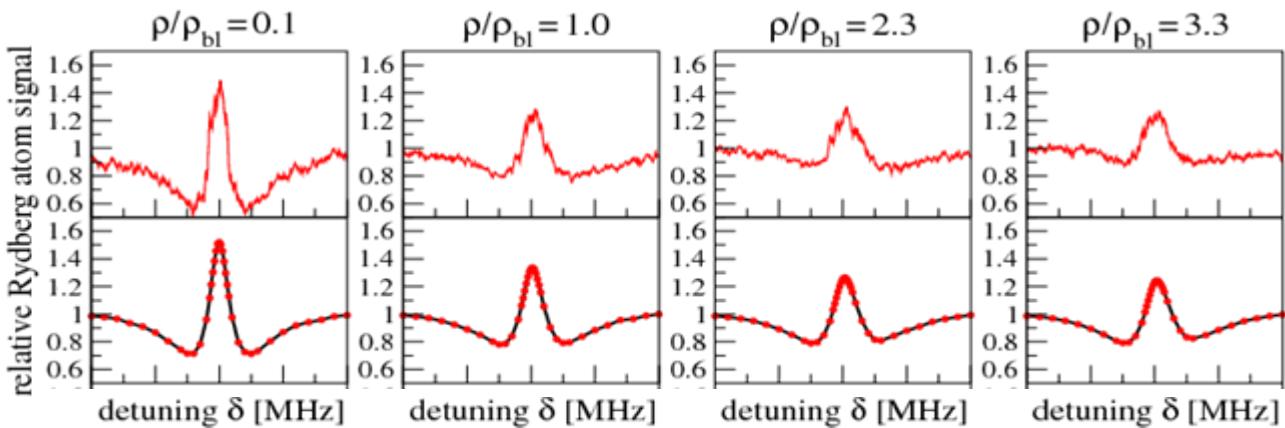
- 2 photons & 3 levels
- STIRAP





Excitation schemes III

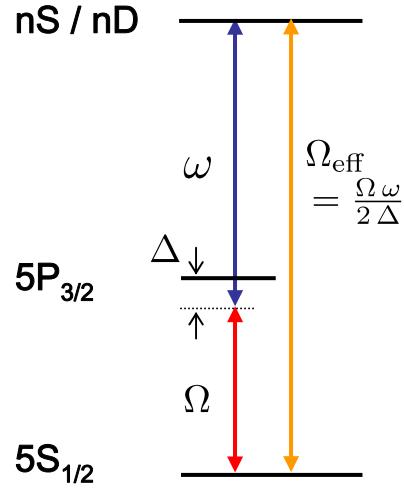
- 2 photons & 3 levels
- STIRAP
- CPT



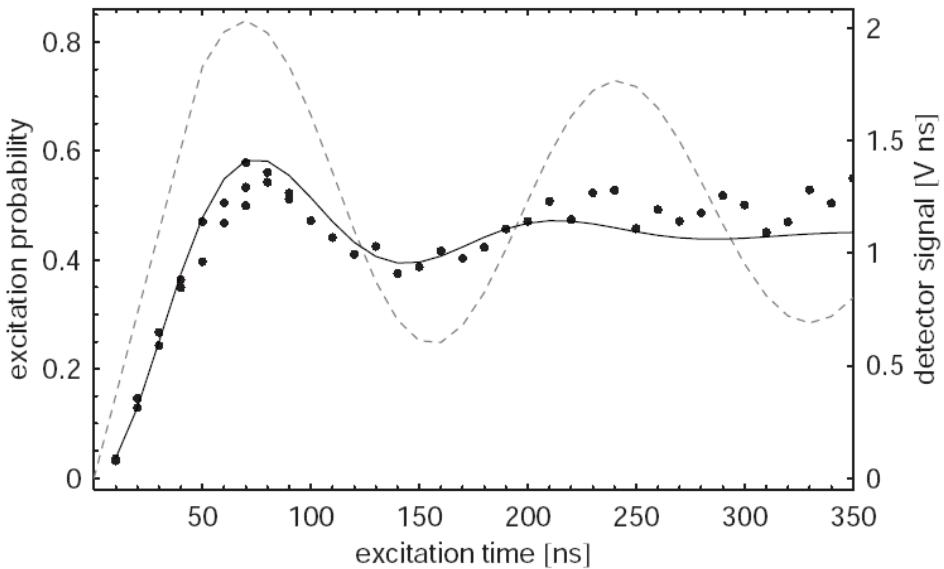


Excitation schemes IV

- 2 photons & 3 levels
- STIRAP
- CPT
- 2 photons & 2 levels



Coherent Rydberg excitation

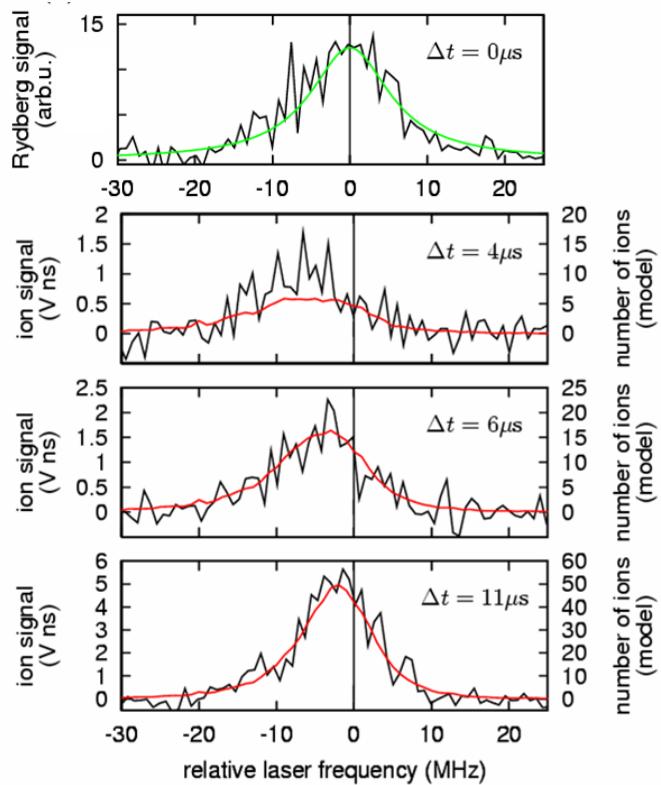


see also Johnson *et al.*, PRL **100**, 113003 (2008)
and Miroshnychenko *et al.*, PRA **82**, 013405 (2010)

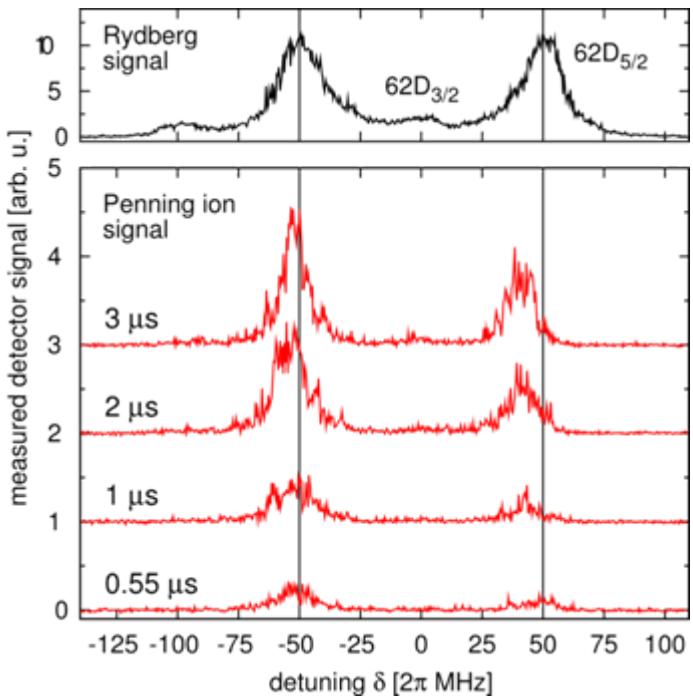
Mechanical forces and Antiblockade



Real time observation of mechanical forces



Antiblockade of excitation



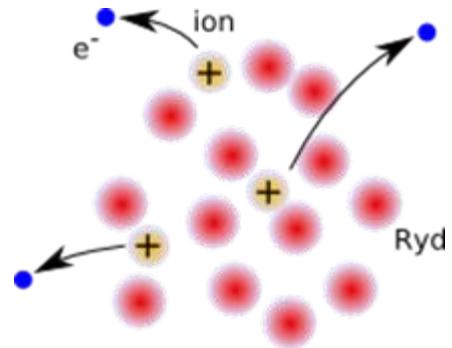


- Introduction to ultracold Rydberg physics
- Rydberg ionization dynamics observed in real time
 - attractive van-der-Waals-potentials
 - repulsive van-der-Waals-potentials
- Antiblockade of an interacting Rydberg gas
- Conclusion

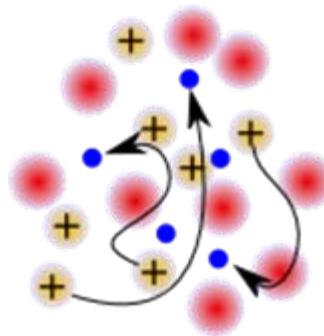


Autoionization and formation of a plasma

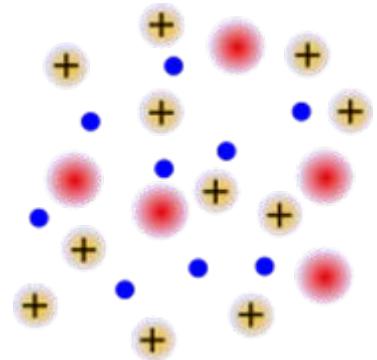
some atoms are ionized



avalanche ionization



ultracold plasma



$\sim 1\mu\text{s}$

$\sim 10\mu\text{s}$

Robinson *et al.*, PRL 85, 4466 (2000)

Pohl *et al.*, PRA 68, 010703 (2003)

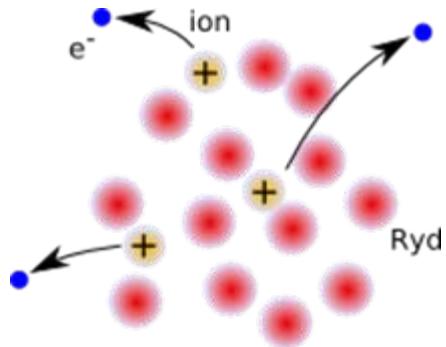
Li *et al.*, PRL 94, 173001 (2005)

