

Statistical and numerical downscaling approaches
over southern South America

Sebastian Wagner
GKSS Research Center, Geesthacht

— Motivation

— Introduction of the climate in southern South America

— Statistical Downscaling

— Dynamical/Numerical Downscaling

— Summary and Outlook

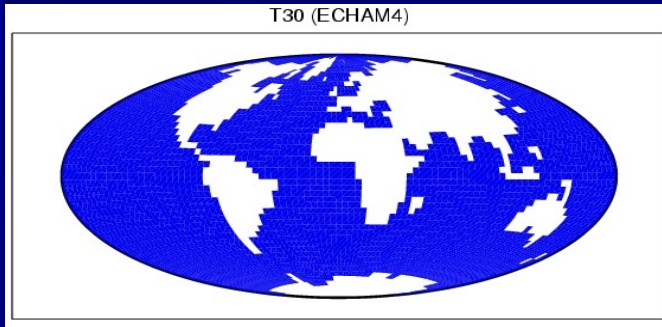
_Motivation I

Problem:

Scale gap between skilful scale of GCM and local scale of proxy/climate impact analysis

Solution approach:

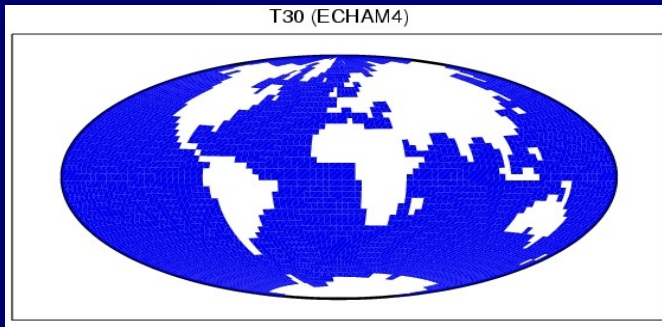
Downscaling of large scale GCM output



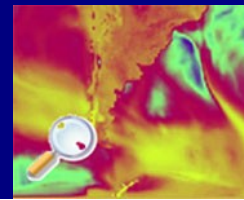
Statistical transfer function



$$\sum_{k=1}^n k =$$



Numerical regional model



_ Assumption for statistical downscaling:

Validity of transfer function in statistical downscaling model

_ How can the validity of this assumption be tested ?

1st: carry out statistical downscaling setup by observations and downscale GCM output

2nd: carry out numerical downscaling with same GCM used for 1st

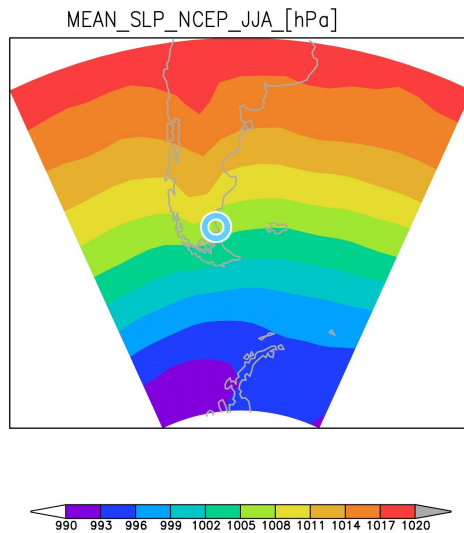
_Introduction to the climate of southern South America



→ **Potrok Aike [PTA]
Crater Lake**

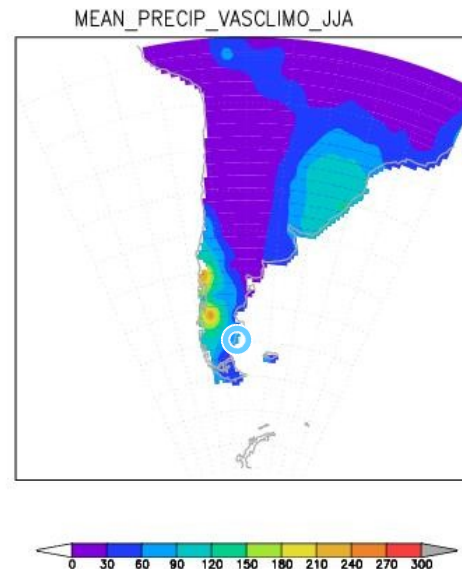
_Introduction to the climate of southern South America

