



Cold Metastable Neon Atoms Towards Degenerated Ne*- Ensembles

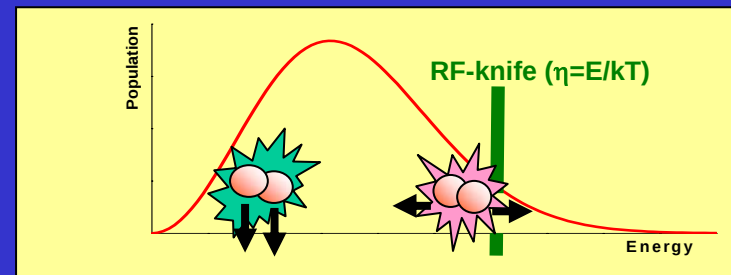
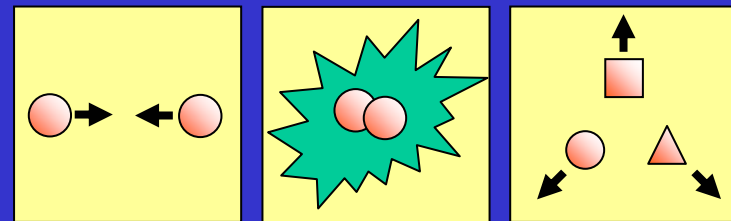
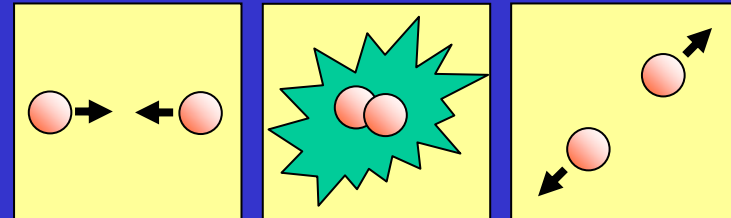
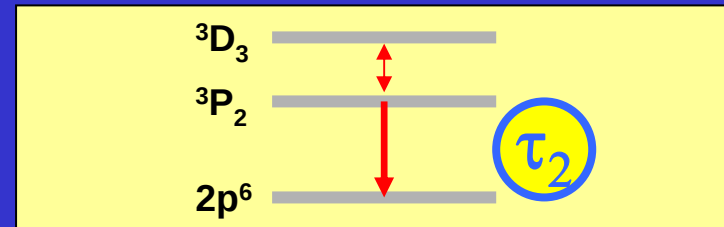
Supported by the DFG Schwerpunktprogramm SPP 1116
and the European Research Training Network „Cold Quantum Gases“

Peter Spoden, Martin Zinner, Norbert Herschbach, Wouter van Drunen

Gerhard Birkel and W.E.

Outline

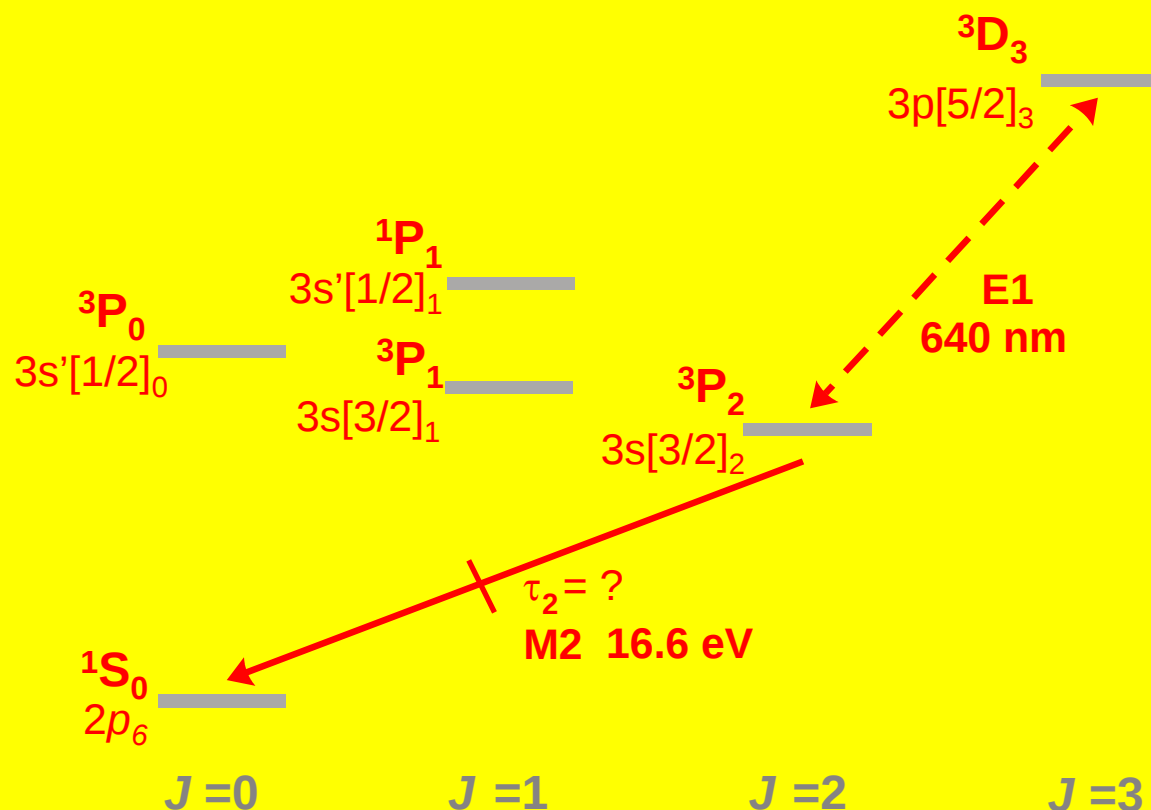
- Metastable neon
- 3P_2 -Lifetime
- Elastic collisions and scattering length
- Inelastic collisions and their suppression
- Evaporative cooling
- Outlook



Neon

Naturally occurring Neon-Isotopes

Mass	Abundance [%]	Nuclear Spin
20	90.48	0
21	0.27	3/2
22	9.25	0



- Laser-cooling parameters:

Wavelength 640 nm

Doppler limit 200 μ K

Recoil limit 2.3 μ K

Penning-Ionization:



From atomic physics to BEC

Atomic physics

- Lifetime of the metastable state: ?
M. Zinner et al., PRA 67, 010501(R) (2003)

Collision physics

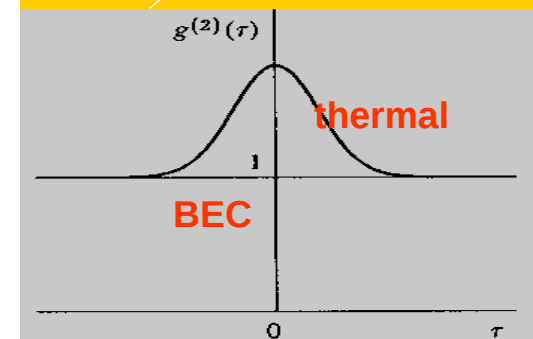
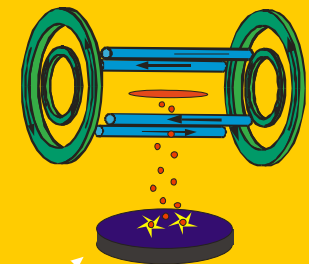
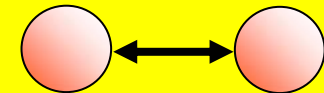
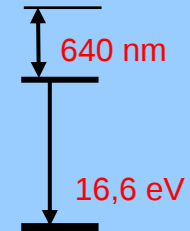
- Rates of elastic and inelastic collisions
- Suppression of Penning-Ionization by spin-polarization: 10^4 ?

Electronic Detection

- Direct, highly efficient detection of Ne^* and Ne^+
- Real-time detection of ions
- Spatially resolved detection of atoms

Bose-Einstein-Condensation

- Investigation of collective excitations
- Measurement of higher order correlation functions

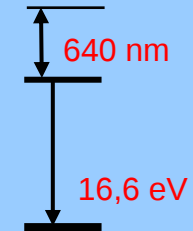


From atomic physics to BEC

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- Lifetime of the metastable state: ?

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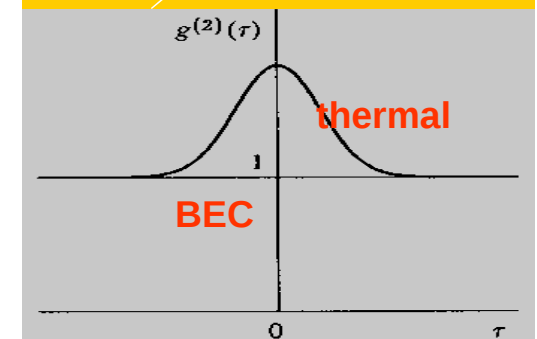
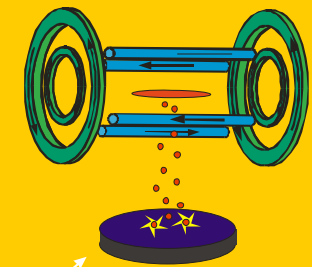
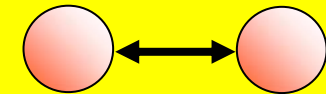
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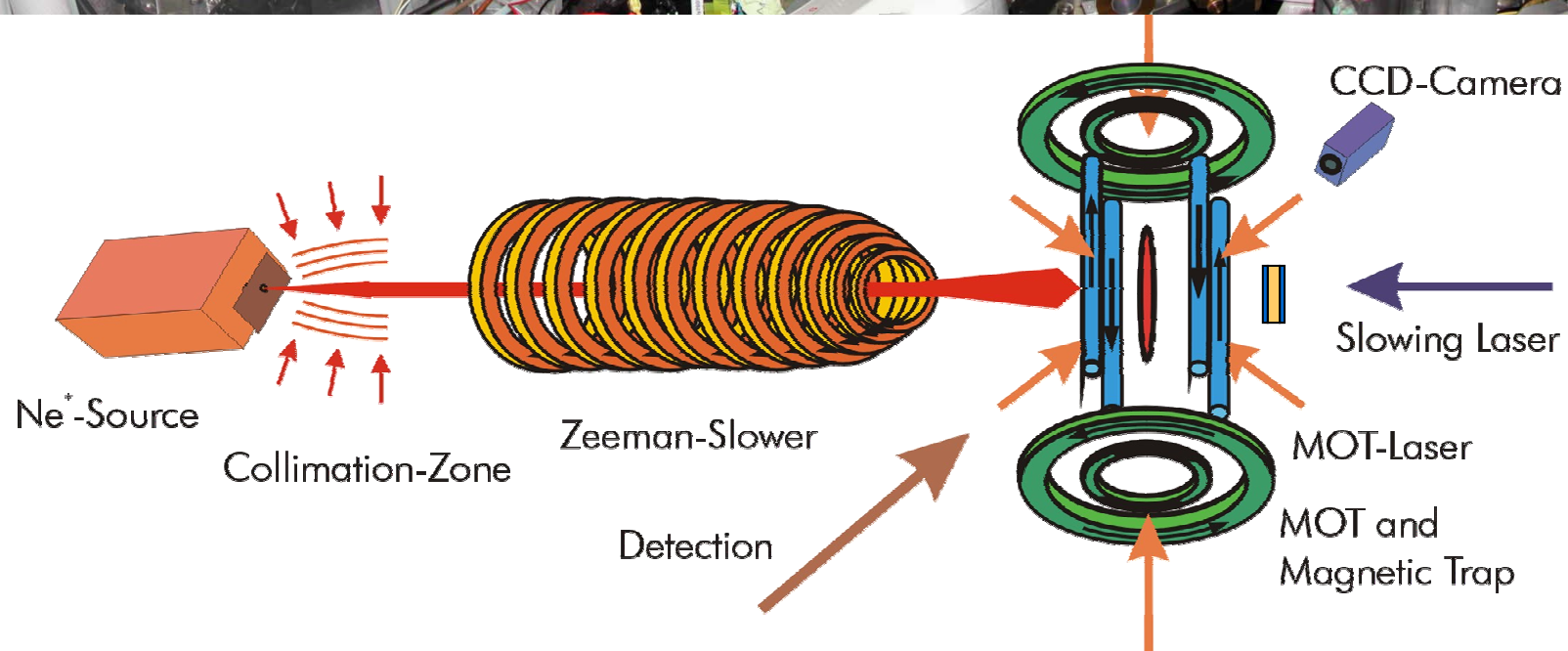
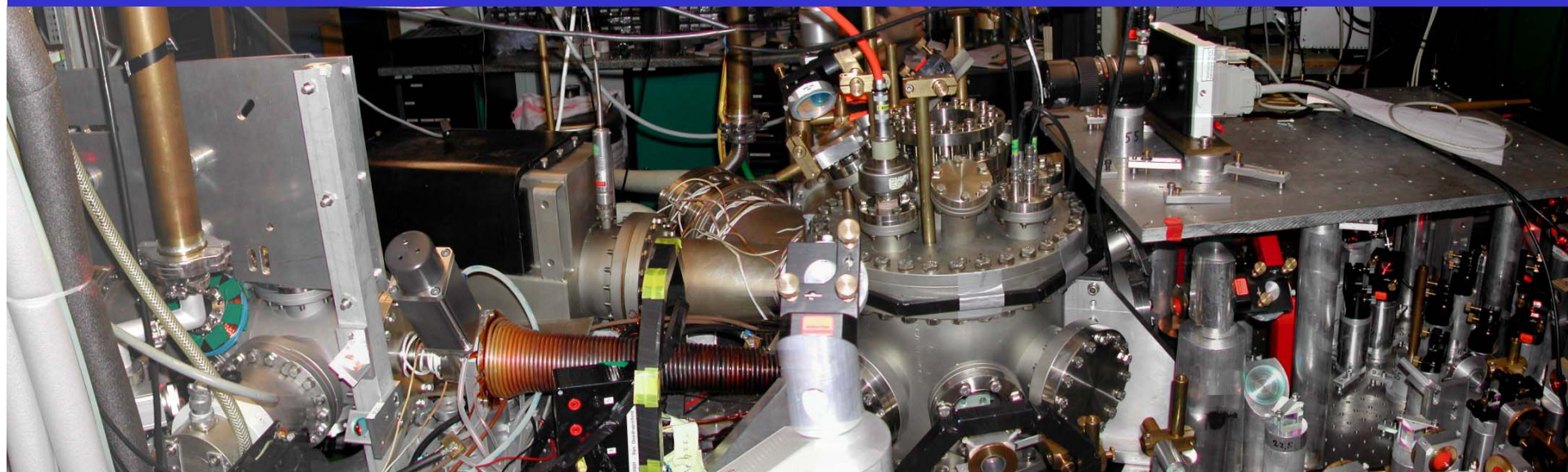
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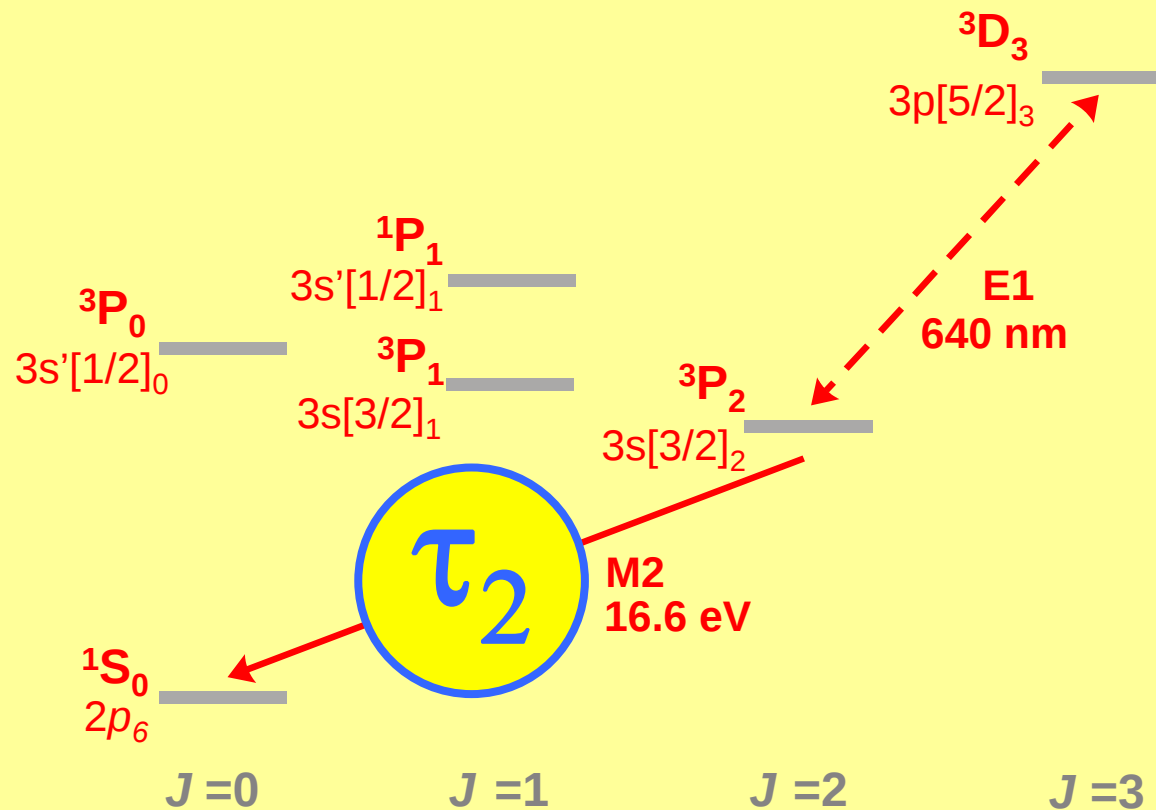
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Experimental Setup