Killian *et al.*, Physics Reports 449, 77 (2007)

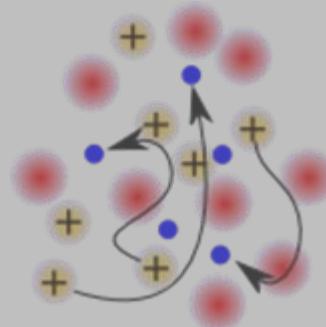


Autoionization and formation of a plasma

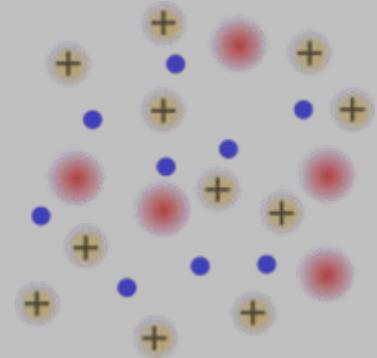
some atoms are ionized



avalanche ionization



ultracold plasma



$\sim 1\mu s$

$\sim 10\mu s$

Initial ionization processes

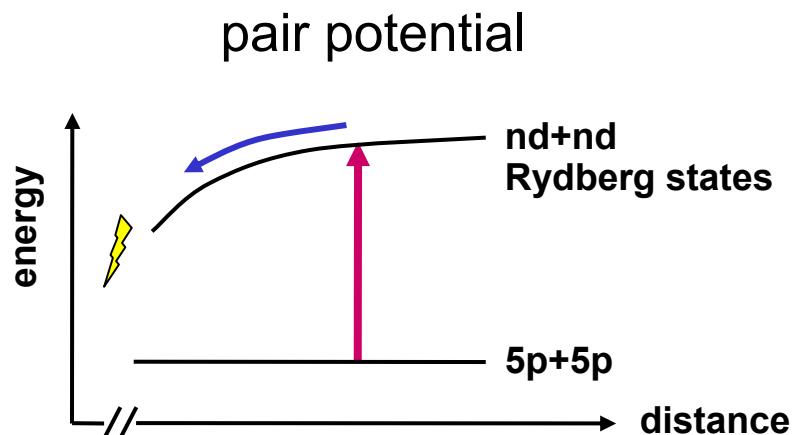
- Black body radiation $\sim 3 \text{ kHz} @ n=80$
- Collisions with hot background atoms $\sim 200 \text{ Hz} @ n=80$
- *Cold Rydberg - cold Rydberg collisions*

Rydberg interactions



- Large polarizability $\propto n^7$
- Strong van der Waals coefficient $\propto n^{11}$

attractive or repulsive van der Waals interactions

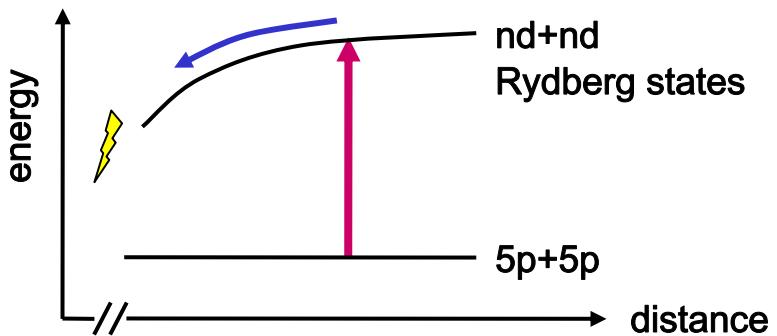


ionizing collisions
(Penning ionization)

$n \sim 60$:
collision time $\sim \mu\text{s}$
for distances $\sim \mu\text{m}$



Interaction-induced ionization



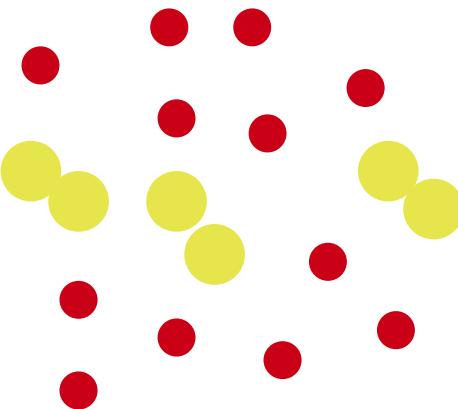
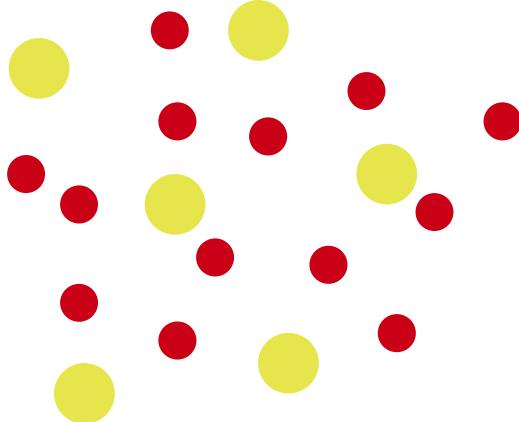
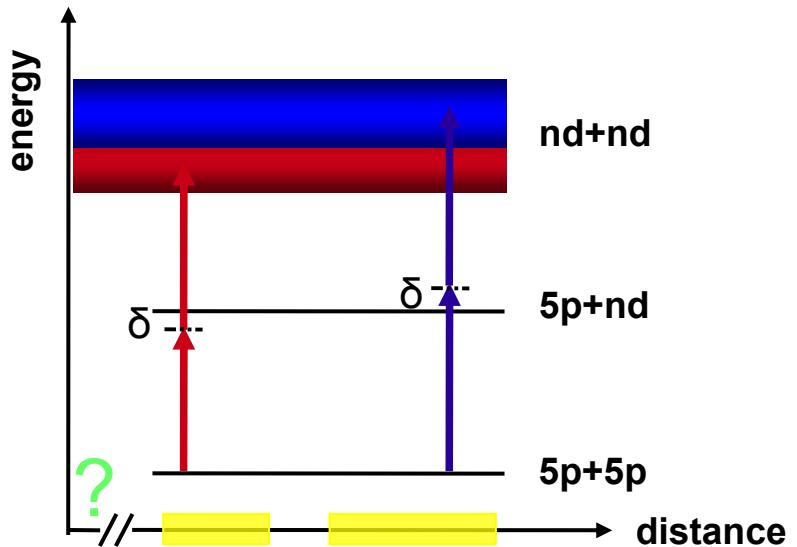
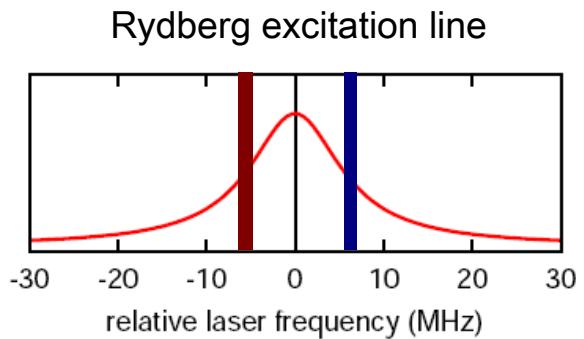
IDEA:

- Prepare a sample with specific distribution of pair distances
- Observe ionizing collisions in real time

Measurement of ionization dynamics gives information about effective potentials and pair distribution



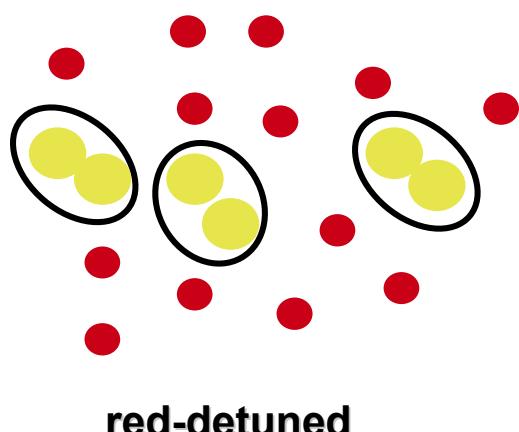
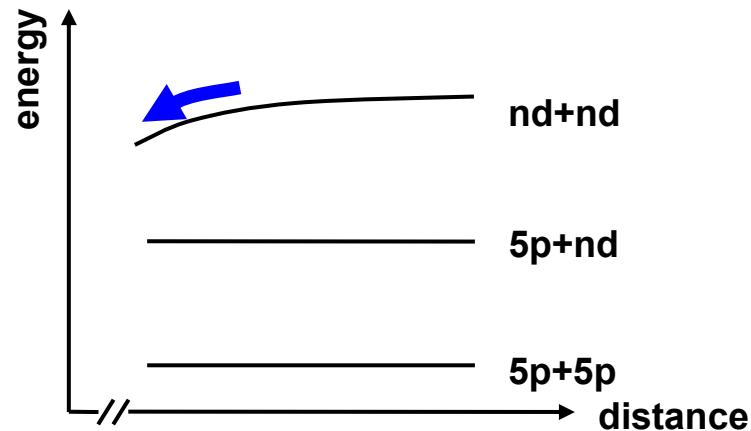
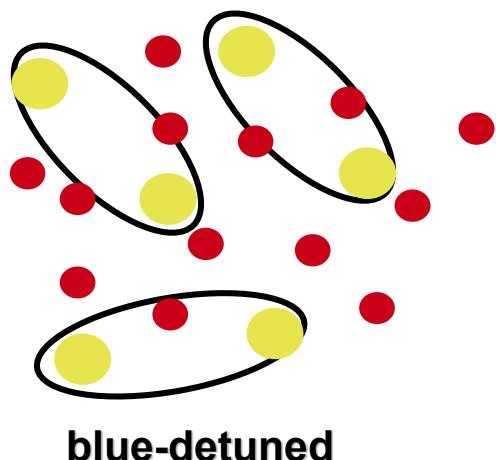
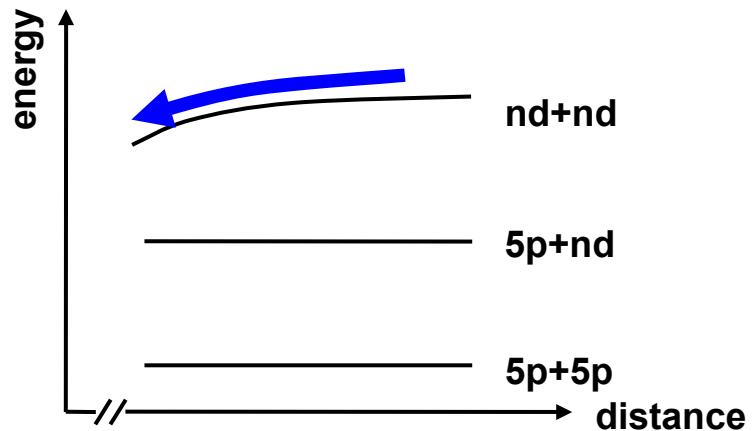
Model excitation process