Mean SLP JJA



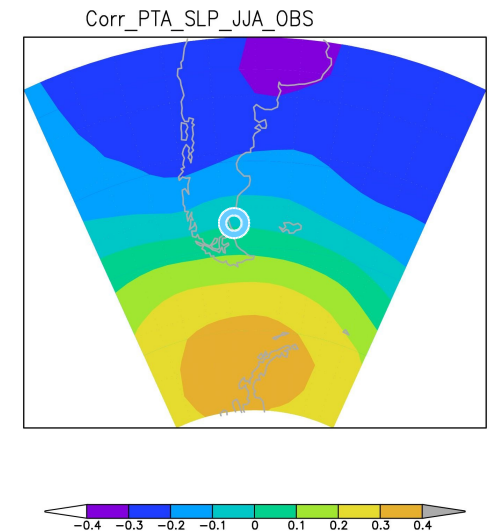
Strong mean westerly flow

Mean PRECIP JJA



Precipitation 'hot spots' due to rare station availability and interpolation of station precipitation

PRECIP_PTA-SLP



Precipitation–circulation relationship at Lake PTA: weakened westerlies lead to increased precipitation

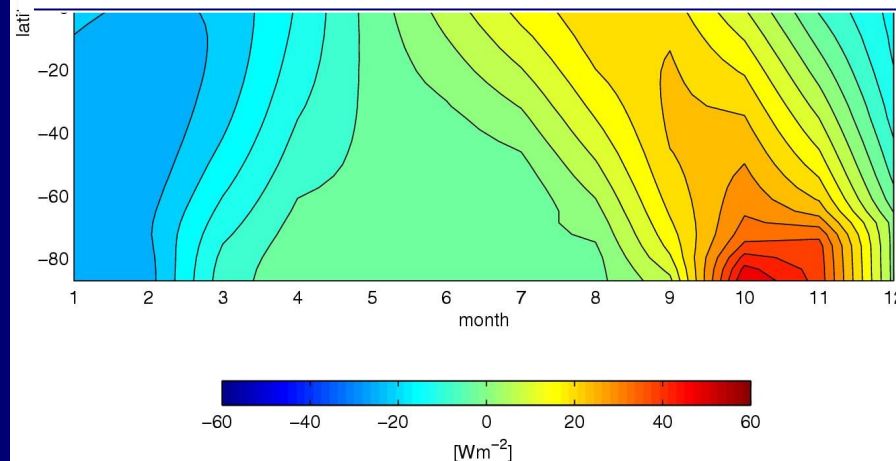
_Introduction to the climate of southern South America

_Simulation with GCM of

- Pre-Industrial climate [PI, 1750 AD]
- Mid-Holocene climate [MH, 6000 BP]
(orbital, solar, GHG)

Difference in shortwave insolation
between Mid-Holocene and pre-industrial:

Increased seasonal insolation cycle



$$\sum_{k=1}^n k =$$

Statistical downscaling

Principal Component Regression (PCR):