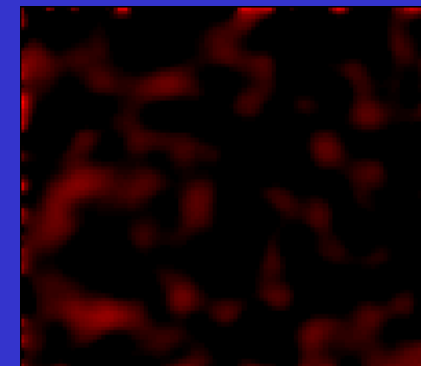


Lifetime of the metastable state



After Loading
the MOT

observation of
decay by
fluorescence



Fluorescence of ^{20}Ne in a MOT

- MOT decay

$$\dot{N} = -\alpha N - \beta \frac{N^2}{V_{\text{eff}}}$$

- Origins of one-body losses

$$\alpha = \frac{\pi_2}{\tau_2} + \frac{\pi_3}{\tau_3}$$

radiative decay

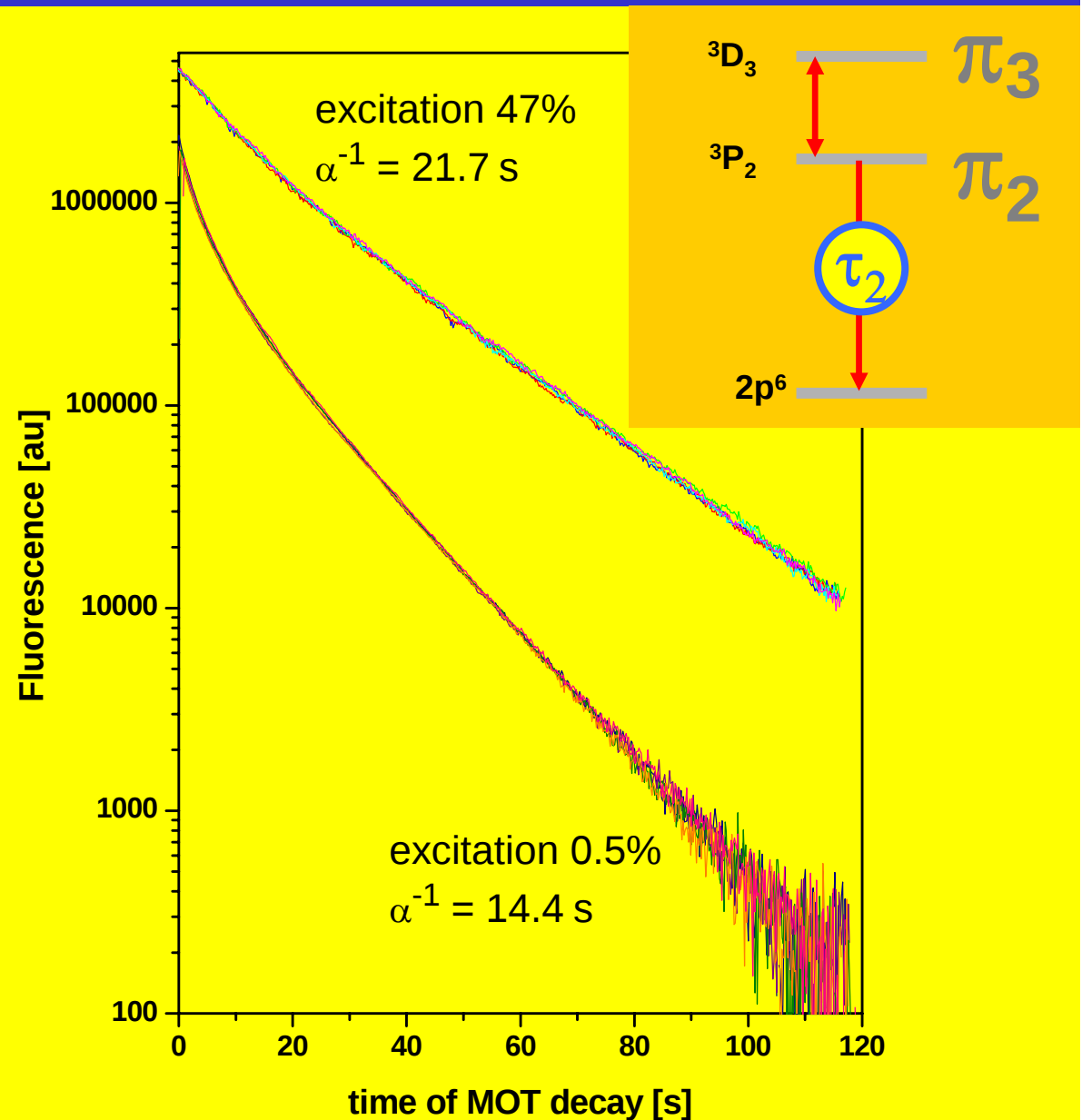
$$+ \gamma \cdot p$$

background collisions

$$+ \alpha_{\text{FT}}$$

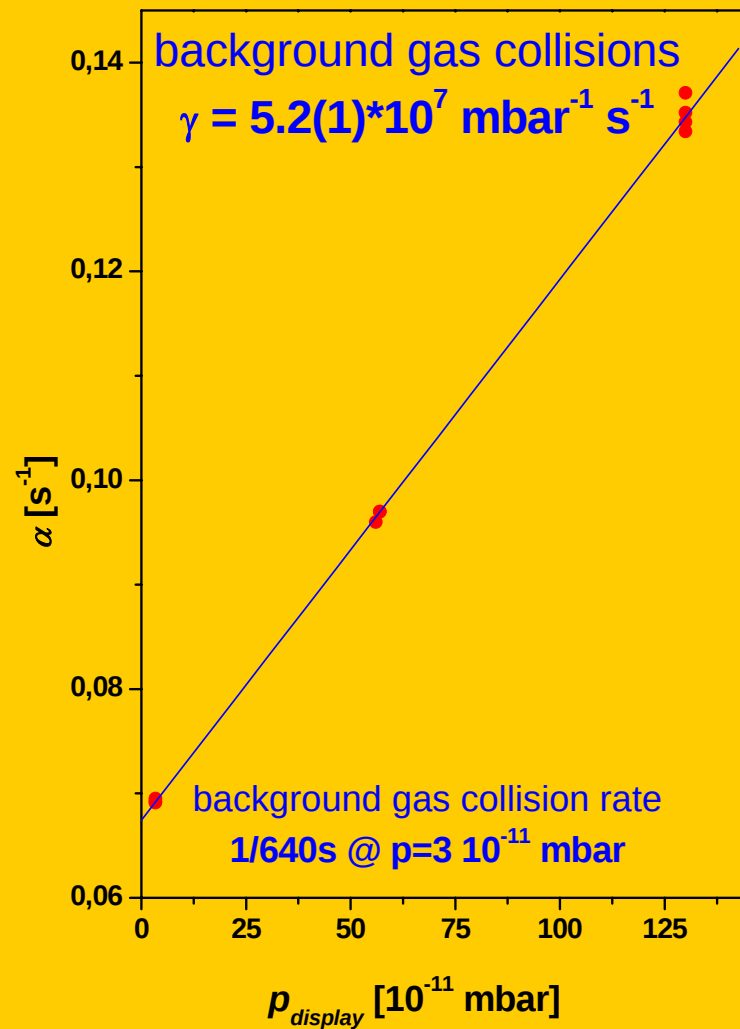
finite trap depth

- population of $^3\text{P}_2$ -state: π_2
- population of $^3\text{D}_3$ -state: π_3



Background gas collisions: $\gamma \cdot p$

- Pressure dependency of MOT decay



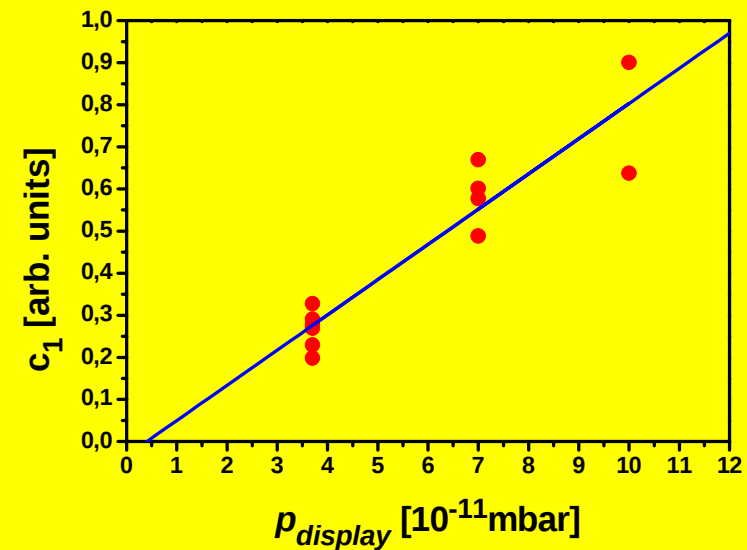
- Offset of pressure gauge: $4(7) \cdot 10^{-12} \text{ mbar}$

- Ionization processes:



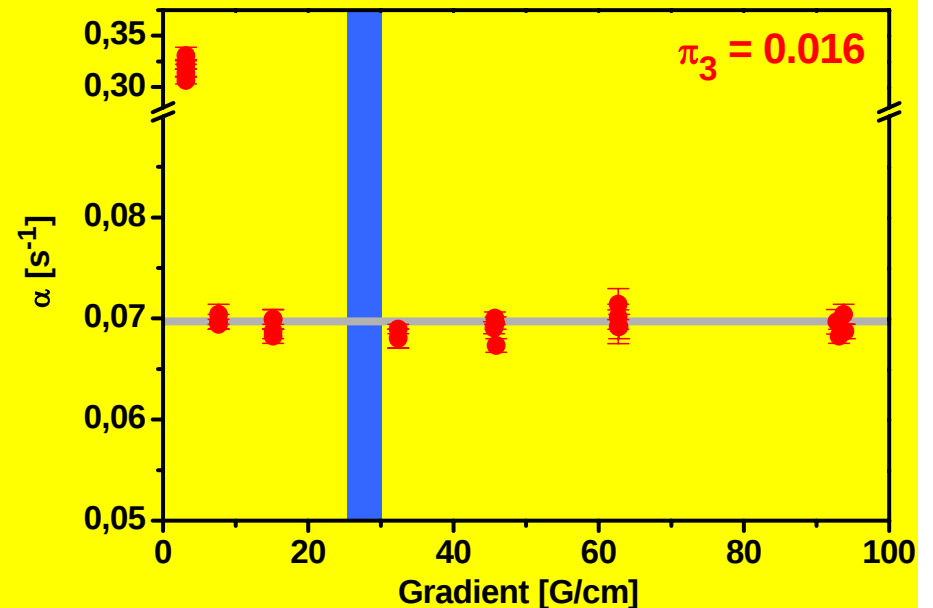
- Ion signal on MCP:

$$R_{\text{ion}}(t) = c_1(p) N(t) + c_2 N^2(t)$$



Influence of finite trap depth

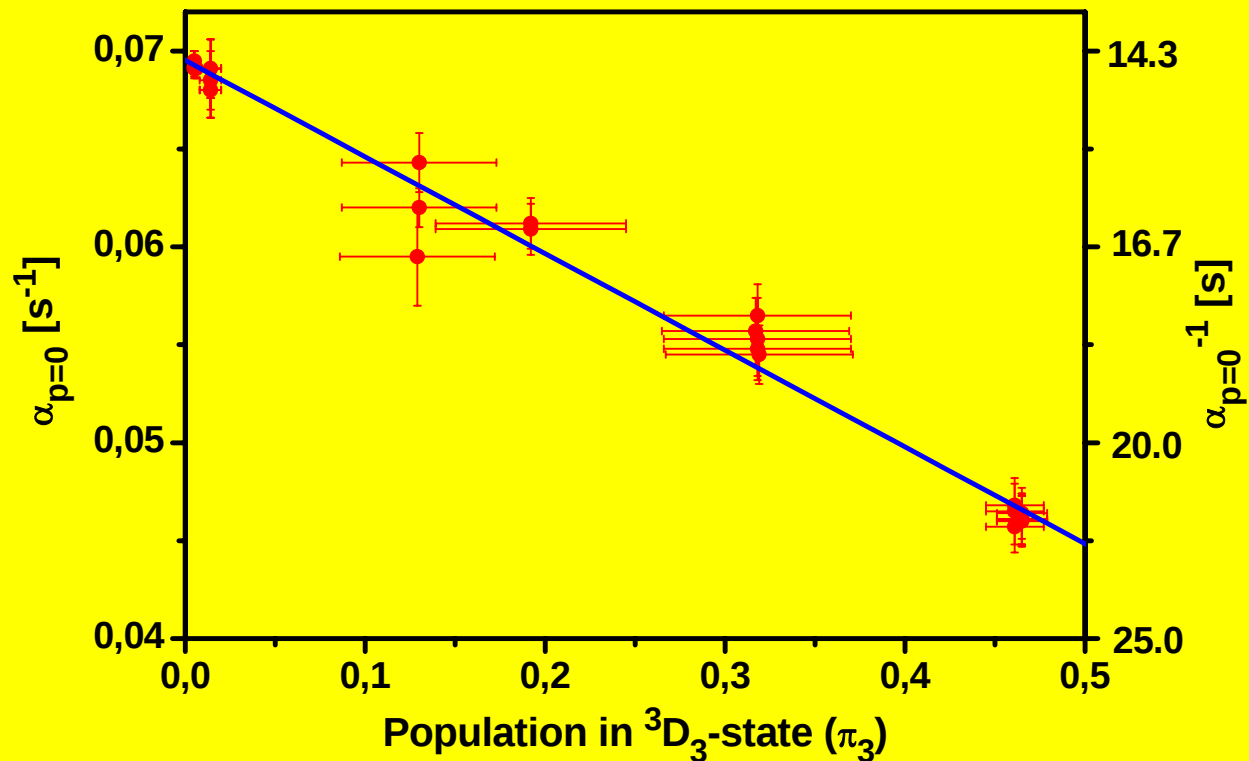
- For an infinitely large MOT:
trap depth and
escape velocity become infinite
- therefore: let the gradient B' approach zero!
- In practice:
Trap depth remains finite
due to finite size of laser beams