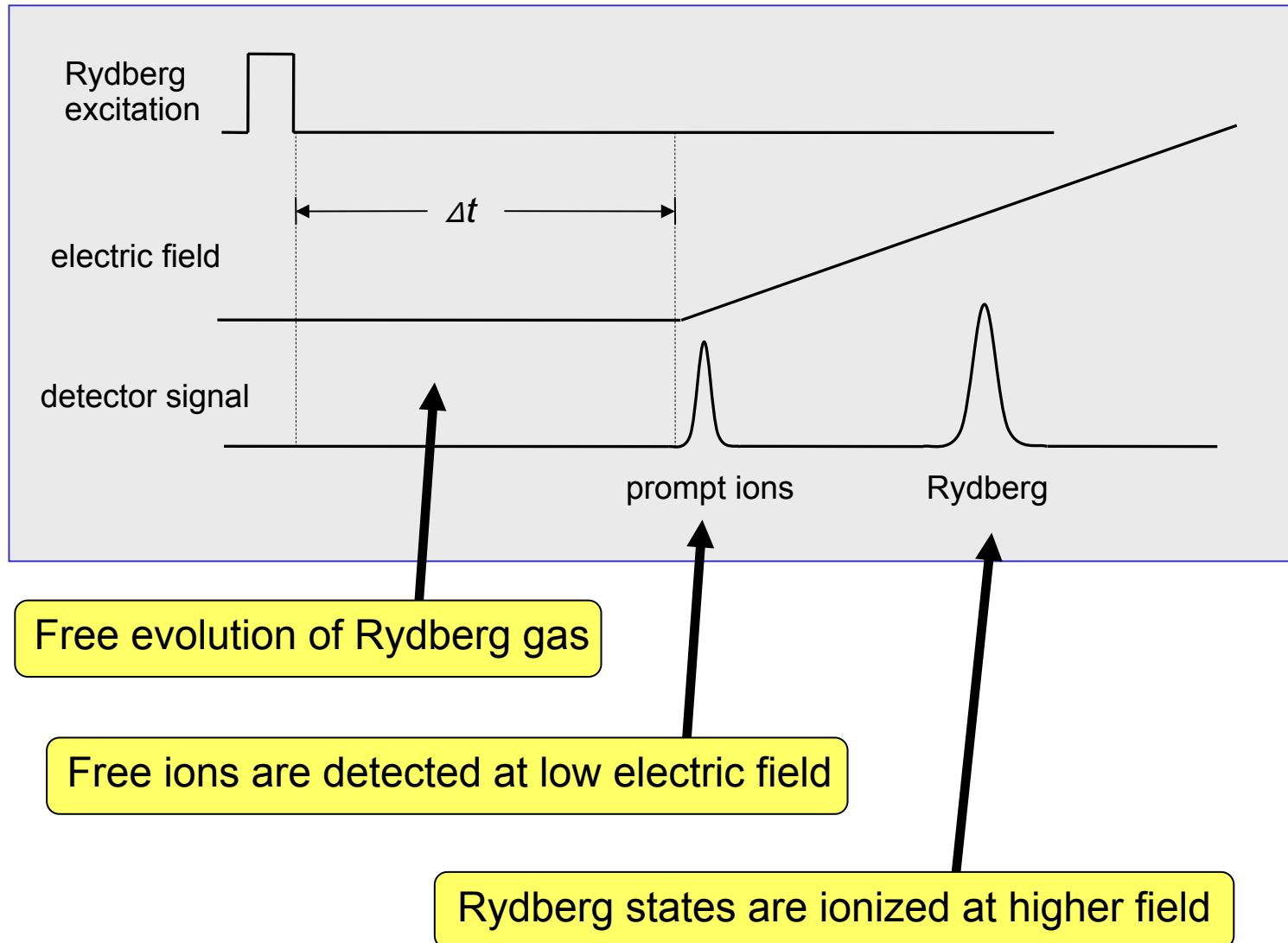
Part 2: Calculation of collision times

- interaction distance is translated into ionization time
- extremely sensitive to tiny changes in pair distribution

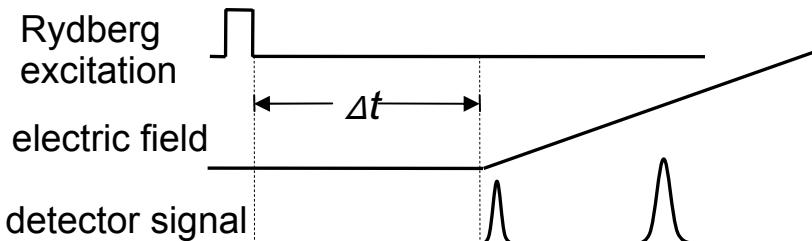
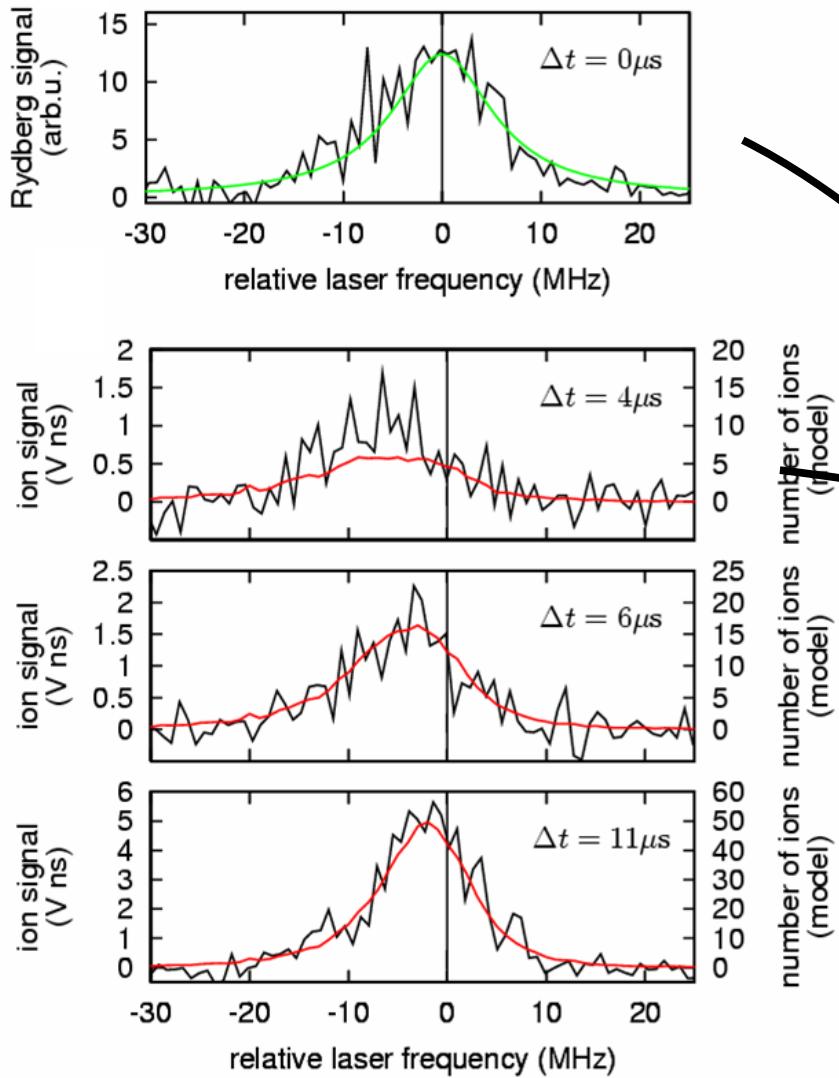




Timing of the experiment



Measurement of $60\text{D}_{5/2}$ ionization

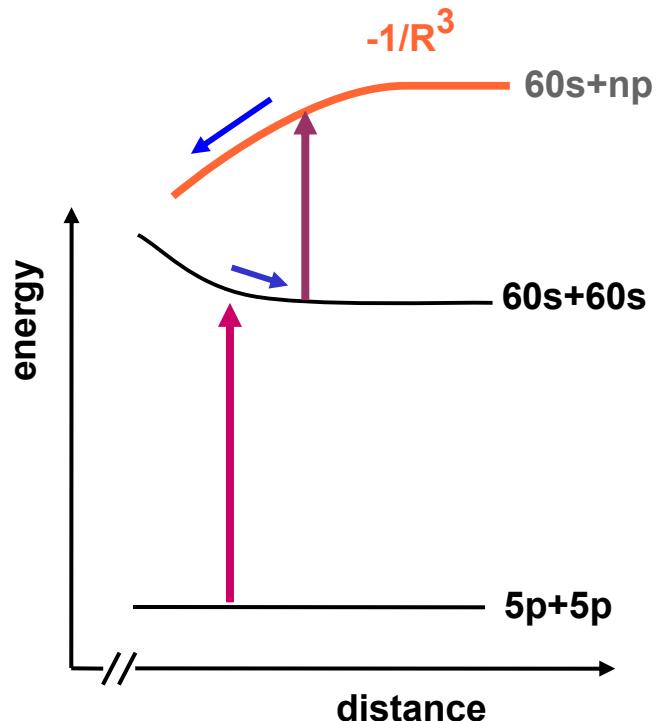
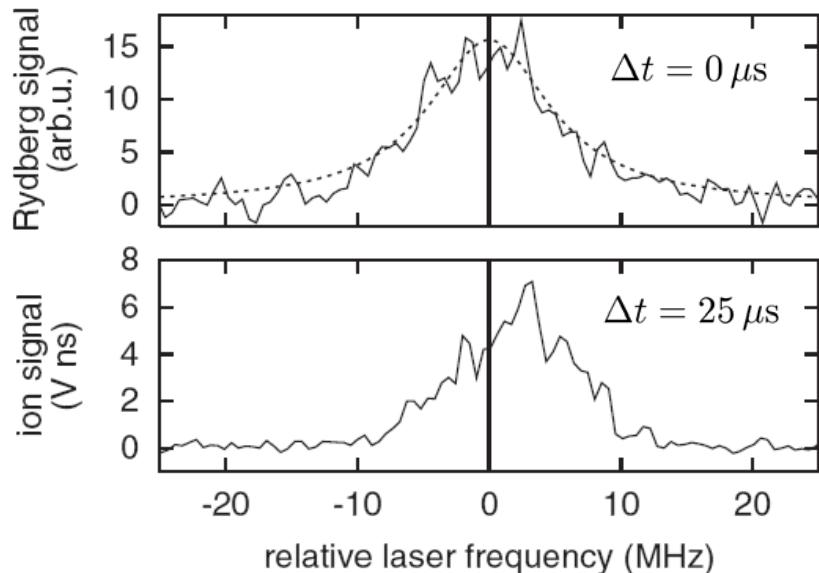


number of ions (model)