$$PREC(t) = a_0 + \sum_{k=1}^K a_k^{SLP} c_k^{SLP}(t) + \varepsilon(t)$$

Estimation of principal components by means of EOF

$$\vec{X} = \sum_{j=1}^J c_j \vec{e}^j$$

$$c_j = X^T \cdot e_j \quad c_j \cdot c_k = 0 \mid j \neq k$$

Estimation of GCM-modelled principal components c_j

$$c_j^{mo} = X^{T,mo} \cdot e_j^{obs}$$

$$\sum_{k=1}^n k =$$

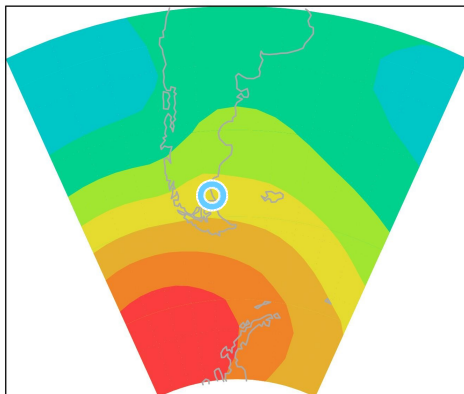
_Statistical downscaling

Climate-circulation regression coefficients a_i for JJA for observations:

Physical plausibility with precipitation at Lake site PTA

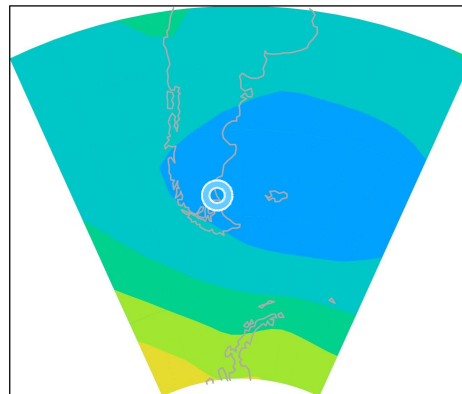
$$a_1^o = +0.34$$

EOF1



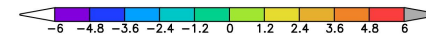
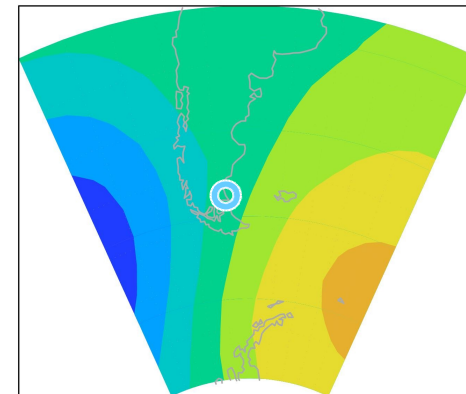
$$a_2^o = +0.18$$

EOF2



$$a_3^o = +0.13$$

EOF3



Model skill:

r_{crossval}

DJF
+0.2

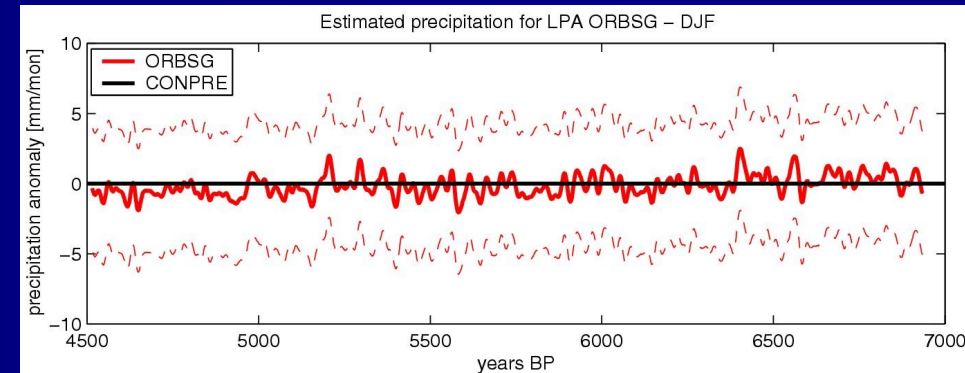
JJA
+0.44

$$\sum_{k=1}^n k =$$

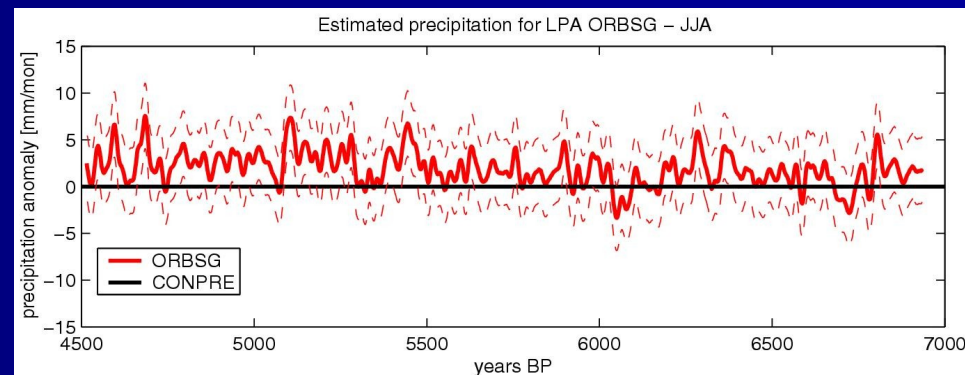
_Statistical downscaling

_Result for precipitation at Lake [PTA] in south-eastern Patagonia for difference mid-Holocene – pre-industrial:

_Reduced precipitation during DJF
[mean MH-PI: -1.4%]

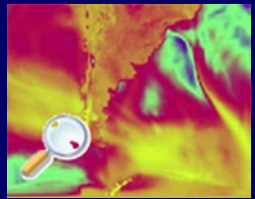


_Increased precipitation during JJA
[mean MH-PI: +7.7%]



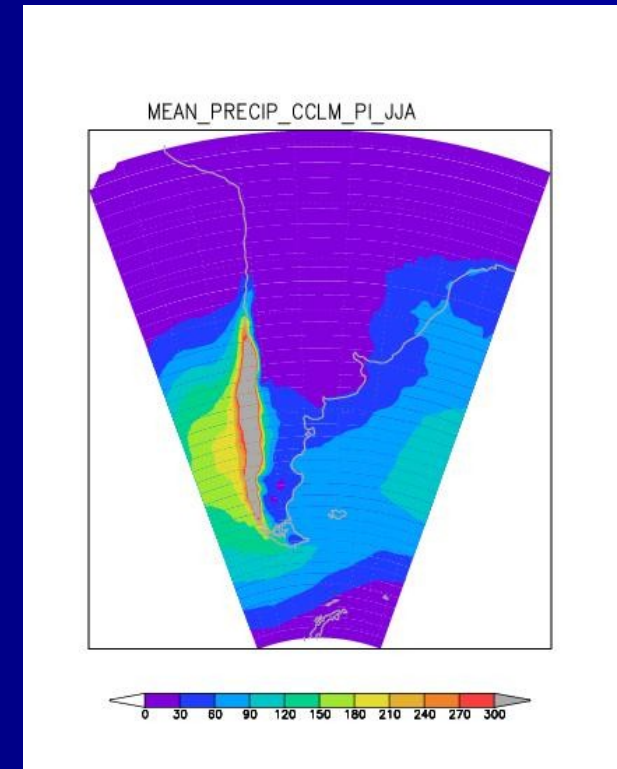
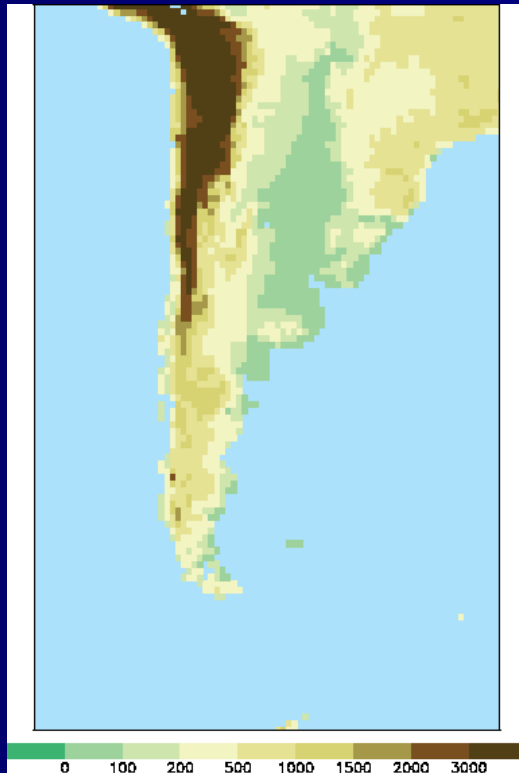
_Confidence intervals:

$$2\sigma = 1.98 * \sqrt{\text{var}(\varepsilon)}$$

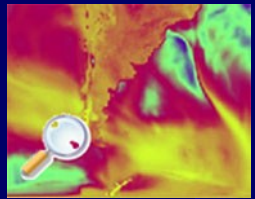


_Numerical downscaling

Orography [0.44x0.44] CCLM and mean precipitation for JJA:



Regional model shows longitudinal band of increased precipitation along Andes mountains – difference to gridded obs. VASCLIMO data [cf. p.

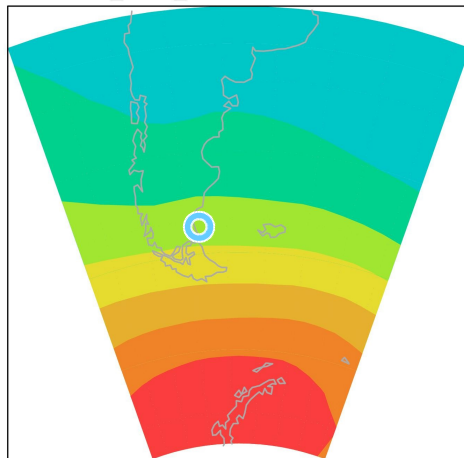


_Numerical downscaling

Test of circulation-climate relationship for the mid-Holocene:

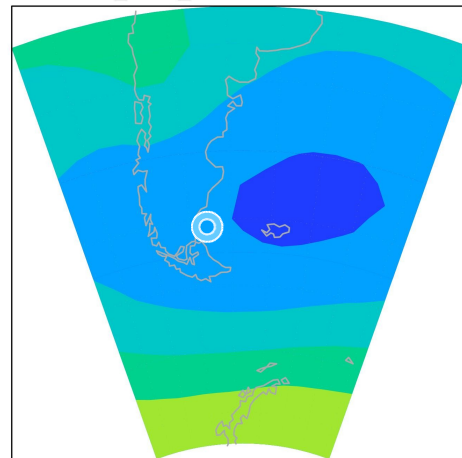
$$a_1^m = +0.36$$

EOF1_CCLM_MH



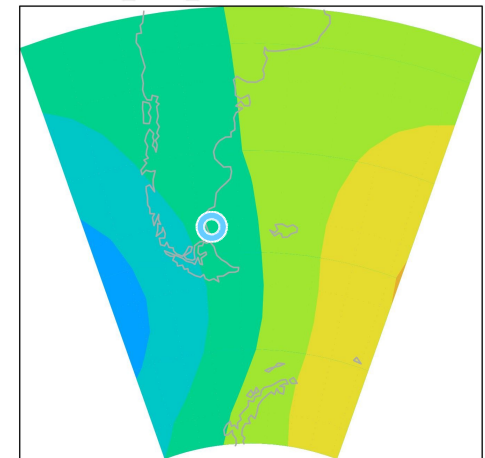
$$a_2^m = +0.2$$

EOF2_CCLM_MH

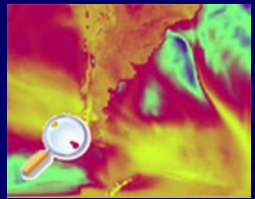


$$a_3^m = +0.1$$

EOF3_CCLM_MH

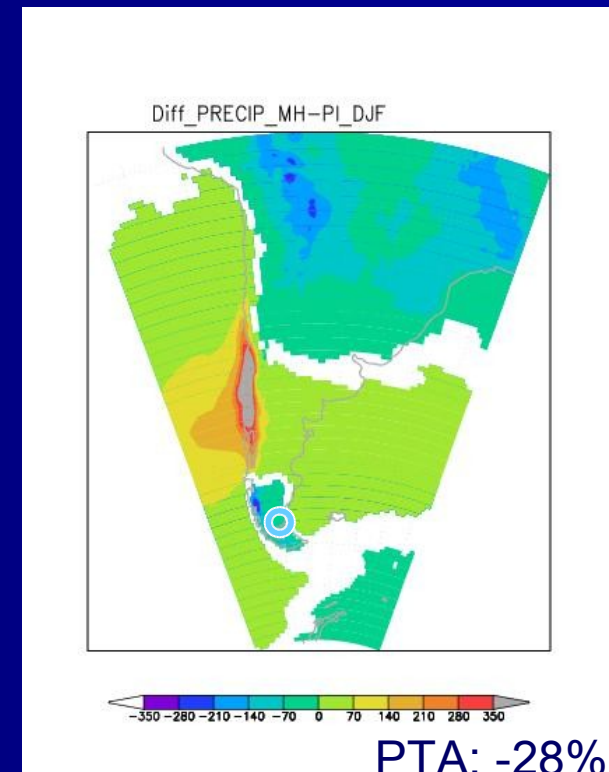
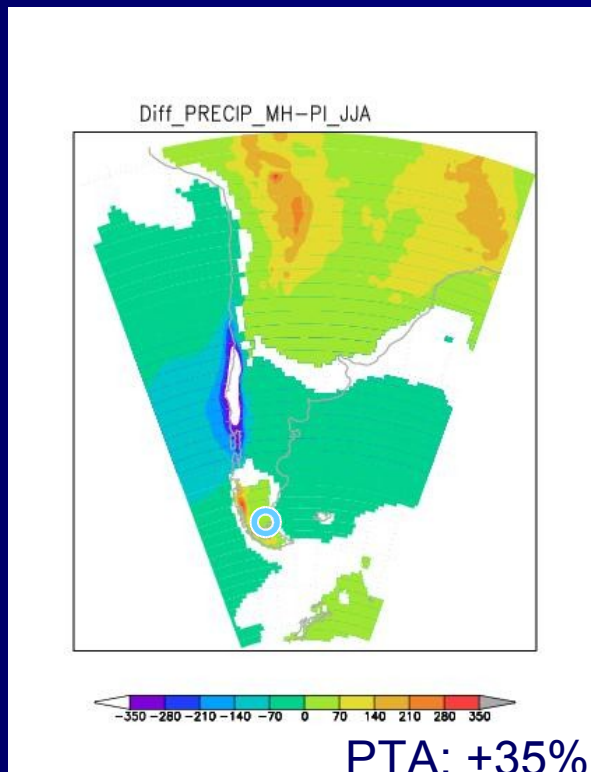


Basic atm. circ. patterns and links with precipitation at PTA are well reproduced by regional model [cf. p. 9]



_Numerical downscaling

Mean precipitation differences between Precipitation MH-PI:



Complex spatial pattern with opposite signs for JJA and DJF

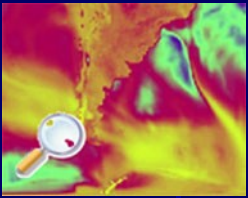
$$\sum_{k=1}^n k =$$

_Summary I

_Physical plausibility of the statistical model

_Less is more: fewer predictors but stable model

_Residuals for estimation of uncertainty due to statistical model



_Summary II

- _ Numerical regional models for estimating spatial patterns of climate change
- _ Validity of assumptions in the circulation-climate relationship
- _ Results of numerical DS are in accordance with SD



_Outlook: Quo vadis ?

_Range rather than resolution: Sensitivity to driving GCMs

_Skilful model chain: A chain is as strong as its
weakest link

_Paleo-Perspective: Revisiting of hypothesis derived
from proxy

Thank you for your attention!