• No significant dependency of α on B'

• No correction needed for low excitation measurements

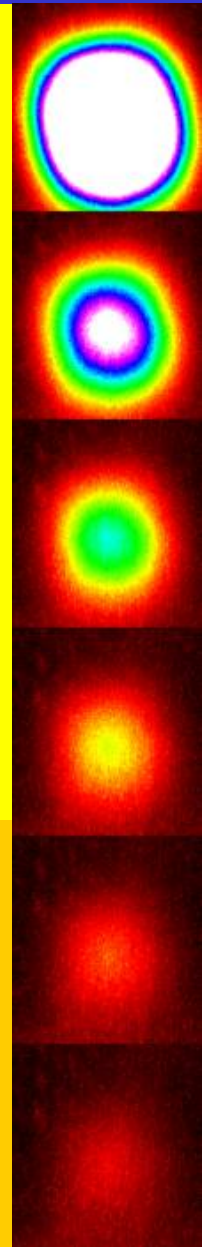
Lifetime τ_2 of the metastable 3P_2 -state



Error budget:	measured α	0.06918(51) s^{-1}
	p=0 extrapolation	- 0.00156(37) s^{-1}
	$\pi=0$ extrapolation	+ 0.00028(13) s^{-1}
	thus: $\alpha(p=0, \pi=0)$	0.06790(64) s^{-1}

τ_2

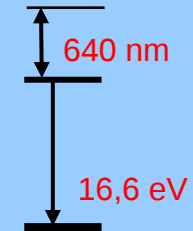
14.73(14) s



From atomic physics to BEC

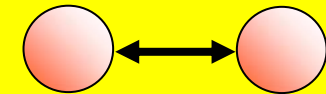
Atomic physics

- Lifetime of the metastable state: 14.73(14)s
M. Zinner et al., PRA 67, 010501(R) (2003)



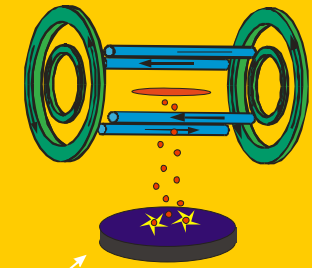
Collision physics

- Rates of elastic and inelastic collisions
- Suppression of Penning-Ionization by spin-polarization: 10^4 ?



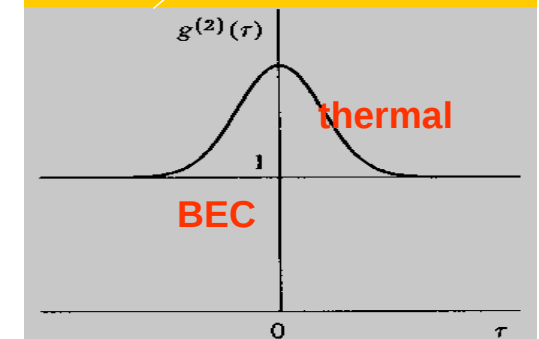
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Bose-Einstein-Condensation

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Preparation of spin-polarized atoms

Sequence

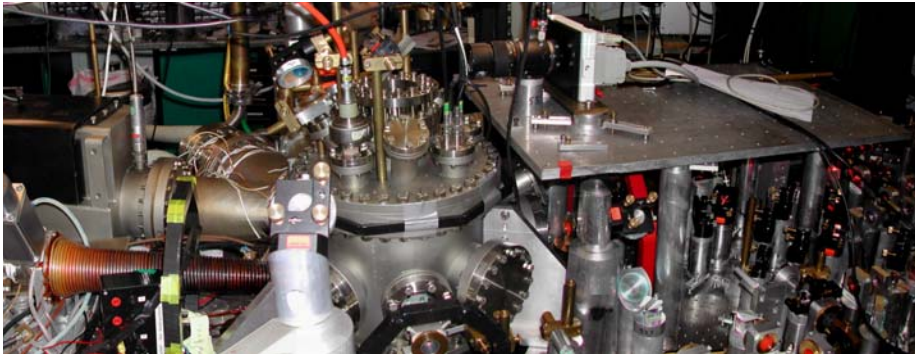
Beam
collimation
and
slowing

MOT
loading

400 ms
 $N=6 \times 10^8$

Compressed
MOT

$\sigma_r=1.3\text{mm}$



Doppler Cooling

$\text{PSD} = 4.5 \times 10^{-7}$

axial: $\sim 200 \mu\text{K}$

radial: $\sim 450 \mu\text{K}$

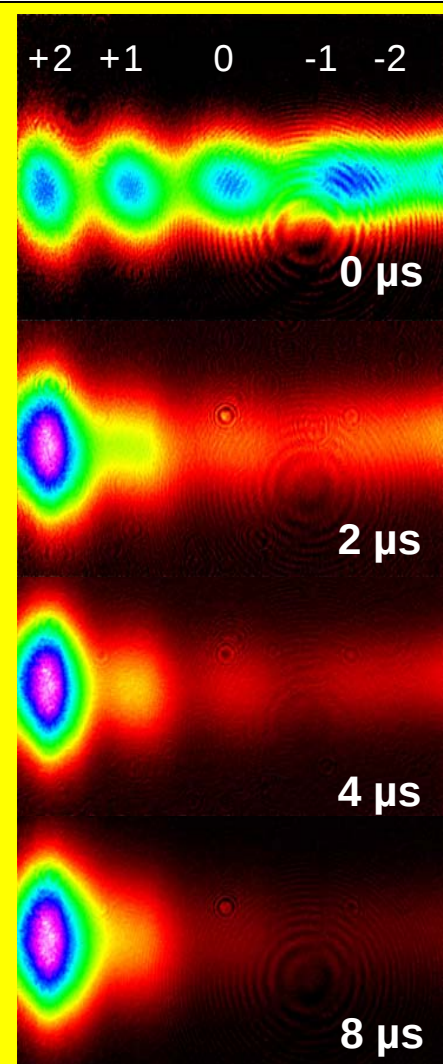
Transfer to MT and
adiabatic compression

$B_0 = 25 \text{ G}$

$N = 3 \times 10^8$

spin
polarization

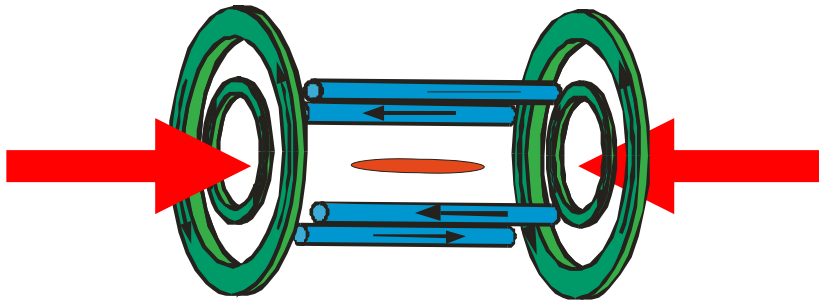
78%
in $m_j=+2$



Stern-Gerlach Experiment

Doppler-cooling in the magnetic trap

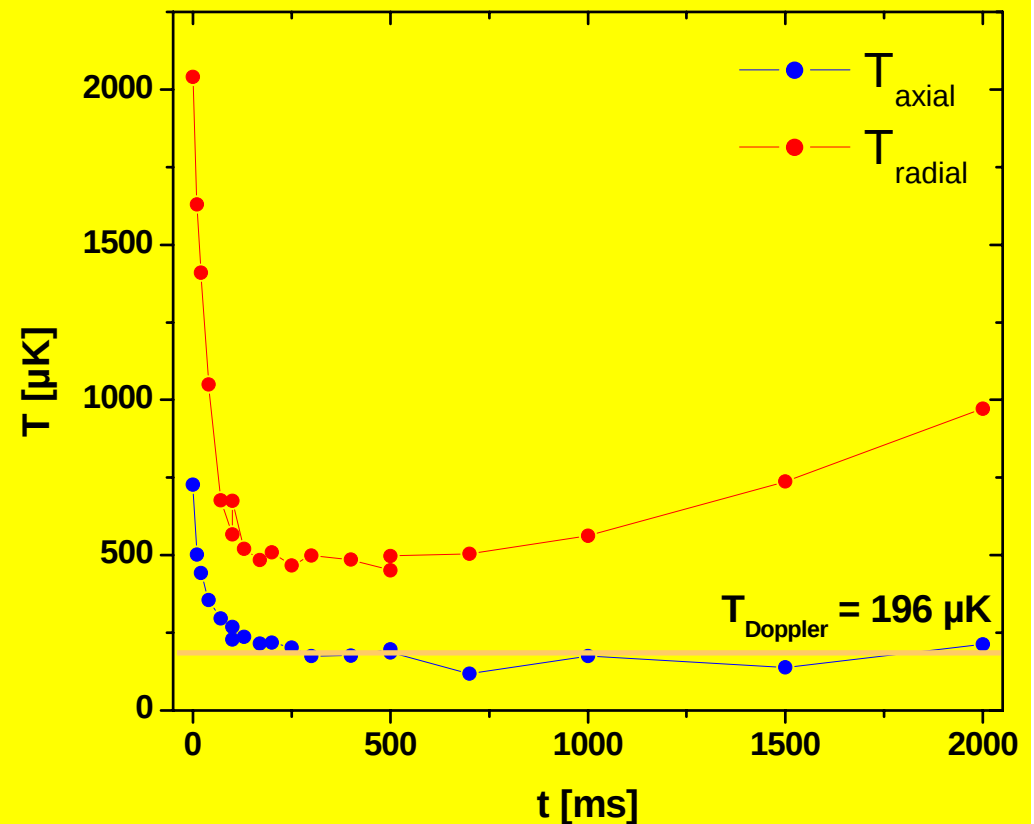
- $\sigma^+-\sigma^+$ irradiation in axial direction of magnetic trap



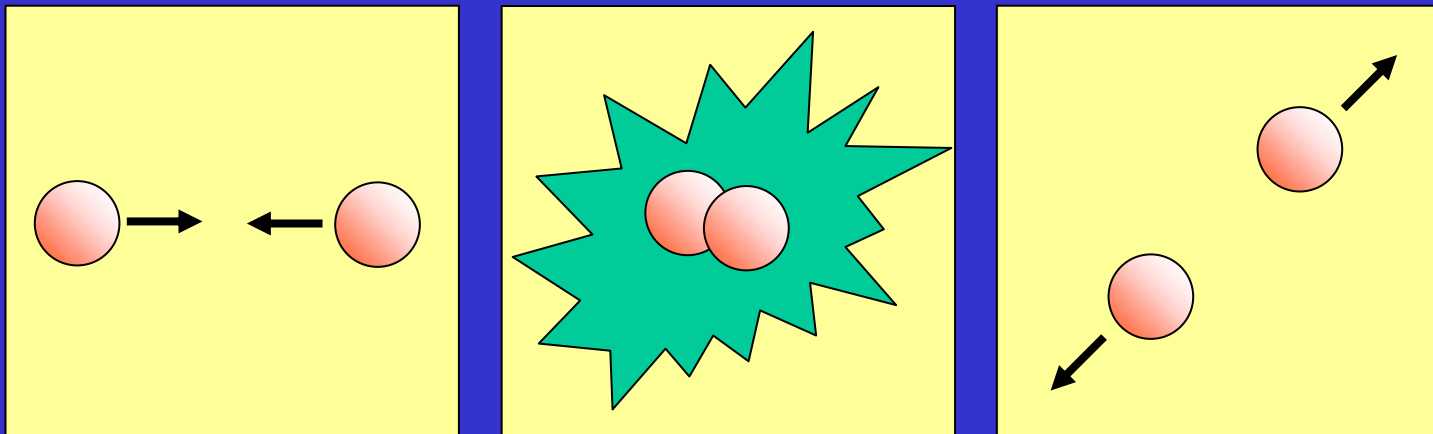
Axial: Doppler cooling

Radial: cooling by reabsorption

- Optimized parameters:
 $\Delta = -0.5 \Gamma$
 $I = 5 \times 10^{-3} I_{\text{sat}}$
- 50-fold gain in phase space density



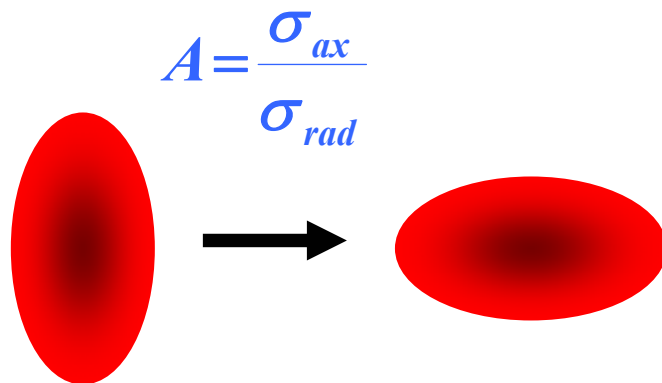
Elastic collisions



Cross-dimensional Relaxation

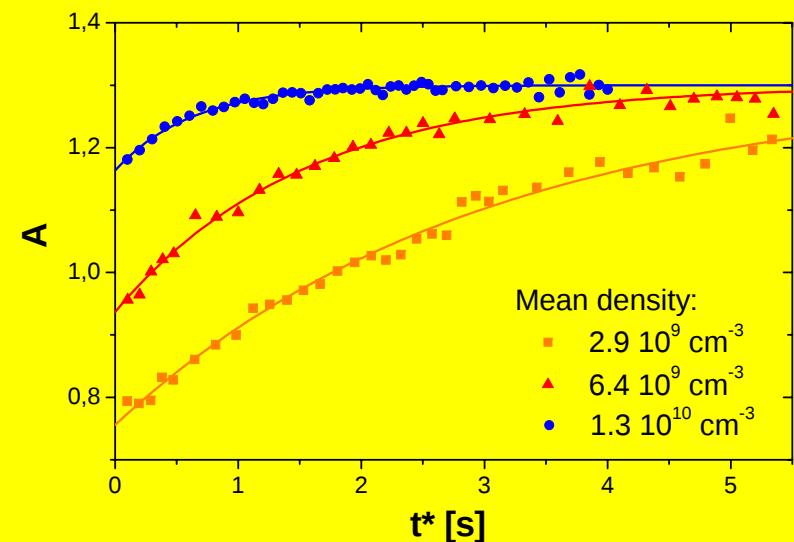
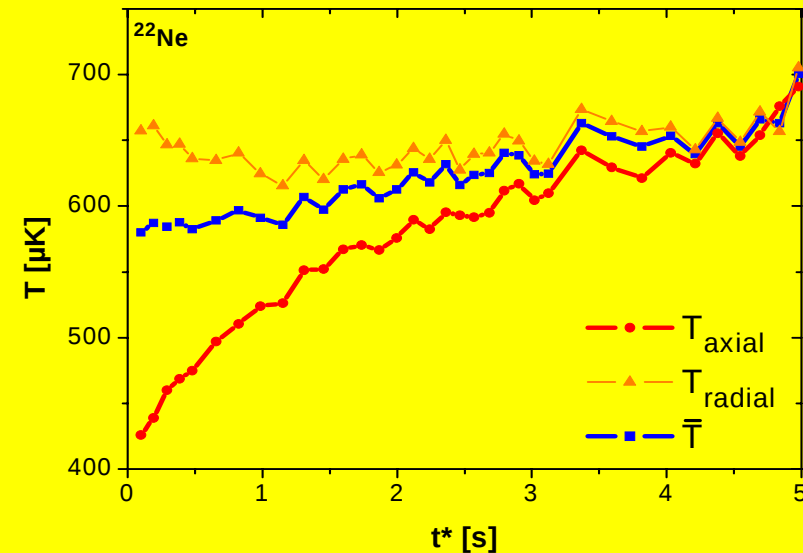
- Kinetic energy is not in equilibrium after Doppler-cooling