Ions appear first on the red-detuned wing of the excitation line



Repulsive potentials – the 60S state



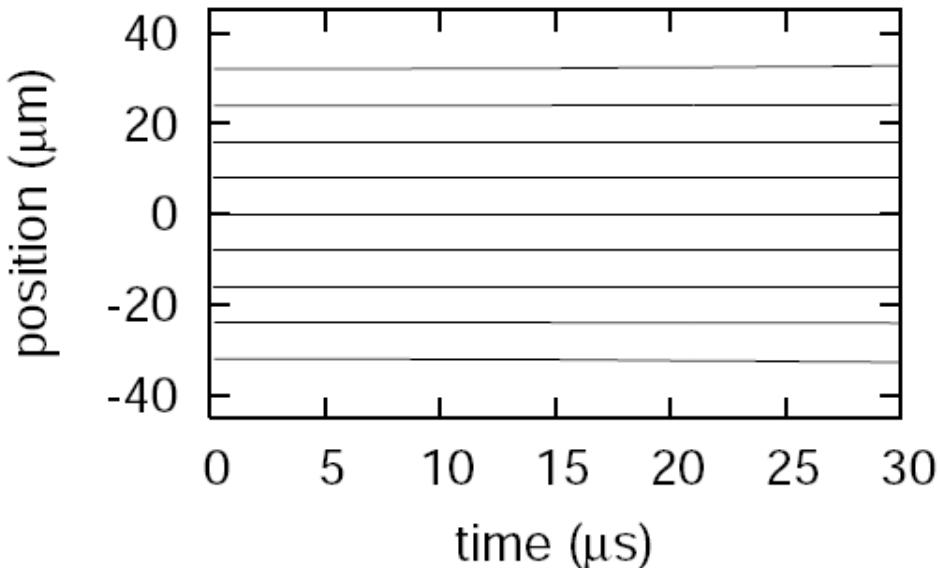
Ionization on blue-detuned side
and on longer time scales

- black body radiation-induced **redistribution** to other states
→ attractive dipole-dipole interaction

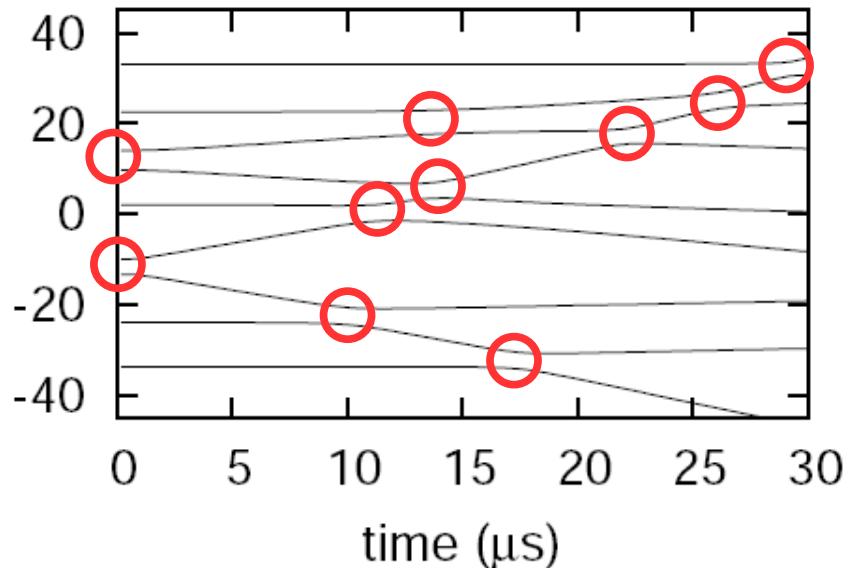


Many-particle repulsive interaction (1D)

regular spacing



some close pairs



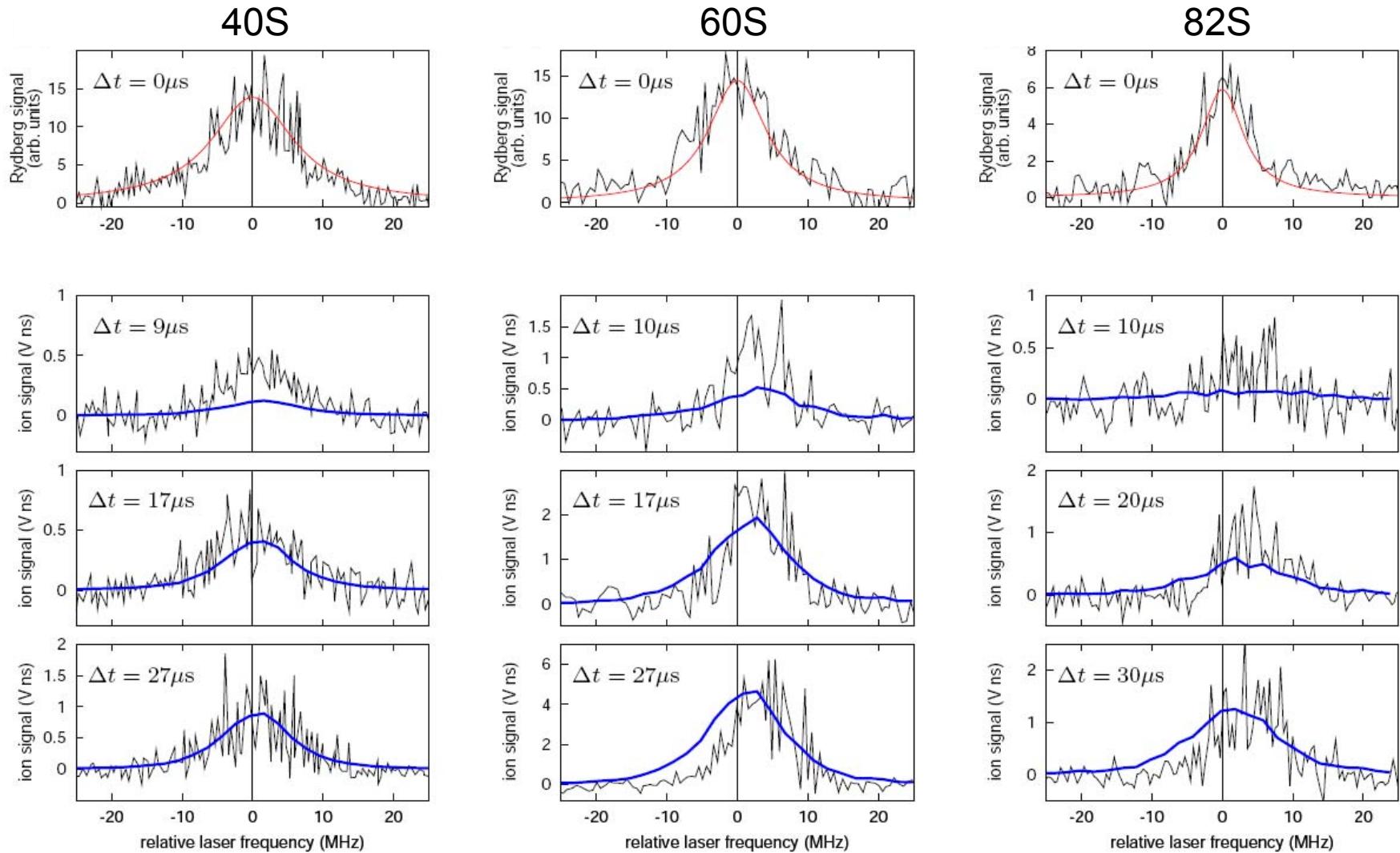
short distances always recurring

few black-body-induced collisions
on relevant timescales

many black-body-induced collisions
on relevant timescales



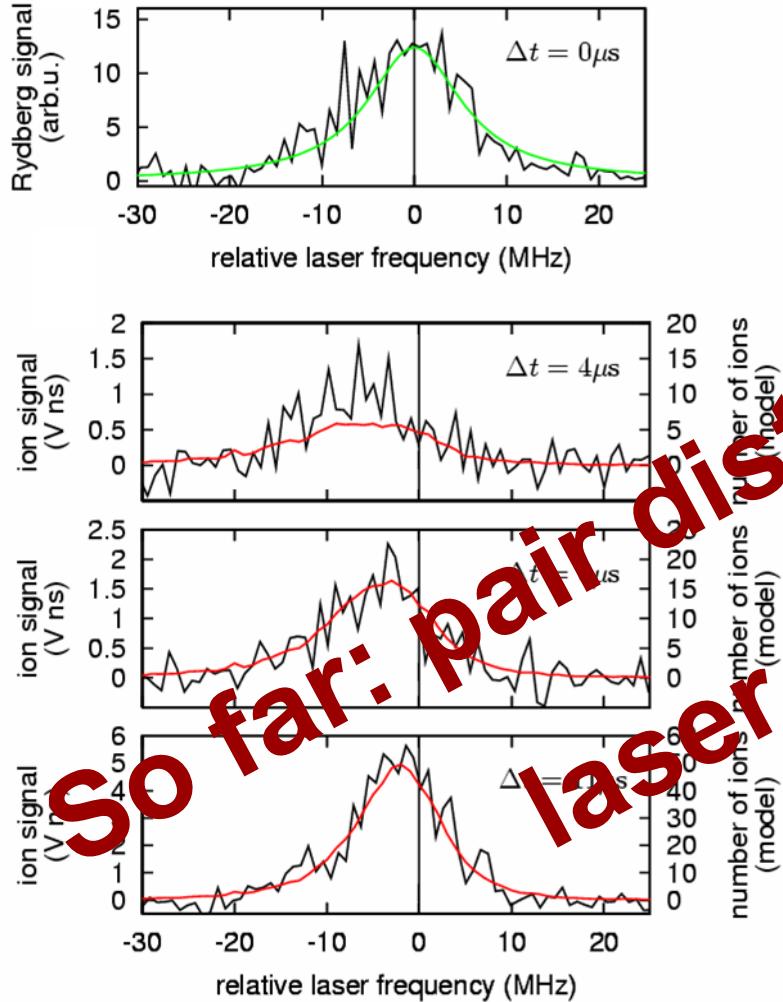
Ionization dynamics of repulsive states



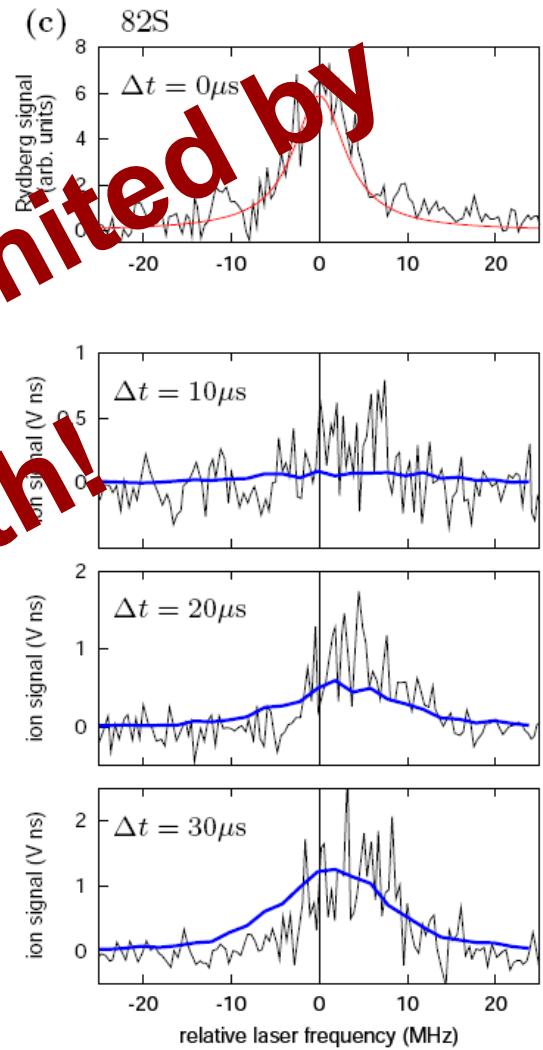


Manipulation of the pair distribution

62D (attractive)



82S (repulsive)



So far: pair distance limited by laser linewidth!



- Introduction to ultracold Rydberg physics
- Rydberg ionization dynamics observed in real time

attractive van-der-Waals-potentials

repulsive van-der-Waals-potentials

- Antiblockade of an interacting Rydberg gas

- Conclusion



Antiblockade proposal

PRL 98, 023002 (2007)

PHYSICAL REVIEW LETTERS

week ending
12 JANUARY 2007

Antiblockade in Rydberg Excitation of an Ultracold Lattice Gas

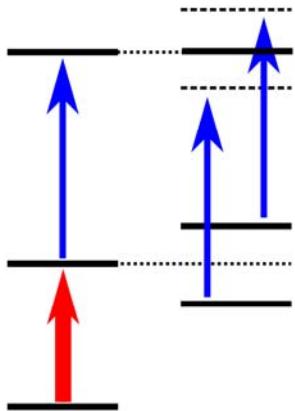
C. Ates,¹ T. Pohl,² T. Pattard,¹ and J. M. Rost¹

¹Max Planck Institute for the Physics of Complex Systems, Nöthnitzer Straße 38, D-01187 Dresden, Germany

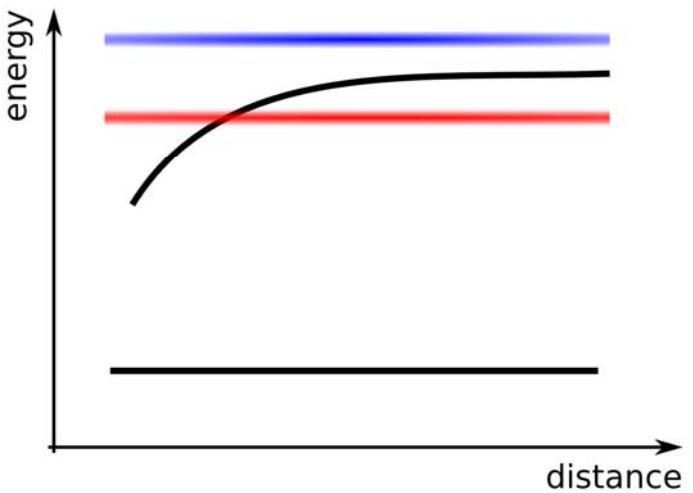
²ITAMP, Harvard-Smithsonian Center for Astrophysics, 60 Garden Street, Cambridge, Massachusetts 02138, USA

(Received 12 May 2006; published 8 January 2007)

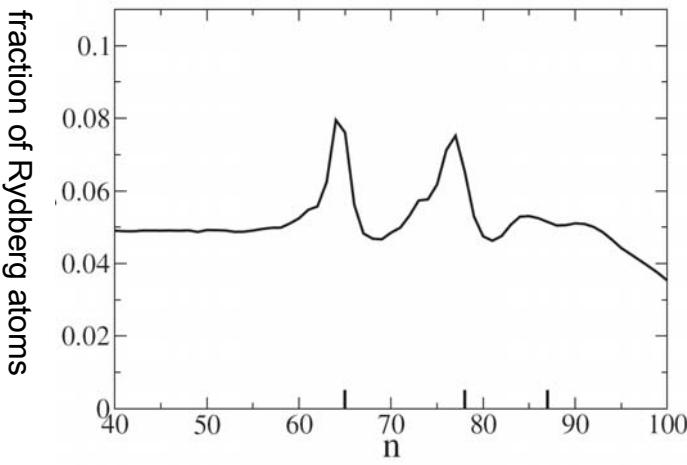
dressed atom picture



two atom picture



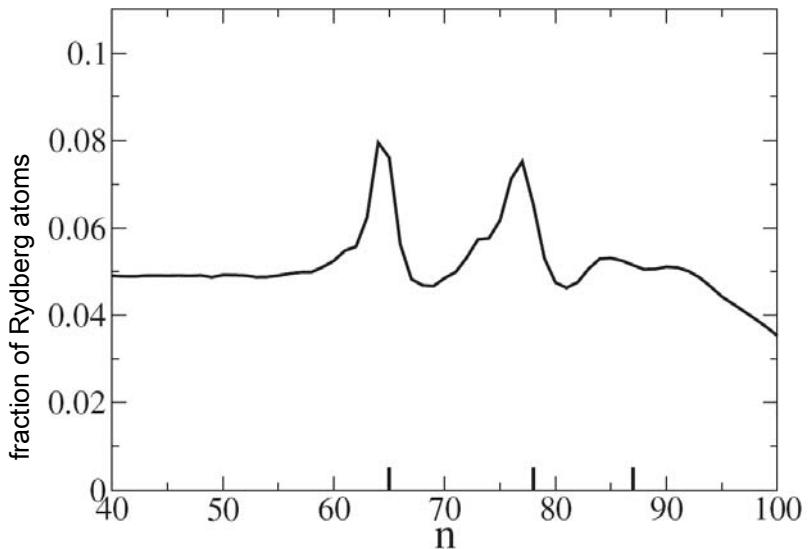
Antiblockade = enhanced Rydberg excitation





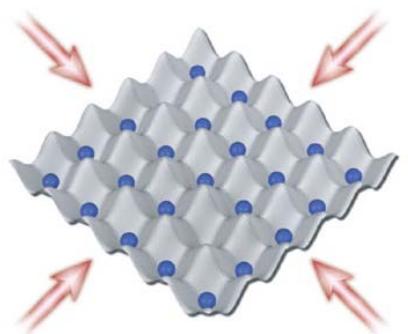
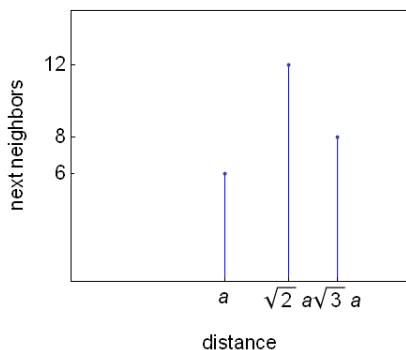
Antiblockade effect

- anti-blockade = enhanced Rydberg excitation



starting conditions:

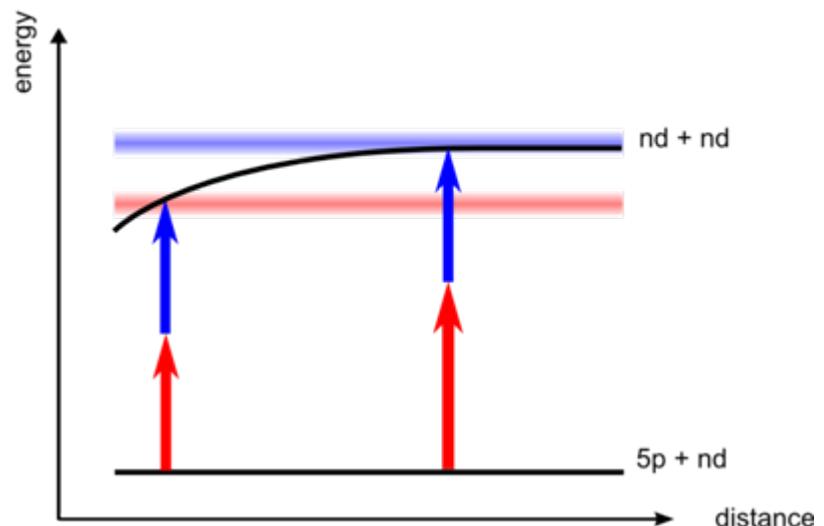
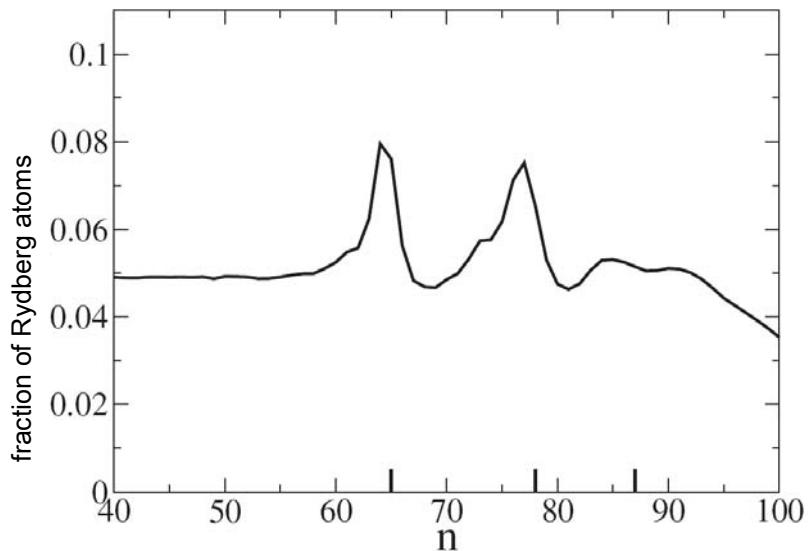
- 2-photon transition to produce AT splitting ($\Omega_1 = 22$ MHz)
- optical lattice ($a = 5$ μm)





Ways to reveal the antiblockade effect

anti-blockade = enhanced Rydberg excitation

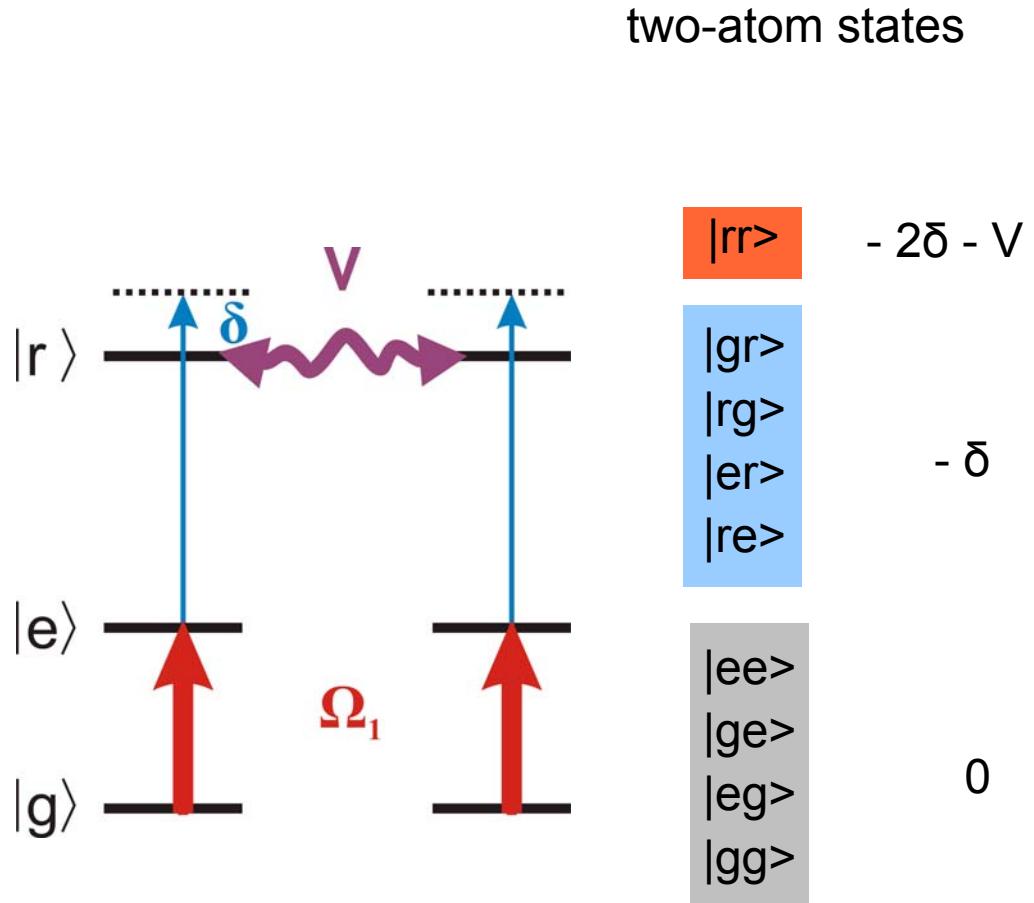


- discrete pair distribution $\delta(R, a_i)$
- **n-dependent energy shift $\Delta_R(n) \sim n^{11}$**
- resonance condition $h\Omega_1 = \Delta_R(n)$

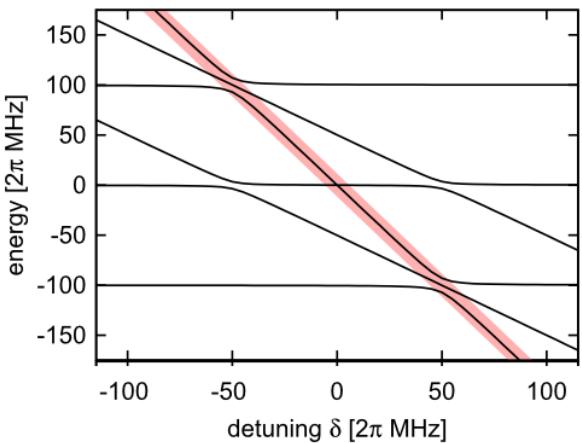
- continuous pair distribution $\sim R^2$
- **R-dependent energy shift $\Delta_n(R) \sim R^{-6}$**
- resonance condition $h\Omega_1 = \Delta_n(R)$