- Aspect ratio of the cloud changes

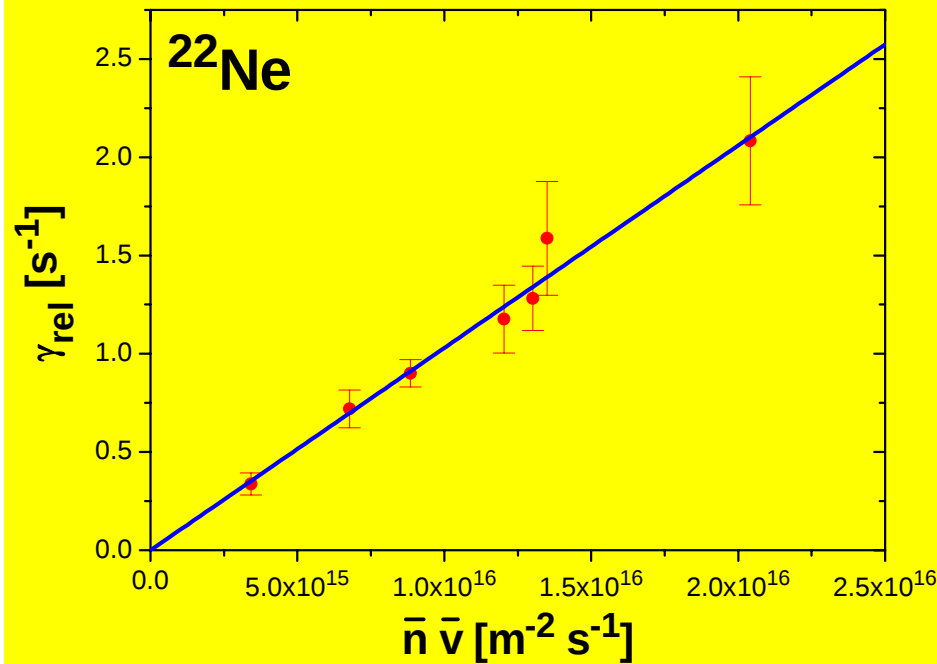


- Determination of the relaxation rate

$$\dot{A} = \gamma_{rel} (A(t) - A_{eq})$$



Cross-dimensional Relaxation



- Relaxation rate is proportional to density:

Kinetic energy is redistributed by elastic collisions!

- Description of the relaxation rate

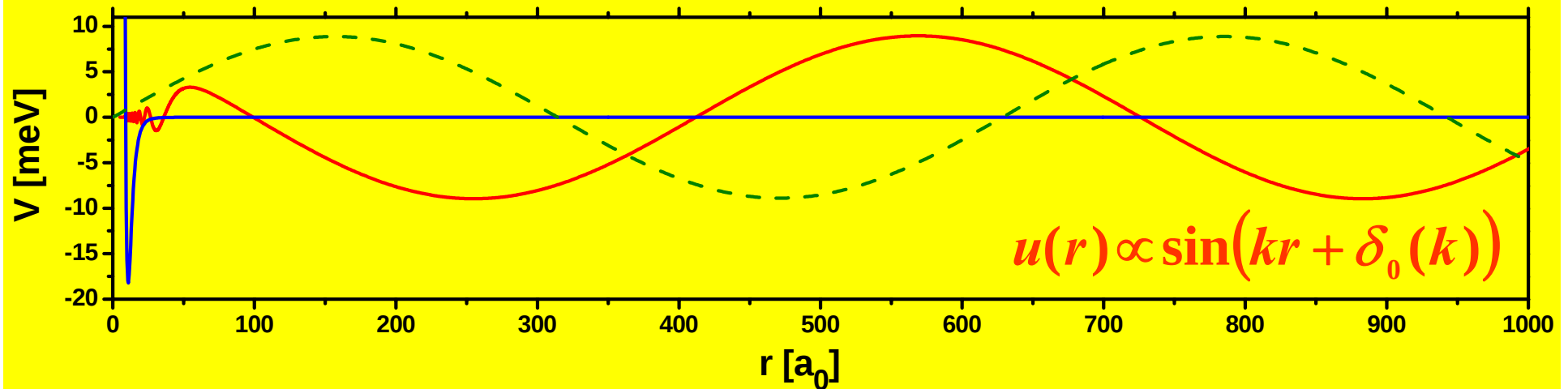
$$\gamma_{rel} = \sigma_{rel} \bar{n} \bar{v}$$

- Connection to elastic collisions

$$\sigma_{rel} = \frac{\langle \sigma_{el} \cdot v_{rel}^5 \rangle_T}{4.24 \langle v_{rel}^4 \rangle_T \bar{v}}$$

G. M. Kavoulakis, C. J. Pethick, and H. Smith
Phys. Rev. A 61, 053603 (2000)

Cross Section of elastic collisions



- Centrifugal barrier for d-waves: 5,8 mK ➔ **Regime of s-wave-scattering**

- Interaction potential:

Short range:

S. Kotochigova et al., PRA 61, 042712 (2000)

Long range:

A. Derevianko und A. Dalgarno, PRA 62, 062501(2000)

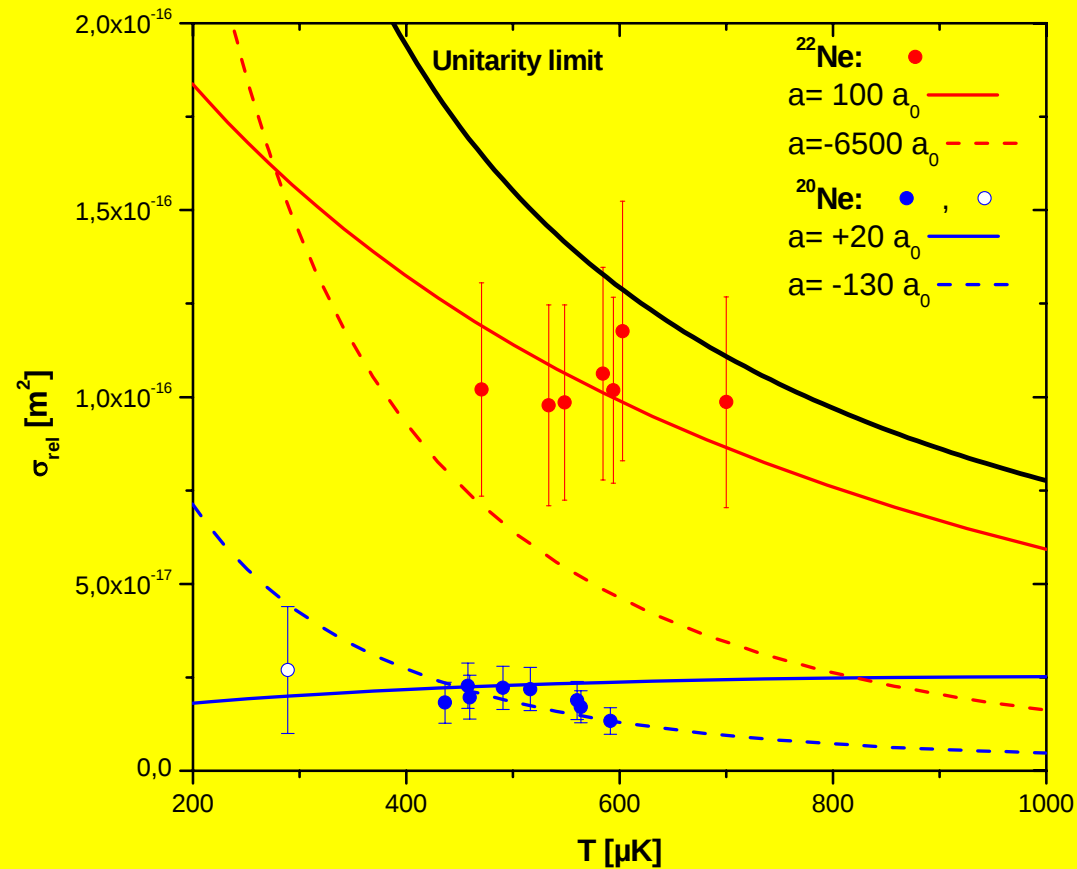
- Cross section:

$$\sigma_{el}(k) = \frac{8\pi}{k^2} \sin^2(\delta_0(k))$$

Effective-range approximation:

$$\sigma_{ER} = \frac{8\pi a^2}{k^2 a^2 + \left(\frac{1}{2} k^2 r_e a - 1\right)^2}$$

Relaxation cross section



Effective range approximation

Numerical calculation (shown)

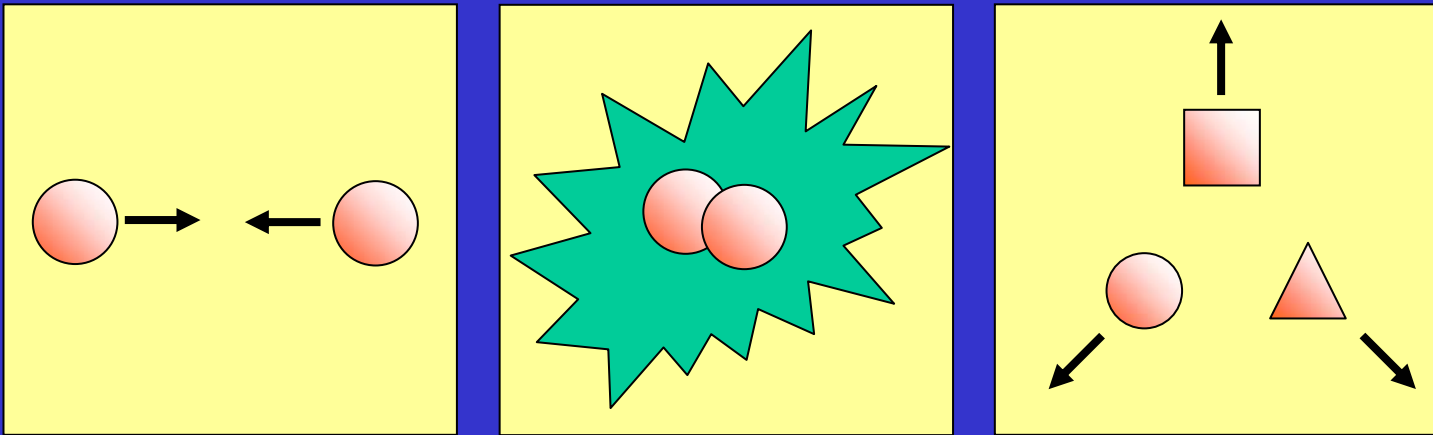
^{20}Ne : $-105(18) a_0$ (or $+14.4 a_0$)

$-120(10) a_0$ or $+20(10) a_0$

^{22}Ne : $+150 a_0 < a < +1050 a_0$

$+70 a_0 < a < +300 a_0$ ($100 a_0$)

Inelastic collisions



Simple model of Penning-Ionization

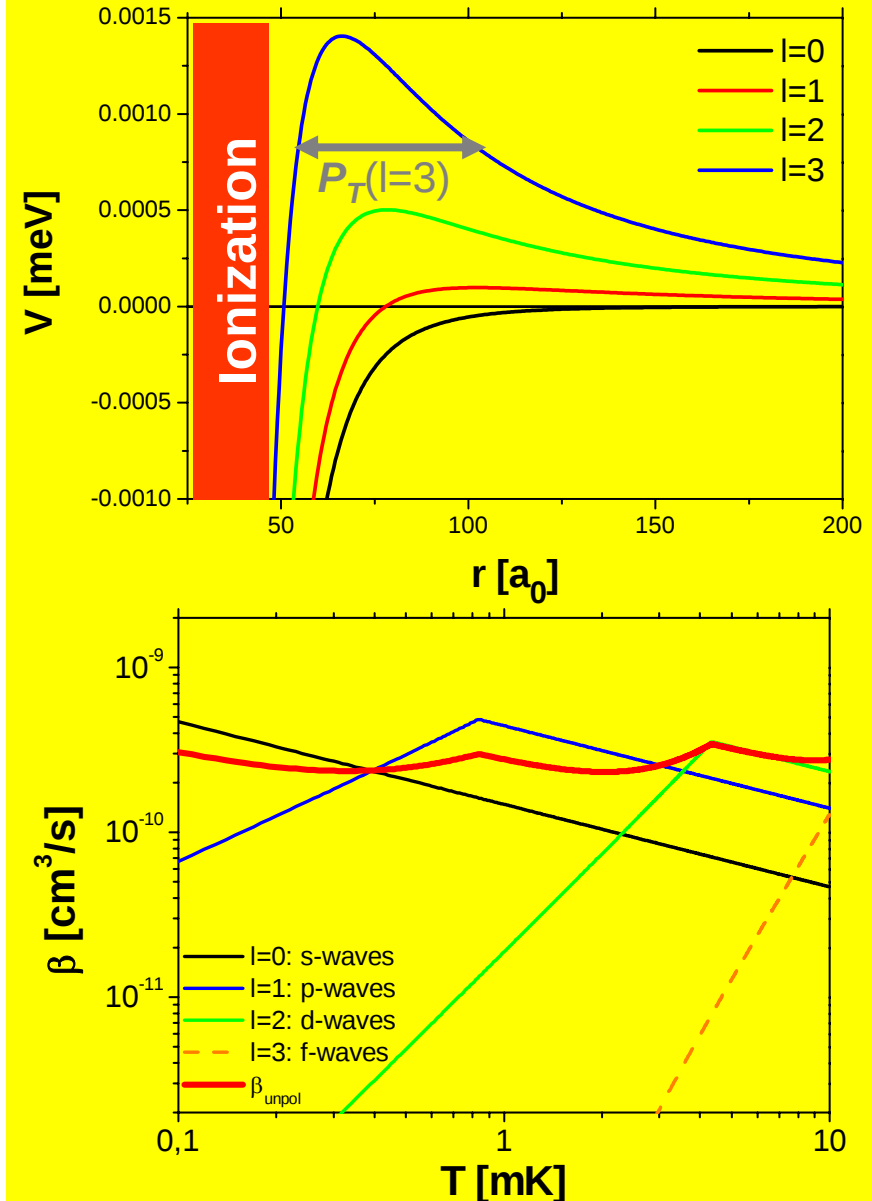
- Ionization with unit probability below a minimal distance
- Model (Xe*, NIST)

$$\sigma_{ion,l} = \frac{\pi}{k^2} (2l+1) P_T(k,l)$$

P_T .. transmission probability

- Result:

$$\beta \sim 2-3 \cdot 10^{-10} \text{ cm}^3\text{s}^{-1}$$



Unpolarized atoms

- Measurement in MOT

$$\dot{N} = -\alpha N - \beta \frac{N^2}{V_{eff}}$$

- Consideration of excited atoms

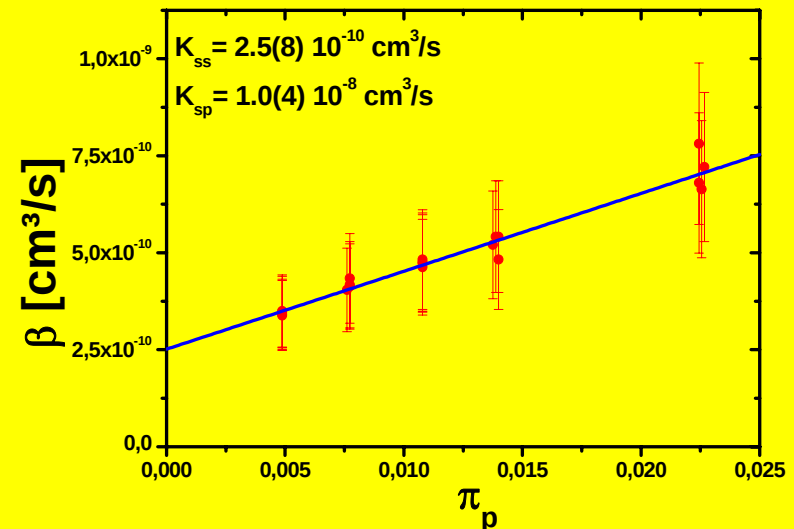
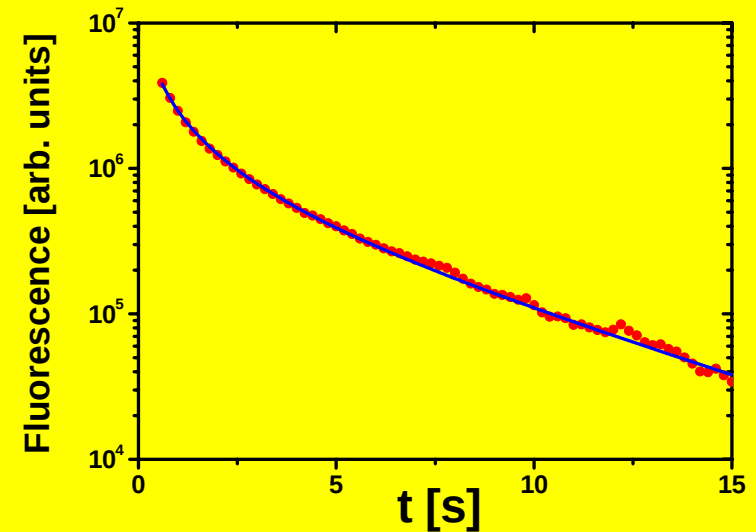
S+S collisions: K_{ss}

S+P collisions: K_{sp}

for small excitation π_p :

$$\beta = K_{ss} + 2 (K_{sp} - K_{ss}) \pi_p$$

	²⁰ Ne	²² Ne
$K_{ss} [\text{cm}^3 \text{s}^{-1}]$	$2.5(8) \cdot 10^{-10}$	$8(5) \cdot 10^{-11}$
$K_{sp} [\text{cm}^3 \text{s}^{-1}]$	$1.0(4) \cdot 10^{-8}$	$5.9(25) \cdot 10^{-9}$



Suppression of Penning-Ionization

- Dominant loss process in MOT

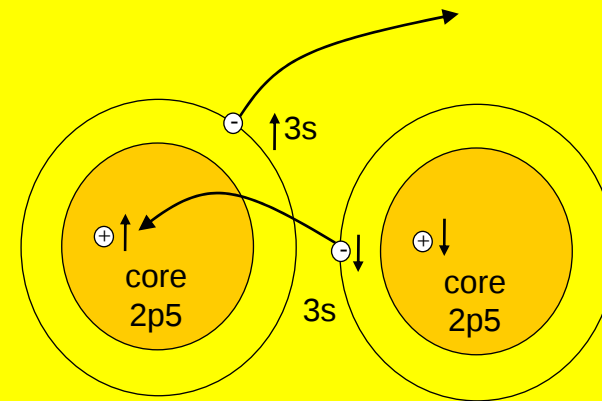
$$\tau < 1\text{s} @ n=10^9 \text{ cm}^{-3} \text{ (MOT)}$$

- Suppression for spin polarized ensembles

Limitation of suppression by
anisotropic contributions
to the interaction during collisions

He*: $10^5 \Rightarrow \text{BEC}$
Xe*: $1 \Rightarrow \text{~~BEC~~}$
Ne* ?

Exchange process

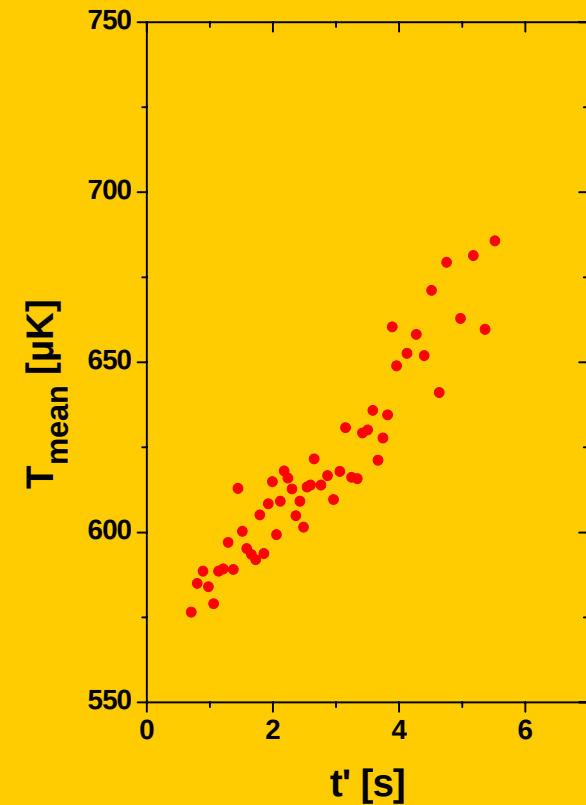
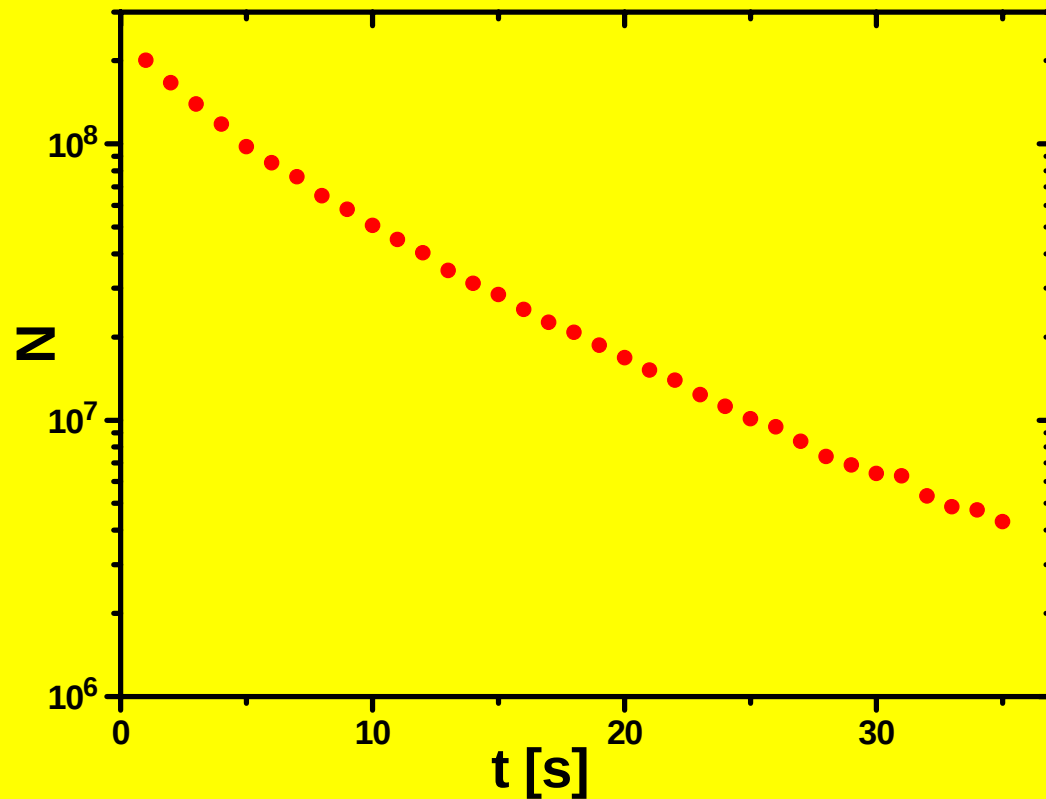


$$S=1 \quad S=1 \Rightarrow S=0 \quad S=1/2 \quad S=1/2$$

$$S_{\text{tot}} = 2$$

$$S_{\text{tot}} \leq 1$$

Spin polarized atoms



$$\dot{N} = -\alpha N - \beta \frac{N^2}{V_{\text{eff}}}$$

Heating!

Trap loss

Analysis:

$$\dot{N} = -\alpha N - \beta \frac{N^2}{V_{eff}}$$



$$\frac{N(t)-N(0)}{\int_0^t N(t')dt'}$$

$$= -\alpha - \beta$$

$$\frac{\int_0^t \frac{N^2(t')}{V_{eff}(t')} dt'}{\int_0^t N(t') dt'}$$

²⁰Ne

$$\beta = 5.3(15) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1}$$

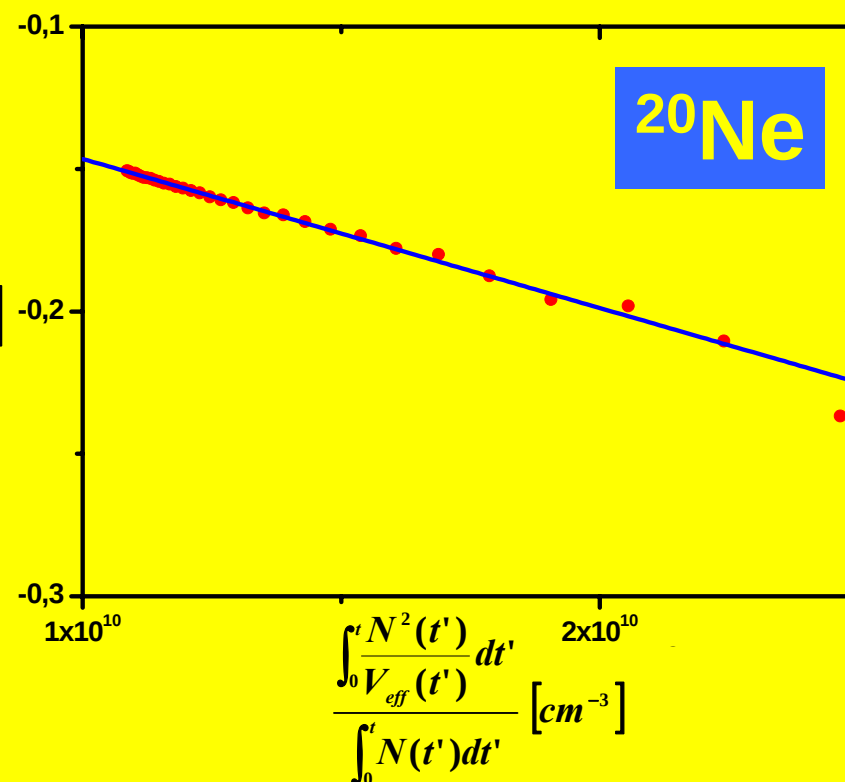
Suppression: 50(20)

²²Ne

$$\beta = 9.4(24) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1}$$

Suppression: 9(6)

$$\frac{N(t)-N(0)}{\int_0^t N(t')dt'} \left[\text{s}^{-1} \right]$$



Heating

- Inherent heating due to 2-body-losses

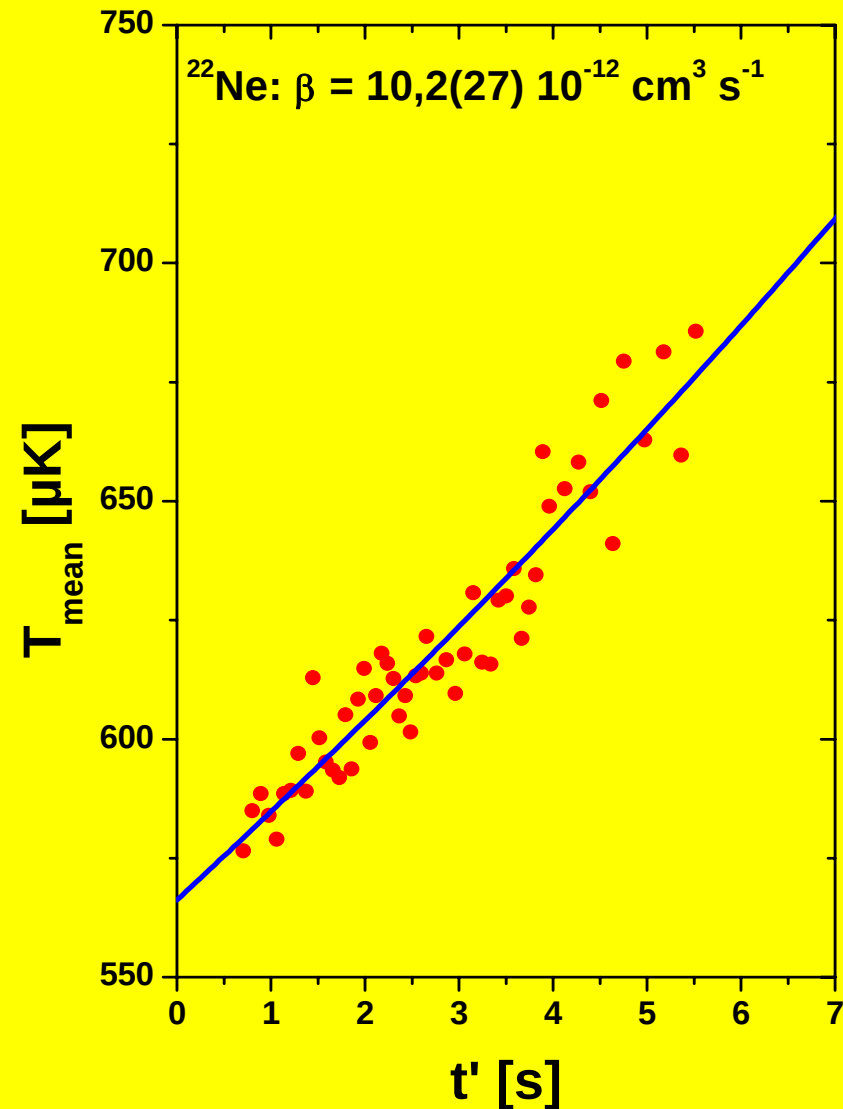
$$\dot{N}_{inelast}(r,t) \propto -\beta n^2(r,t)$$