Two interacting three-level systems

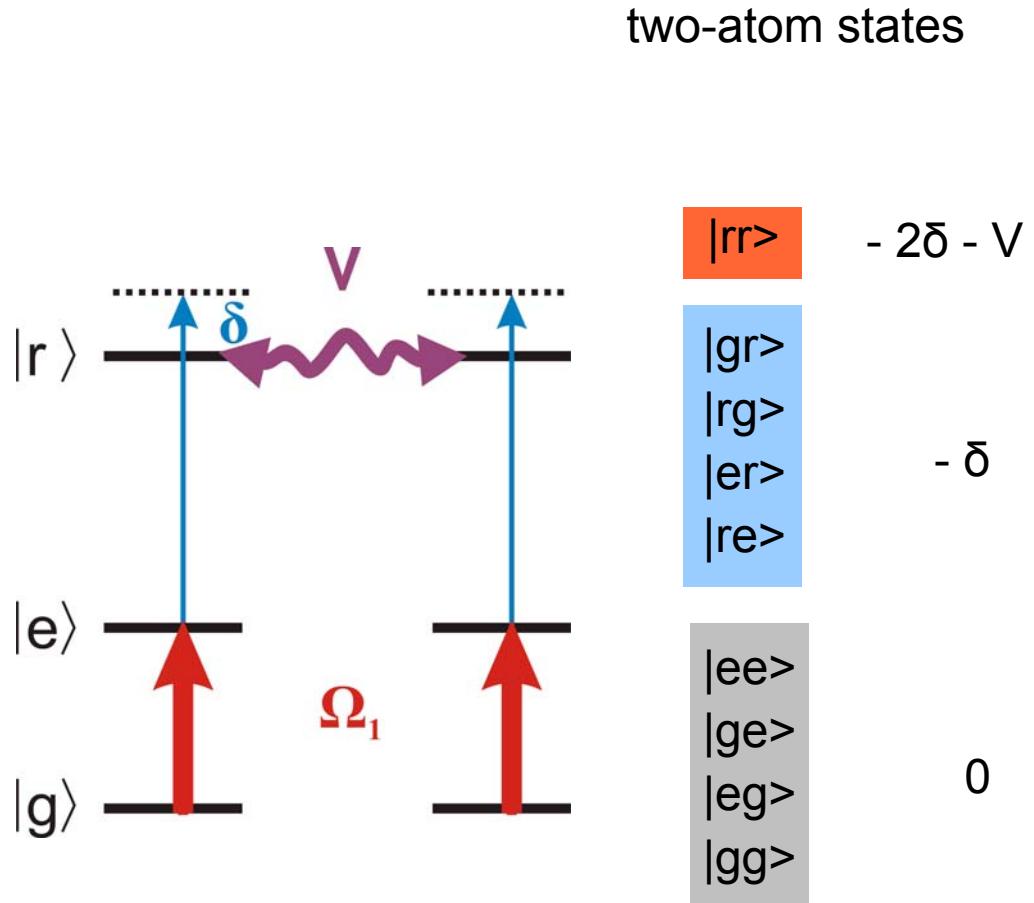


eigenstates of coupled system
with $V = 0$, $\Omega_1 = 100$ MHz

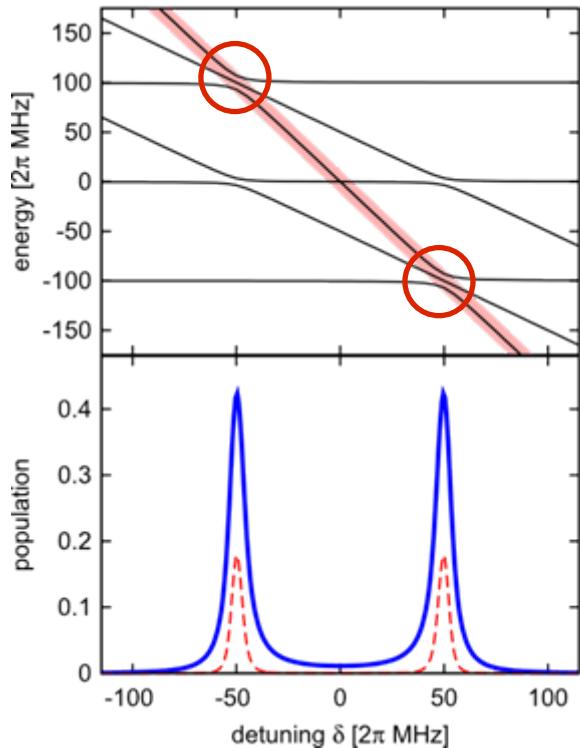




Two interacting three-level systems



eigenstates of coupled system
with $V = 0$, $\Omega_1 = 100$ MHz

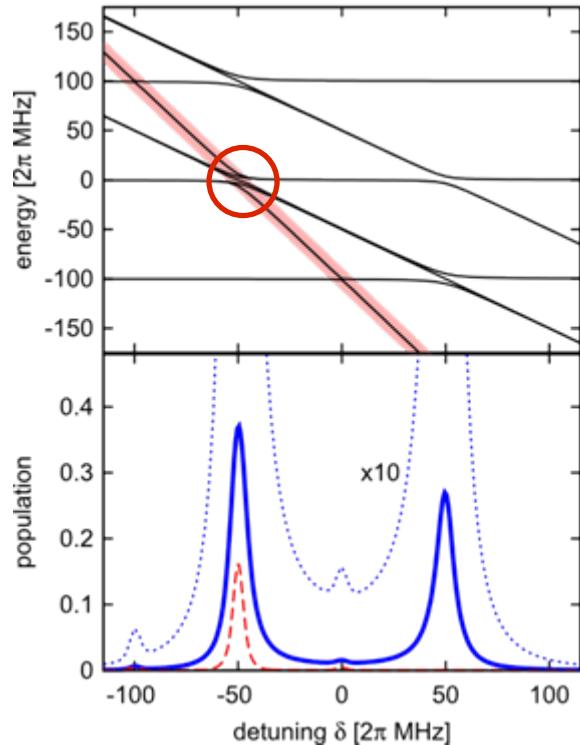


Autler-Townes-Splitting
due to Ω_1

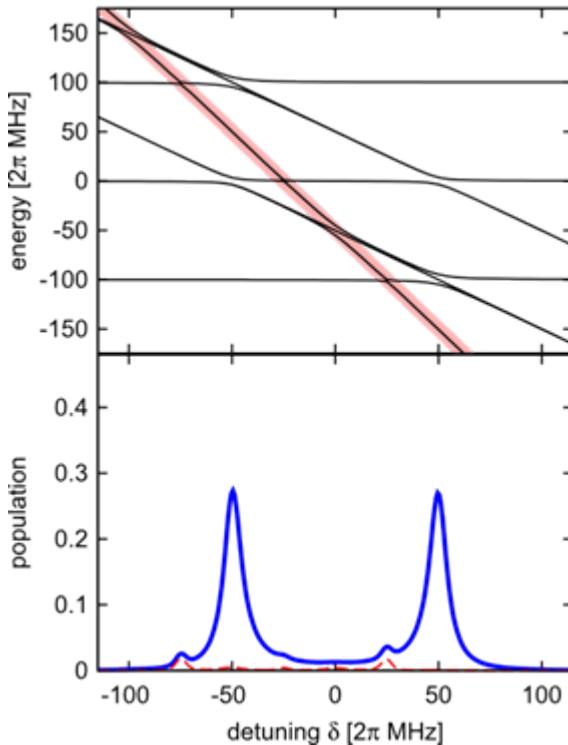


Blockade and antiblockade

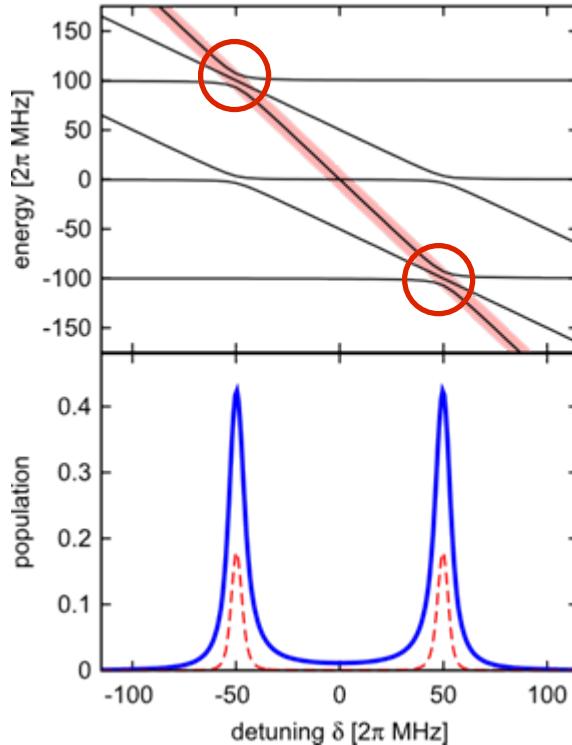
$V = \Omega_1$
 $\Omega_1 = 100 \text{ MHz}$
antiblockade



$V = \Omega_1/2$
 $\Omega_1 = 100 \text{ MHz}$
blockade



$V = 0,$
 $\Omega_1 = 100 \text{ MHz}$
no blockade

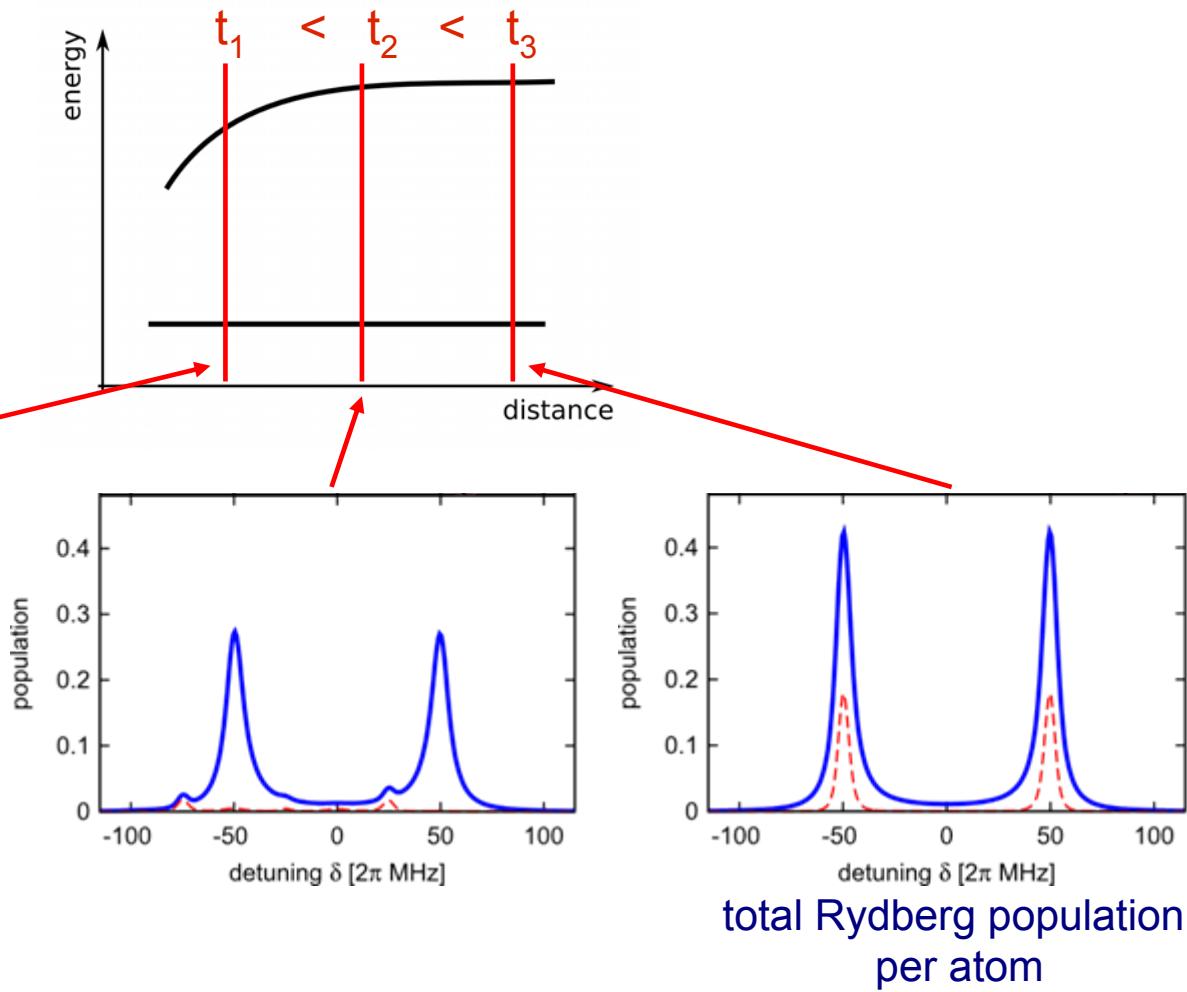


total Rydberg population
per atom

detectable as prompt ions ← undergoes Penning ionization ← population of $|rr\rangle$ only



Blockade and antiblockade



detectable as prompt ions ← undergoes Penning ionization ← population of $|rr\rangle$ only



Average over pair distribution

Random gas: All pair distances available

Large Rabi splitting → large interaction energies
→ only **nearest neighbors** are taken into account

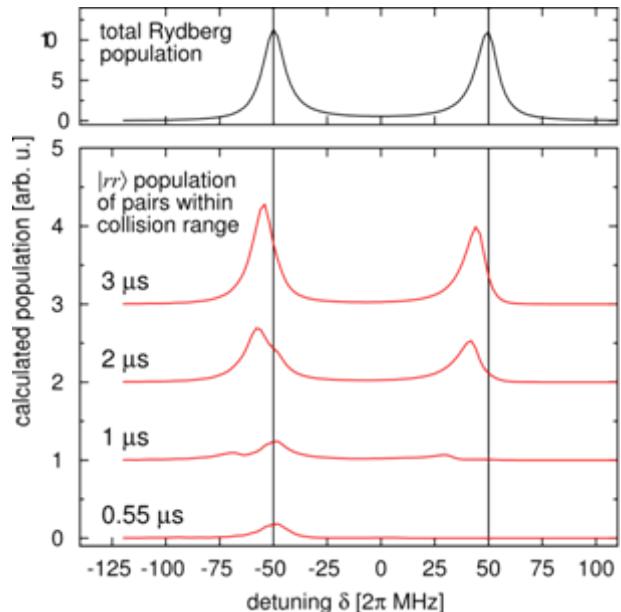
How to calculate the expected Penning ionization signal?