$$\frac{\dot{T}}{T} = \frac{1}{4} \beta \bar{n}$$

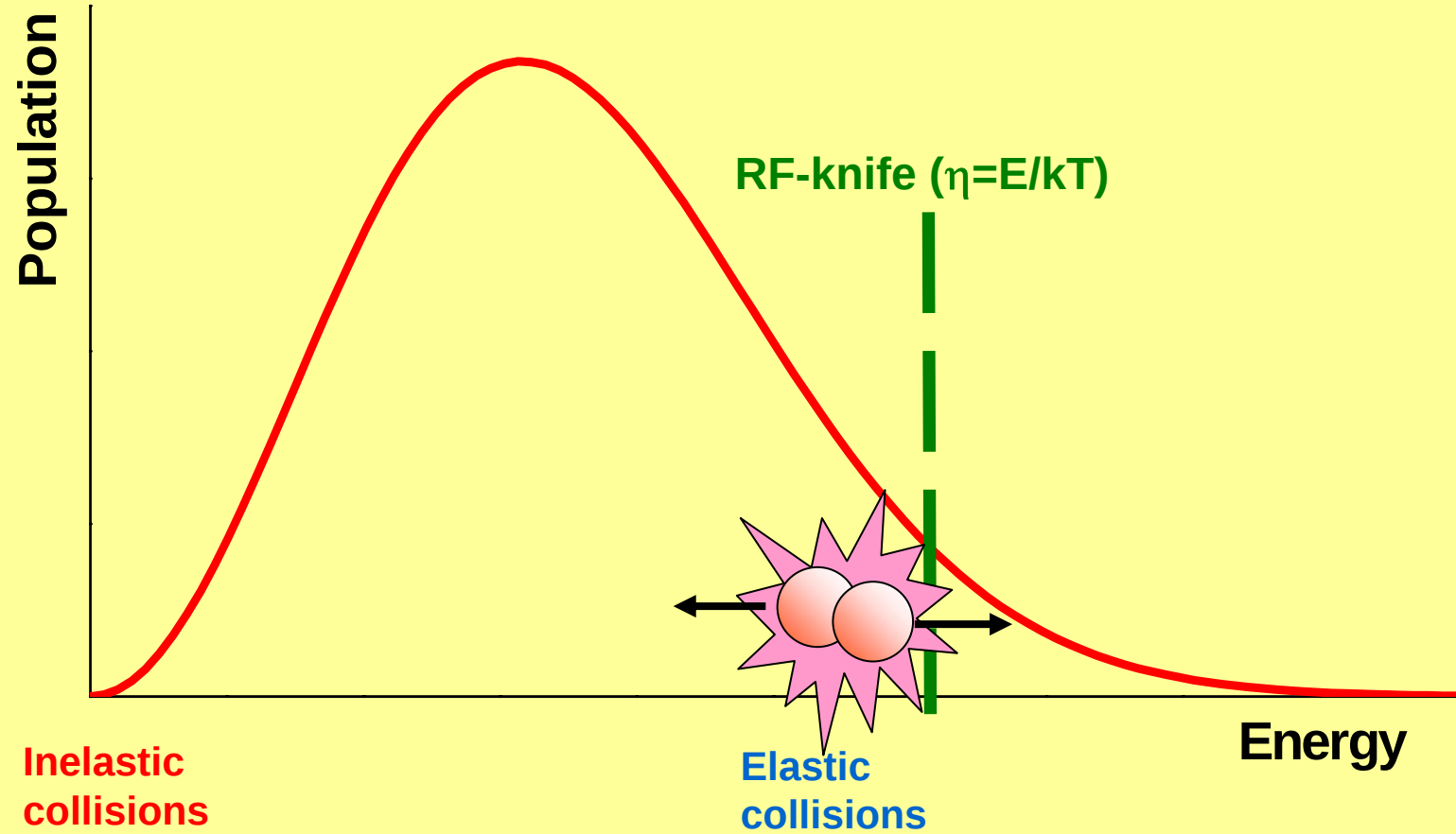
- other mechanisms
 - collisions with background gas
 - secondary collisions

$$\begin{aligned} {}^{20}\text{Ne}: \beta_{\text{heat}} &= 5.6(15) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1} \\ \beta_{\text{loss}} &= 5.3(15) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1} \end{aligned}$$

$$\begin{aligned} {}^{22}\text{Ne}: \beta_{\text{heat}} &= 10.2(27) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1} \\ \beta_{\text{loss}} &= 9.4(24) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1} \end{aligned}$$



Evaporative cooling



Conditions for evaporative cooling

- „Good-to-bad“ ratio

$$R = \frac{\gamma_{\text{el}}}{\gamma_{\text{loss}}}$$

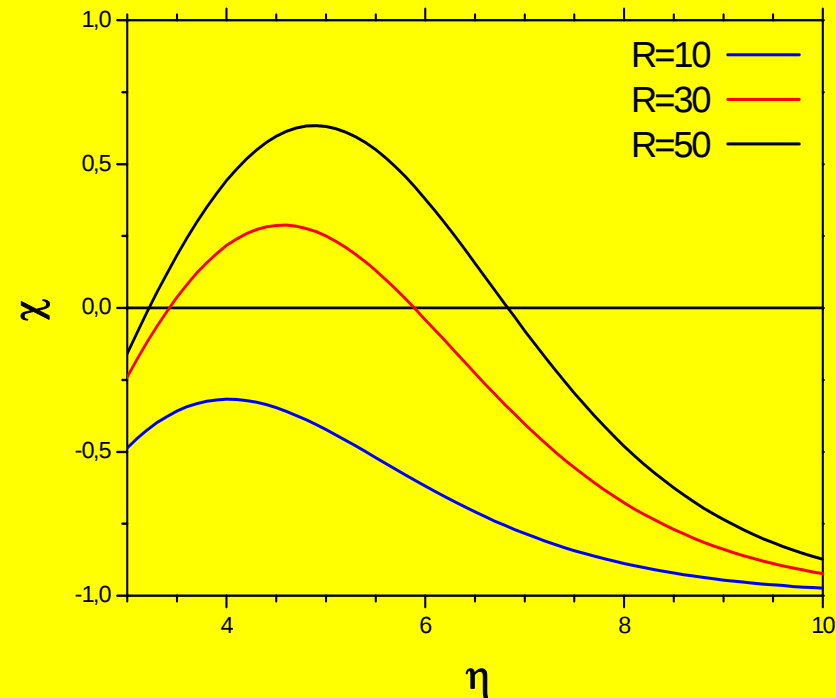
^{20}Ne : $R \sim 5-15$

^{22}Ne : $R \sim 30-50$

- ^{22}Ne is better suited for evaporative cooling than ^{20}Ne !

Efficiency parameter

$$\chi = -\frac{d(\ln \rho_{\Phi})}{d(\ln N)}$$



Cut-off parameter $\eta = E_{\text{Trap}}/k_B T$

Experimental realization

- Ramp: from 80 MHz to 44 MHz

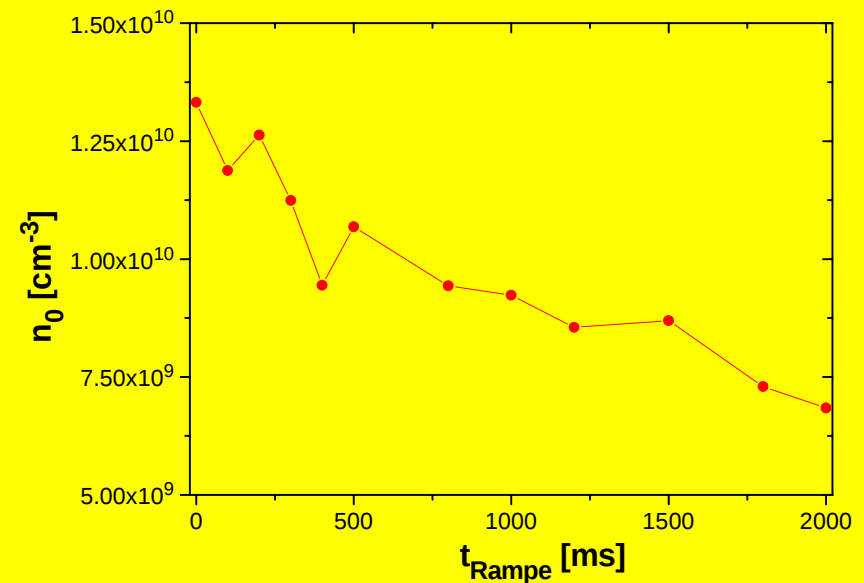
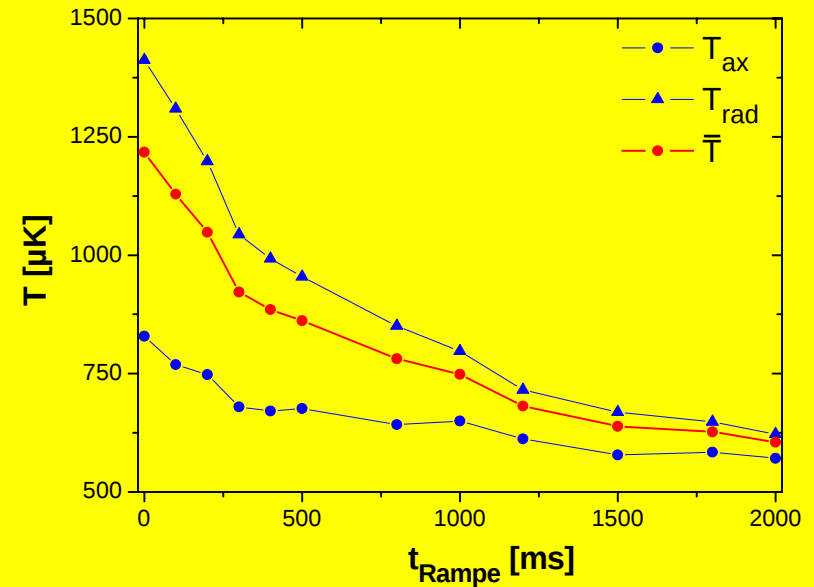
Trap depth: from 5.5 mK to 1.2 mK
Initial cut-off parameter: $\eta=4,5$

- variable duration of RF-irradiation
- Observation:

$T \searrow$

$n_0 \searrow$

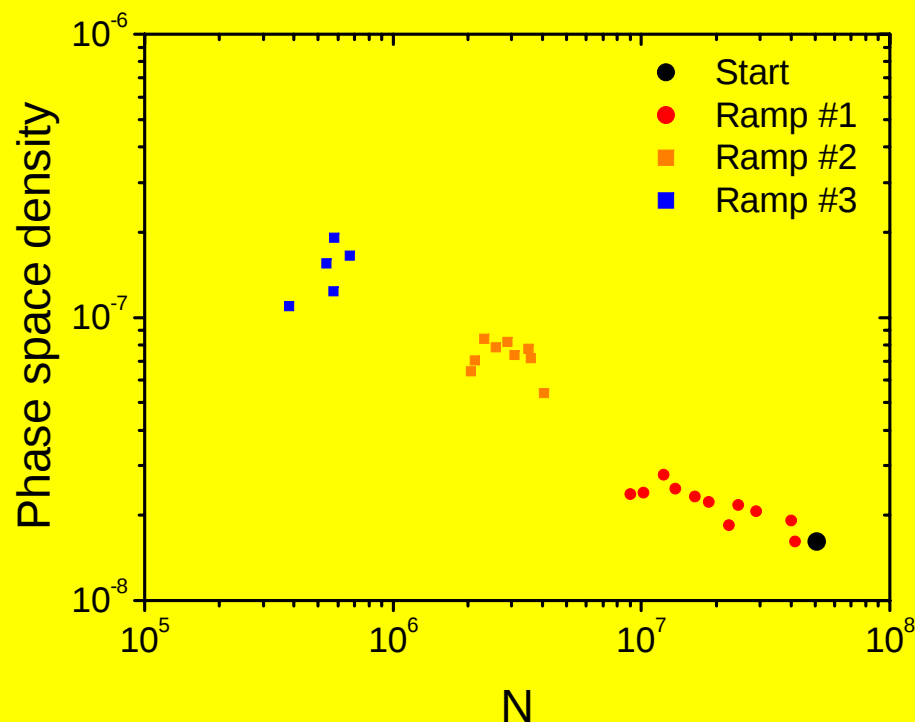
Phase space density ?



Increase in phase space density

Evaporation protocol

	RF [MHz]	E_{Trap} [mK]	η
Ramp #1	80	5.5	4.5
Ramp #2	44	1.2	2.7
Ramp #3	34	1.0	3.9
	29	0.6	4.5



- Initial conditions

$$\begin{aligned}N &= 5 \times 10^7 \\n_0 &= 1.3 \times 10^{10} \text{ cm}^{-3} \\T &= 1.2 \text{ mK} \\\rho &= 1.6 \times 10^{-8}\end{aligned}$$

- Final conditions

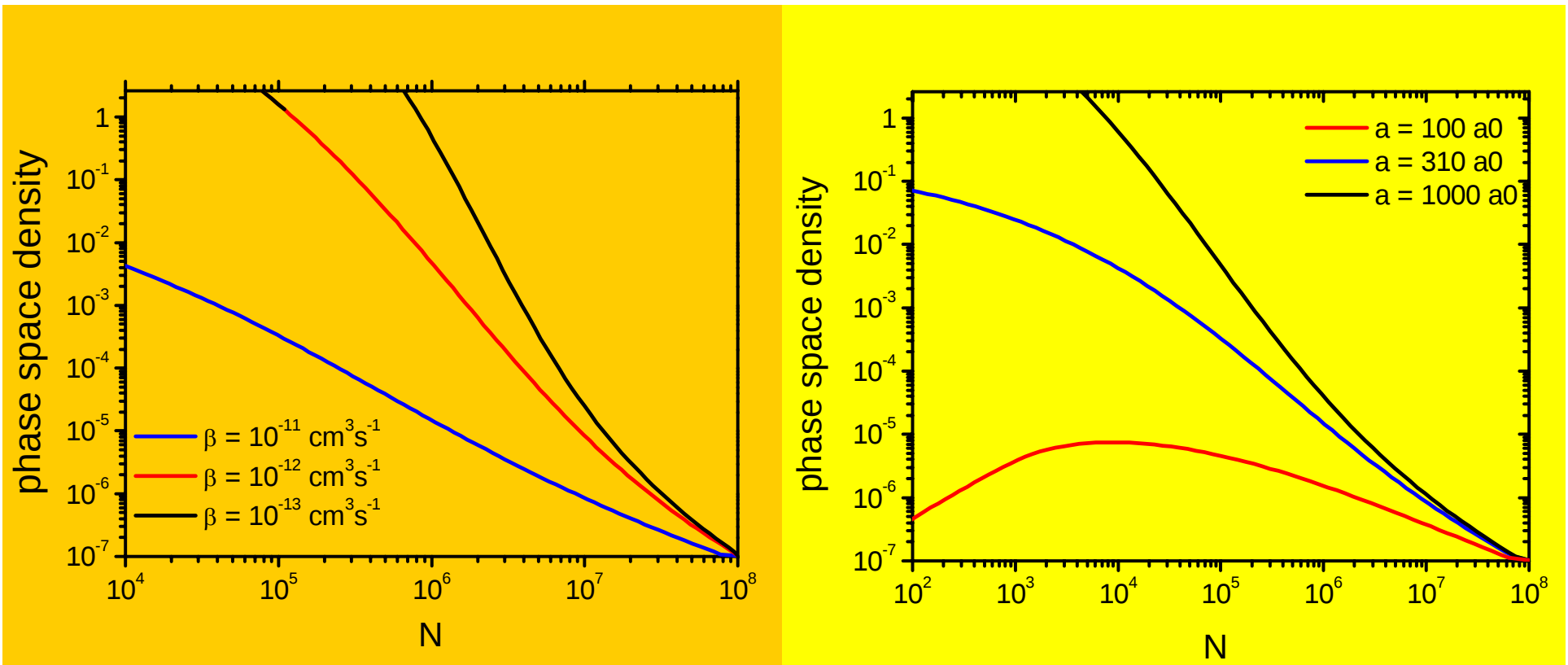
$$\begin{aligned}N &= 5 \times 10^5 \\n_0 &= 5 \times 10^9 \text{ cm}^{-3} \\T &= 130 \text{ } \mu\text{K} \\\rho &= 1.9 \times 10^{-7}\end{aligned}$$

- Efficiency of evaporative cooling

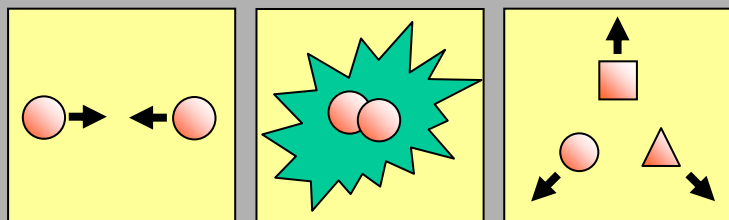
$$\chi \approx 0.6$$

Prospects for BEC

- Ne* as compared to Bose-condensed species:
 - very high loss rates
 - high rates of elastic collisions
- Numerical simulation of optimized evaporative cooling



Results



- Penning ionization (unpolarized, ^{20}Ne)

$$K_{ss} = 2.5(8) \cdot 10^{-10} \text{ cm}^3 \text{ s}^{-1}$$

$$K_{sp} = 1.0(4) \cdot 10^{-8} \text{ cm}^3 \text{ s}^{-1}$$

- Penning ionization (unpolarized, ^{22}Ne)

$$K_{ss} = 8(5) \cdot 10^{-11} \text{ cm}^3 \text{ s}^{-1}$$

$$K_{sp} = 5.9(25) \cdot 10^{-9} \text{ cm}^3 \text{ s}^{-1}$$

- Two-body losses (spin-polarized)

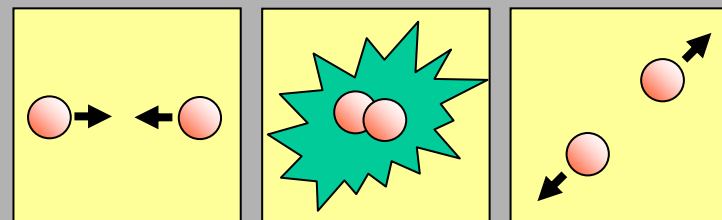
$$^{20}\text{Ne}: \quad \beta = 5.3(15) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1}$$

$$^{22}\text{Ne}: \quad \beta = 9.4(24) \cdot 10^{-12} \text{ cm}^3 \text{ s}^{-1}$$

- Suppression of Penning ionization

$$^{20}\text{Ne}: \quad \sim 50$$

$$^{22}\text{Ne}: \quad \sim 9$$



- Elastic collisions

$$^{20}\text{Ne}: \quad a = +20(10) a_0 \text{ or } -110(20) a_0$$

$$^{22}\text{Ne}: \quad +70 a_0 < a < +1050 a_0$$

- Evaporative cooling

$$\text{Phase space density} \times 10$$

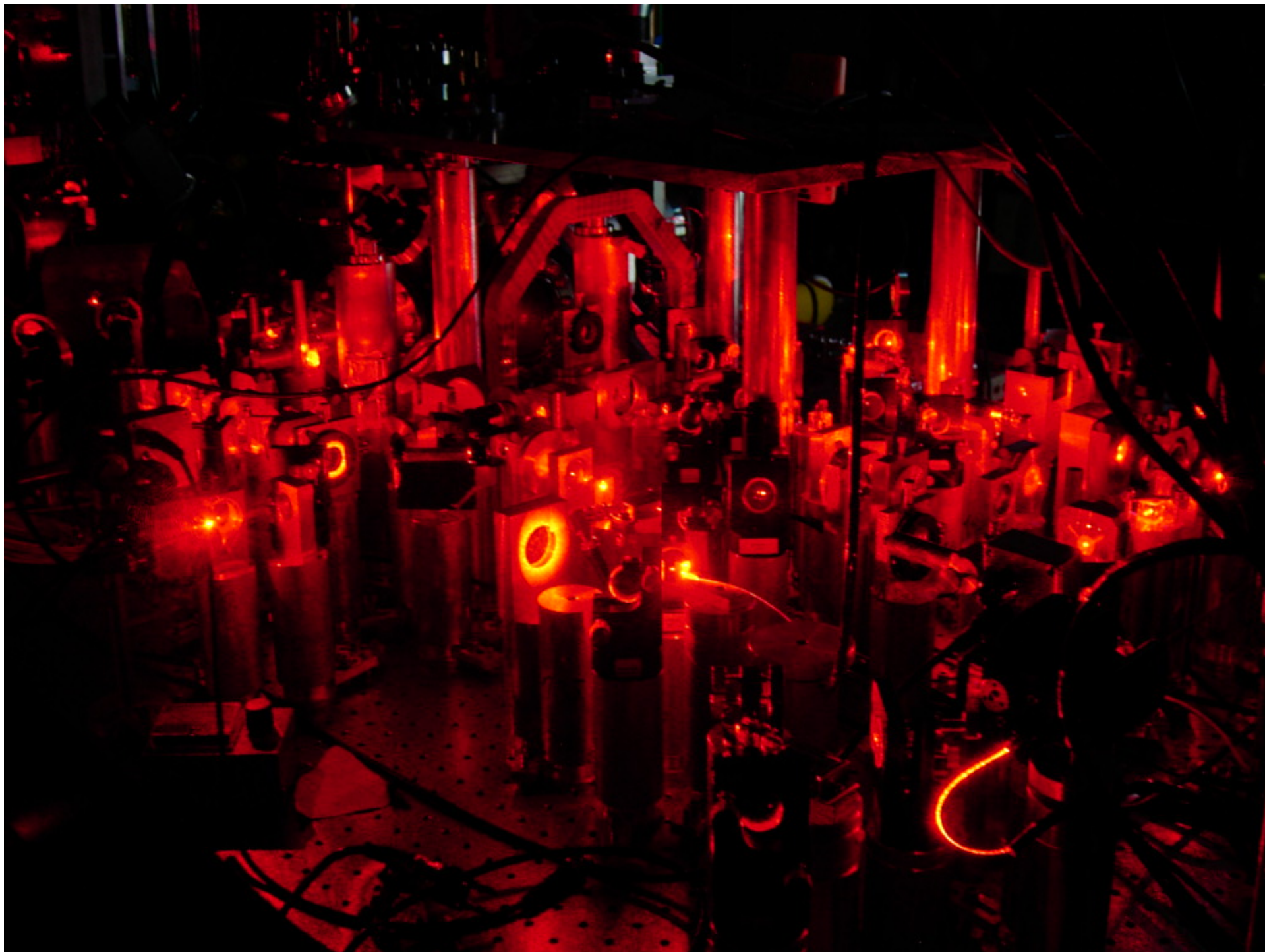
$$\text{Efficiency } \chi \sim 0,6$$

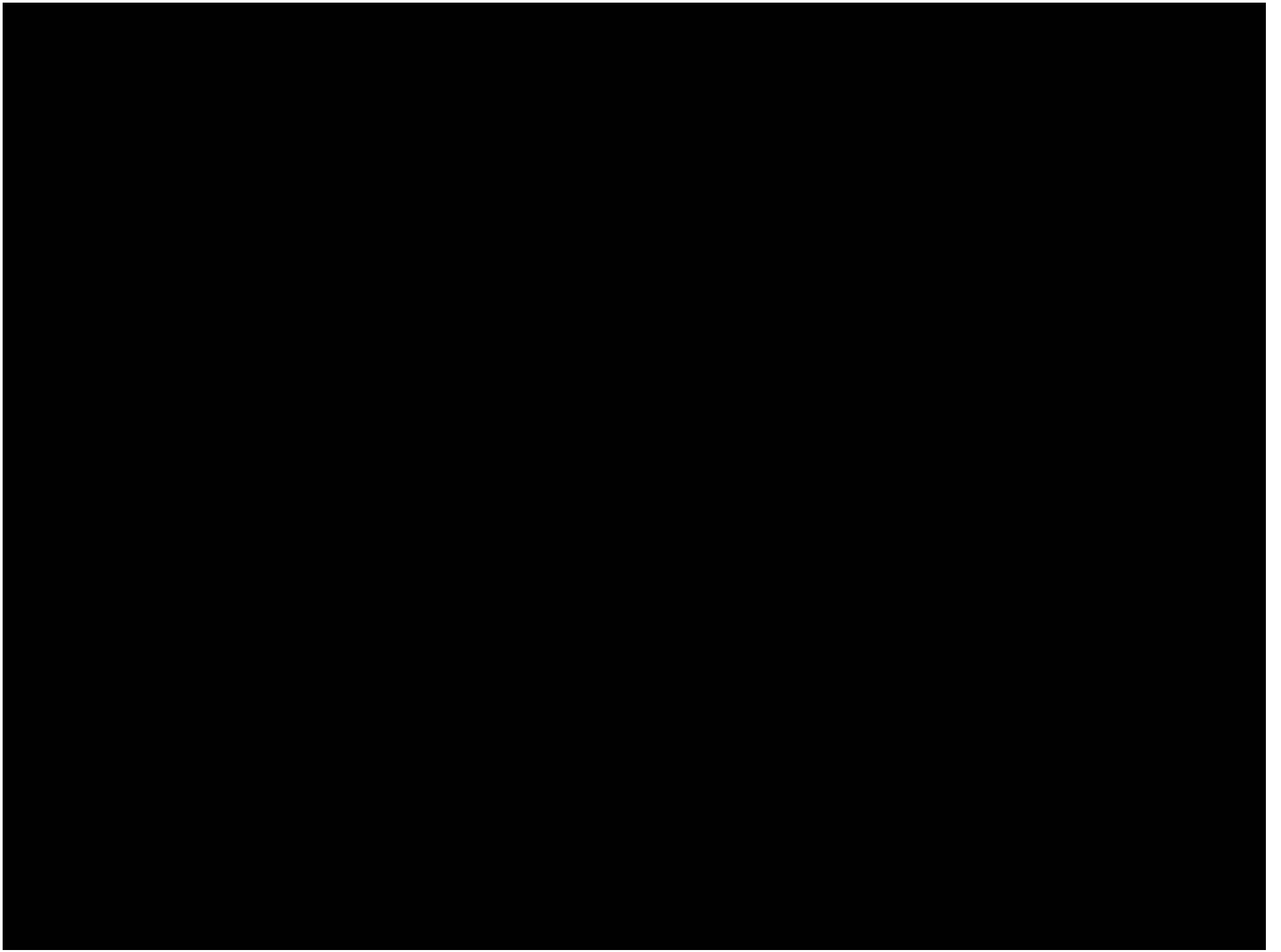
- Lifetime of the $^3\text{P}_2$ -state (^{20}Ne):

$$14.73(14) \text{ s}$$

M. Zinner et al., PRA 67, 010501(R) (2003)

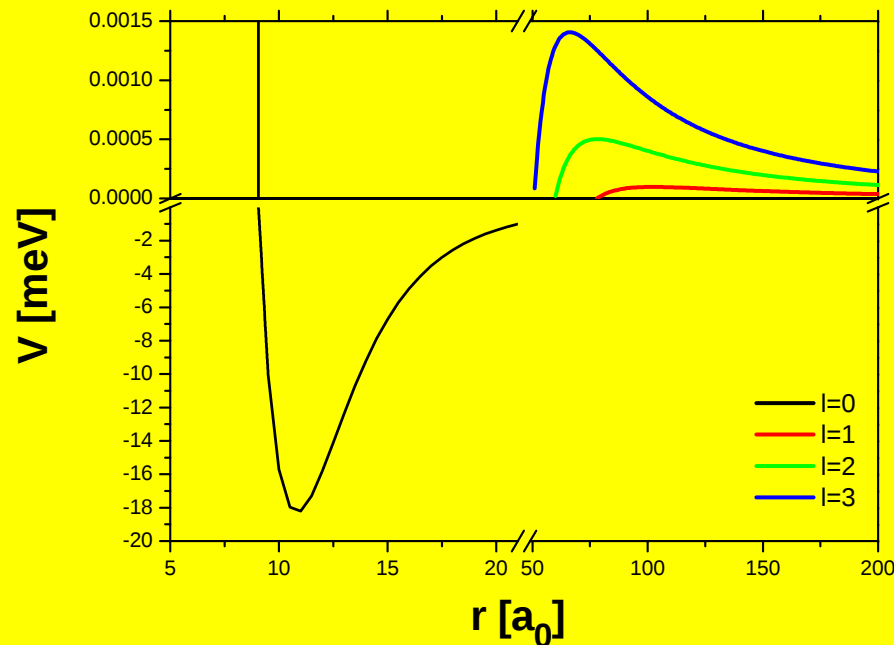
- Continue experiments on evaporative cooling of ^{22}Ne to highest possible phase space density
- Ion rate measurements with the MCP
- Investigation of collision properties, especially influence of external (magnetic) fields
- Manipulation of Interactions?
- Transfer into an optical dipole trap
- Photo-association spectroscopy





Collisions in cold gases

Interaction potential



- Potential depth: ~20 meV
- Long-range potential:

$$V_{LR}(r) = -\frac{C_6}{r^6} + \frac{\hbar^2}{2m} \frac{l(l+1)}{r^2}$$

Elastic Collisions

- Scattering length a : $\sigma_{el,T \rightarrow 0} = 8\pi a^2$
- „motor“ of evaporative cooling
- Stability of a BEC
- Scattering resonances

Inelastic Collisions

- Loss parameter β : $\sigma_{inel,T \rightarrow 0} \propto \frac{1}{k}$

$$\frac{\dot{N}_{inel}}{N} = -2 \langle \sigma_{inel} v_{rel} \rangle_T \bar{n} = -\beta \bar{n}$$

- „brake“ of evaporative cooling
- Heating
- Penning-Ionization
- Influence of spin-polarization