- Calculate excitation spectra for many pair distances
- Perform weighting with regard to nearest neighbor distribution
- Add up $|rr\rangle$ contribution of all spectra with a pair distance leading to a collision within a given time delay

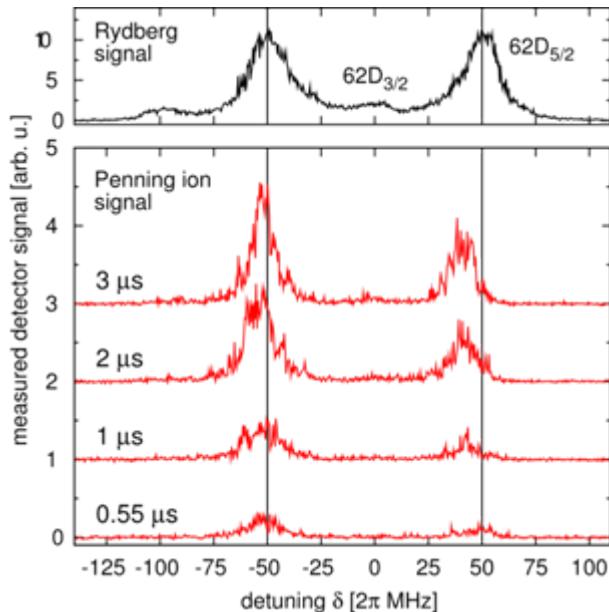


Penning ionization signals

Theoretical prediction



Experimental observation

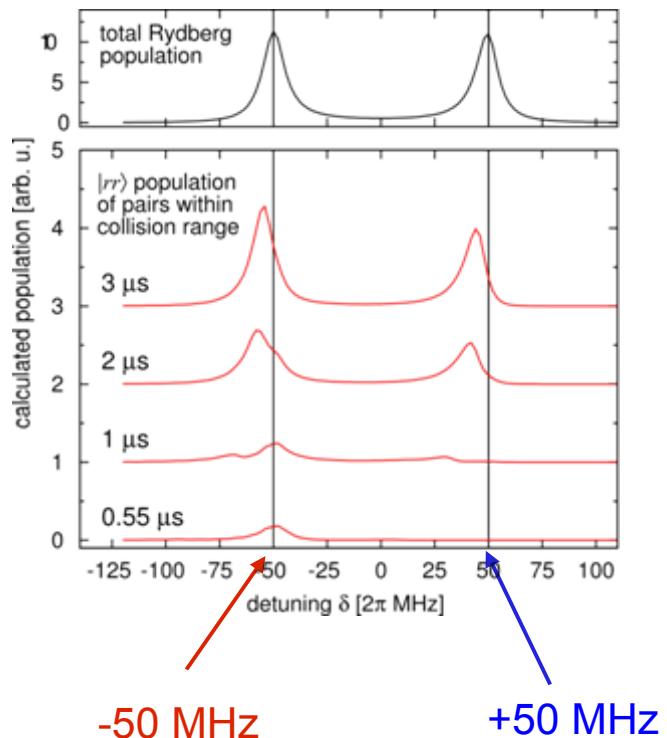


Asymmetry of Autler-Townes spectra
as evidence for antiblockade

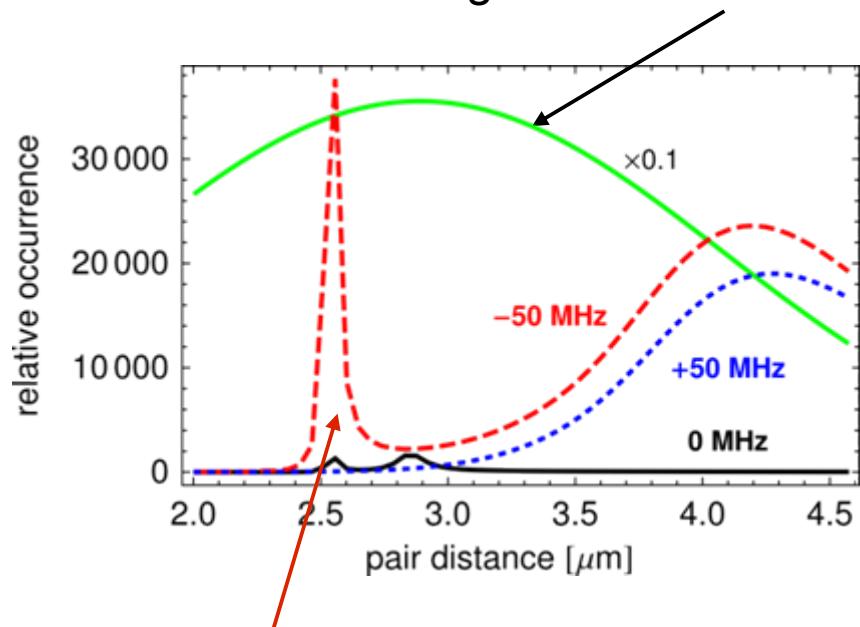


Nearest neighbor distribution

Theoretical prediction

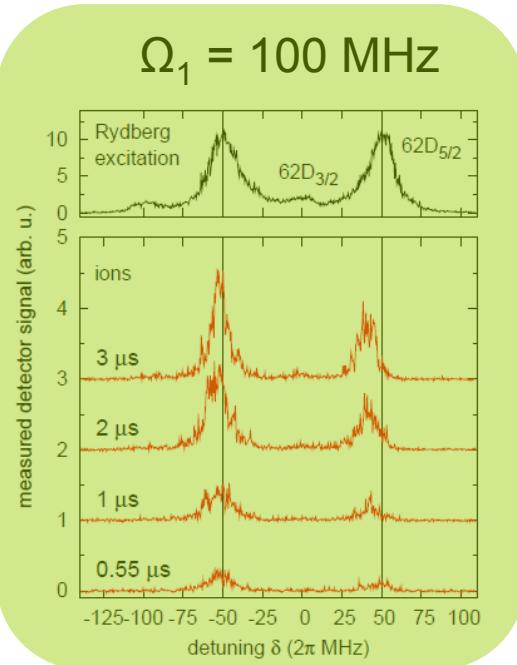
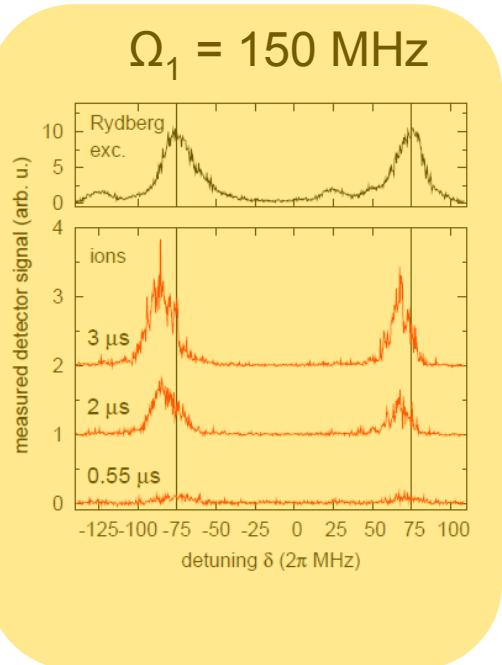


total nearest neighbor distribution

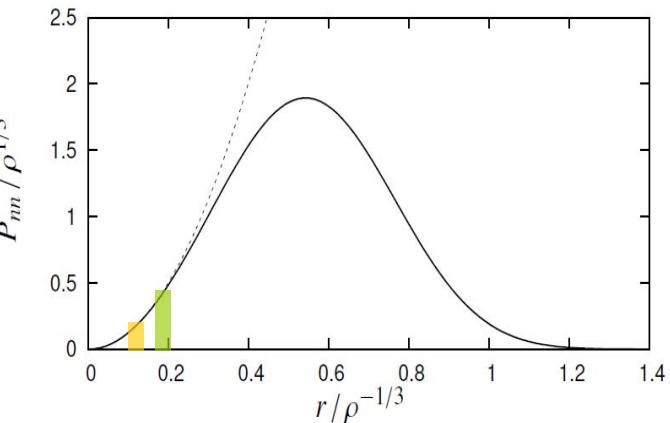


antiblocked pairs that cause
asymmetry of Autler-Townes spectra

Distinctness of asymmetry



nearest neighbor distribution



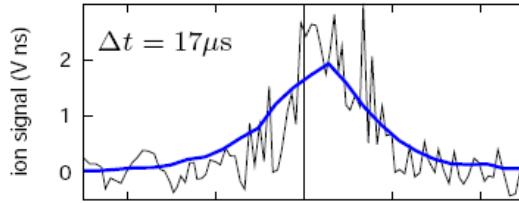
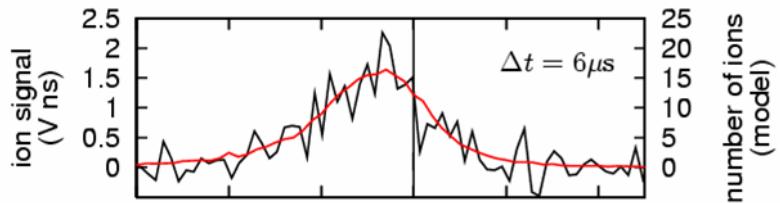
$$P_{nn}(r) = 4\pi r^2 \rho e^{-\frac{4}{3}\pi \rho r^3}$$

- distinctness of the asymmetry depends on availability of atom pairs for which $\hbar\Omega_1 = \Delta_n(r)$
- more pairs are available at **larger r**
→ asymmetry more pronounced for **smaller Ω_1**

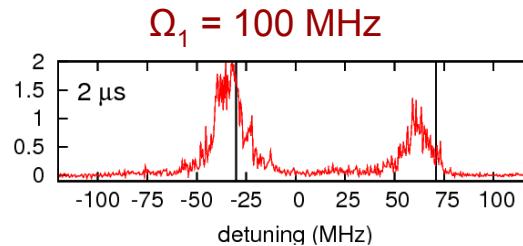
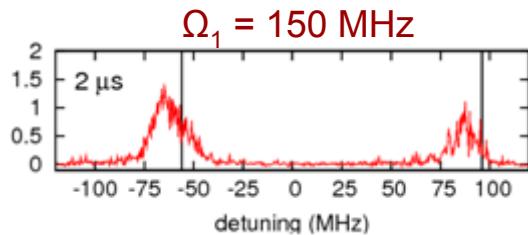
Conclusion



- Real time observation of Ionization dynamics



- First experimental evidence of the antiblockade



- Manipulating the pair distribution by detuned Rydberg excitation