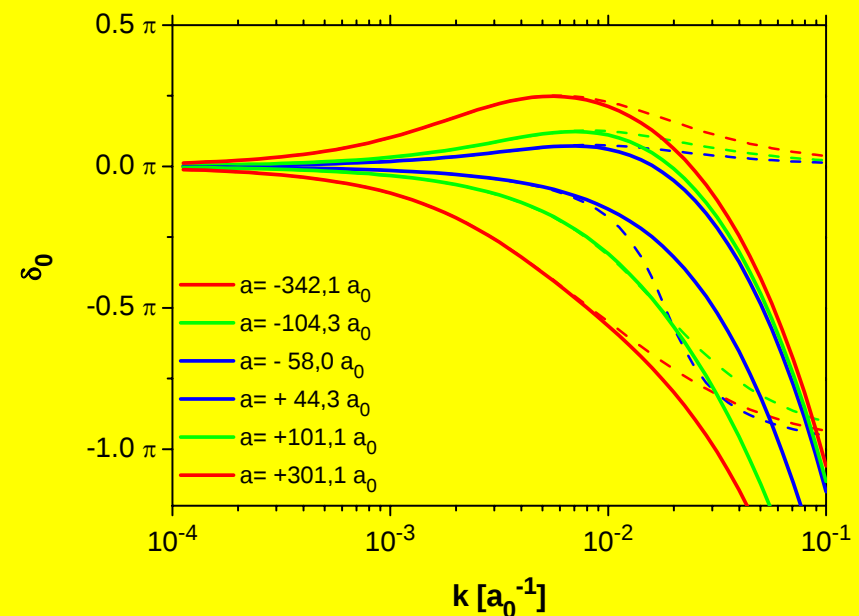
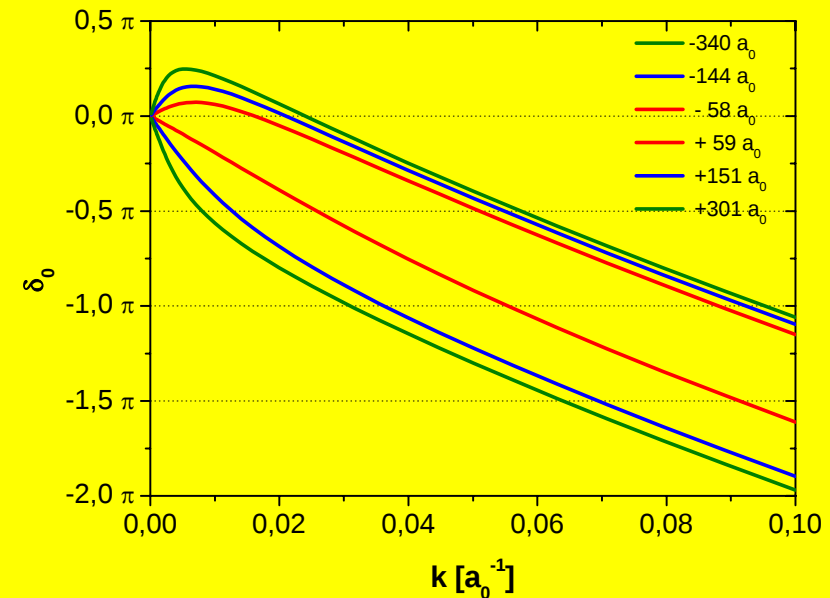
Numerical calculation of scattering phases

- Interaction potential
- S. Kotochigova et al., PRA 61, 042712 (2000)
- A. Derevianko und A. Dalgarno, PRA 62, 062501(2000)
- Numerical determination of the s-wave radial wavefunction gives δ_0

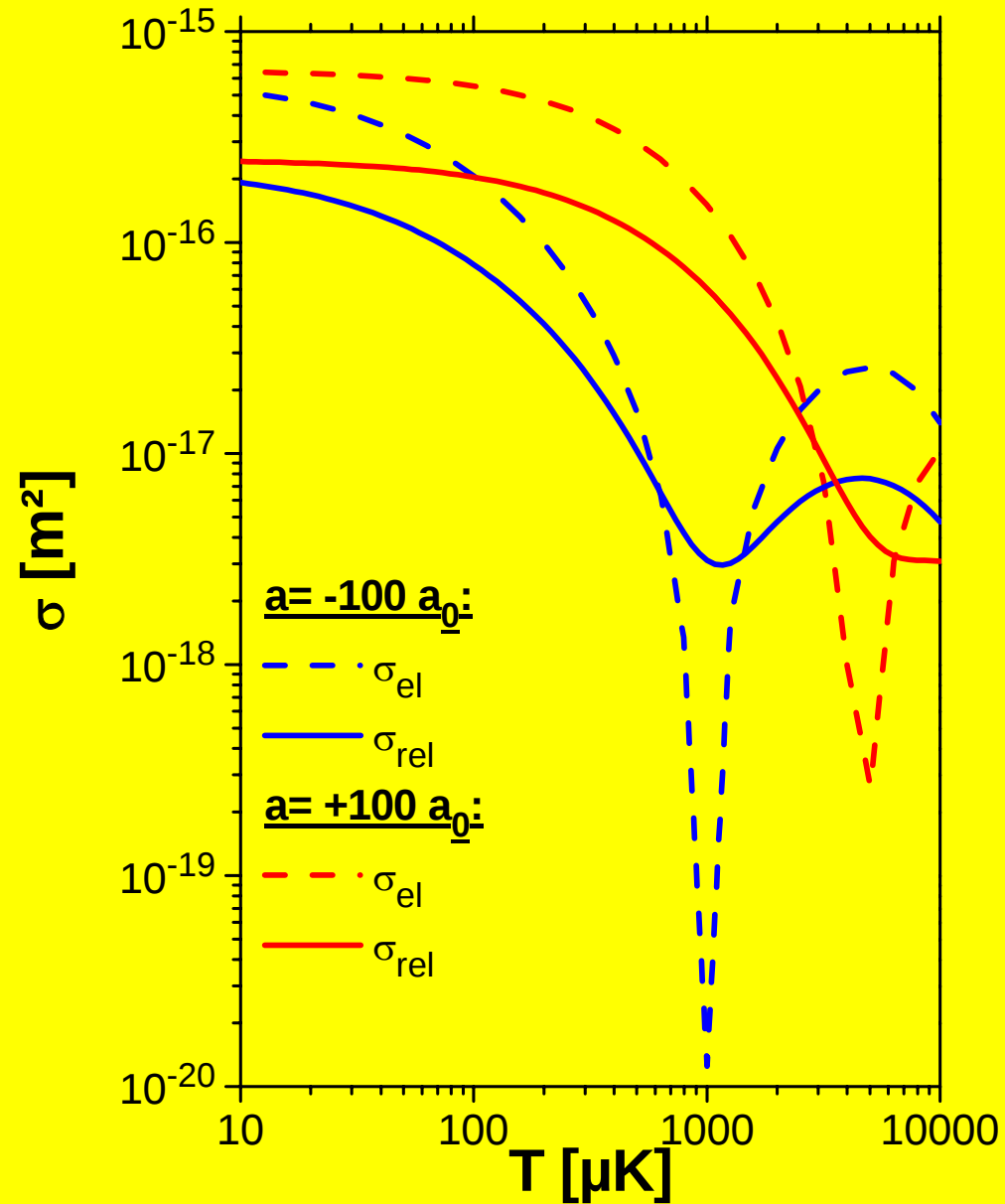
$$u_l(r) \propto \sin(kr + \delta_0(k))$$

- Cross section

$$\sigma_{el}(k) = \frac{8\pi}{k^2} \sin^2(\delta_0(k))$$



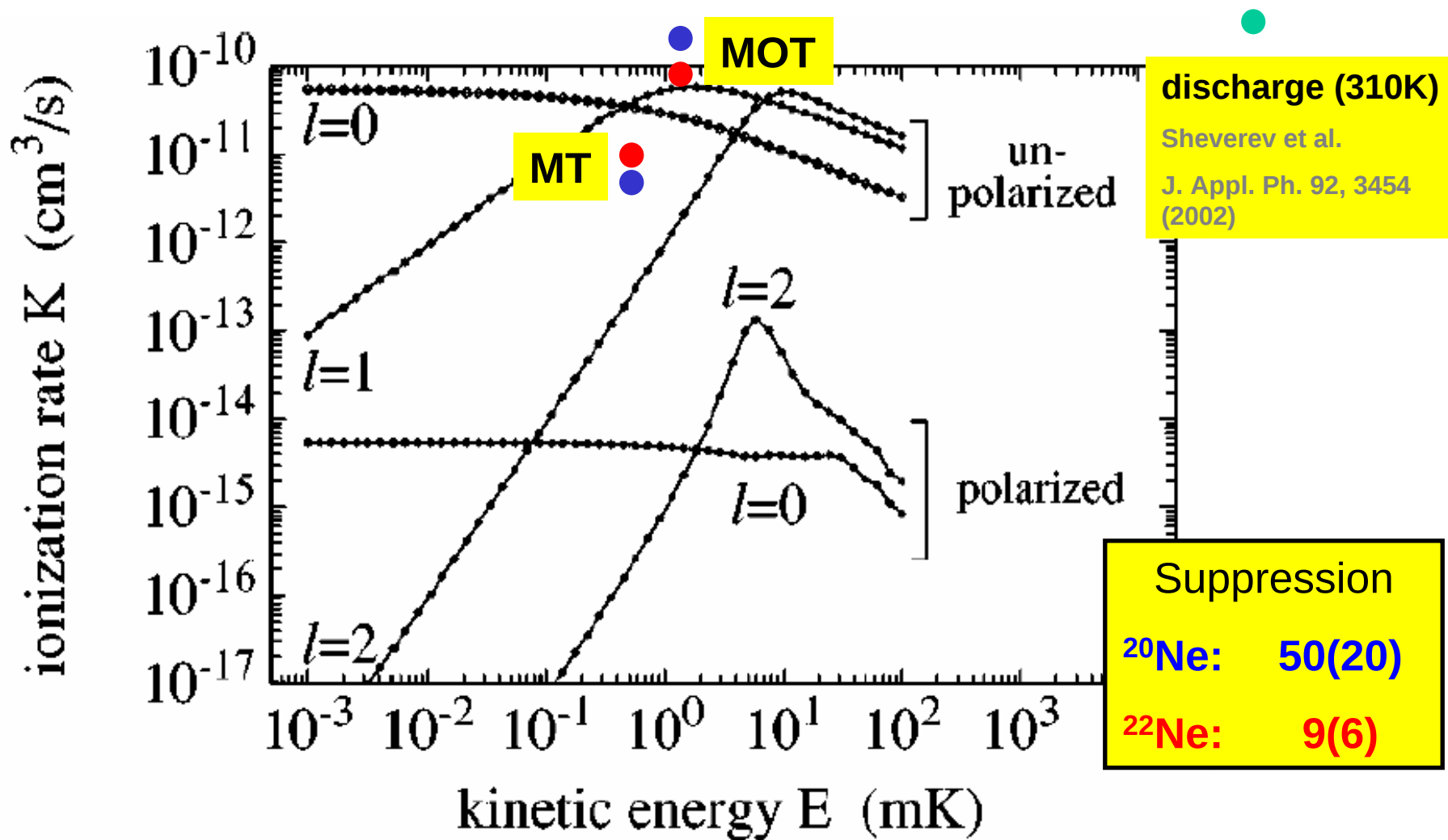
Relaxation cross sections



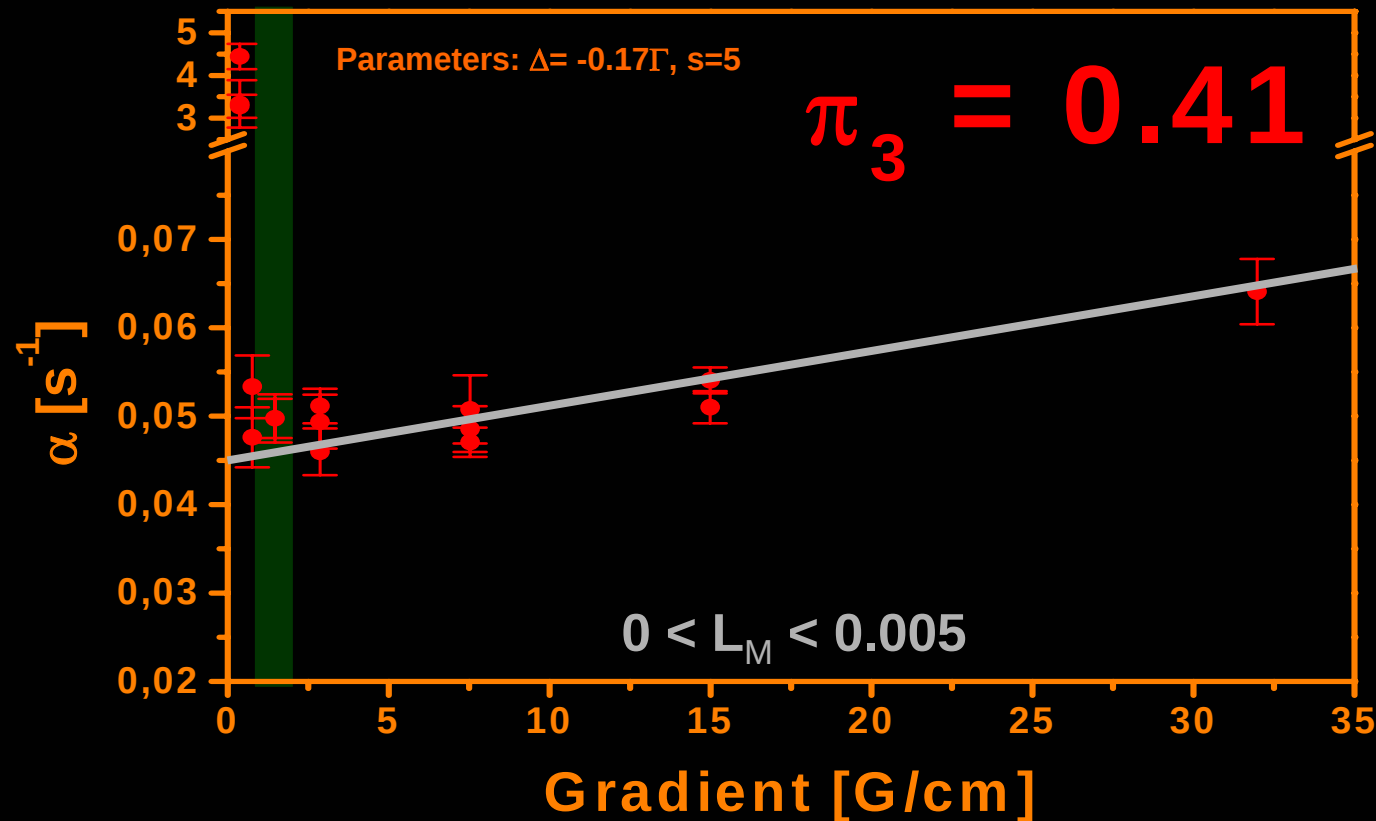
Inelastic collisions of metastable neon

Limit on suppression of ionization in metastable neon traps due to long-range anisotropy

M. R. Doery,* E. J. D. Vredenburg, S. S. Op de Beek, H. C. W. Beijerinck, and B. J. Verhaar
 Physics Department, Eindhoven University of Technology, P.O. Box 513, 5600 MB Eindhoven, The Netherlands
 (Received 26 May 1998)



Decay rate vs. Gradient II



Problems:

- Theories hold for small saturation
- Models discussed fail to explain the data quantitatively
- Ionizing background collisions