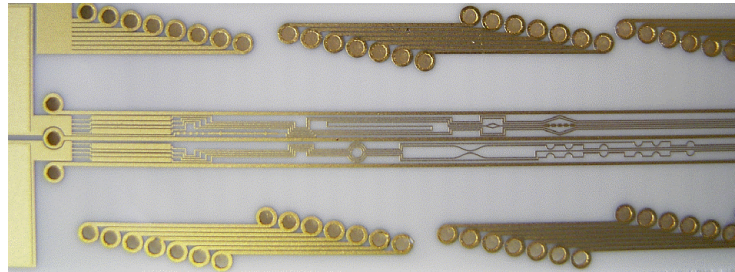


Atom Chips: Matter Waves in Tailored Micro Potentials

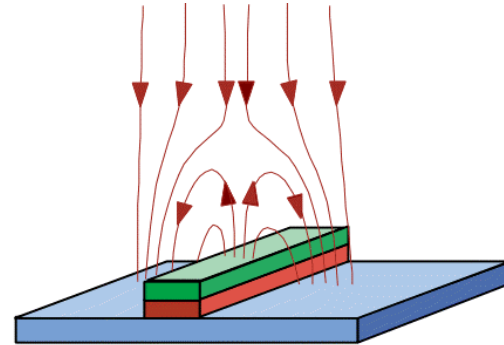
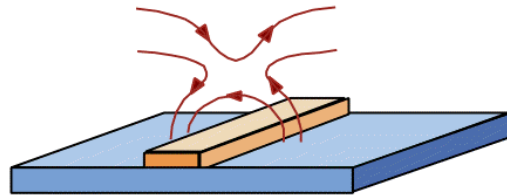
Claus Zimmermann
Physikalisches Institut der Universität Tübingen



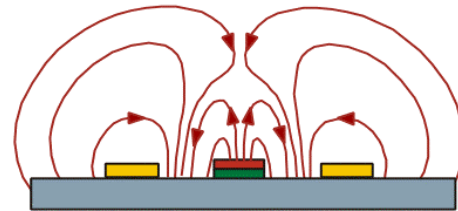
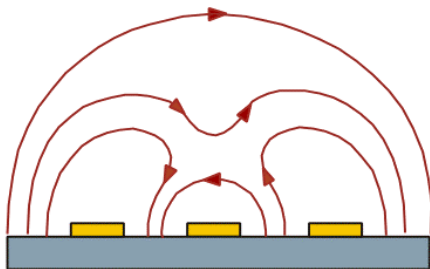
József Fortágh
Sebastian Kraft
Andreas Günther
Christian Trück
Philipp Wicke

Micro fabricated surface traps

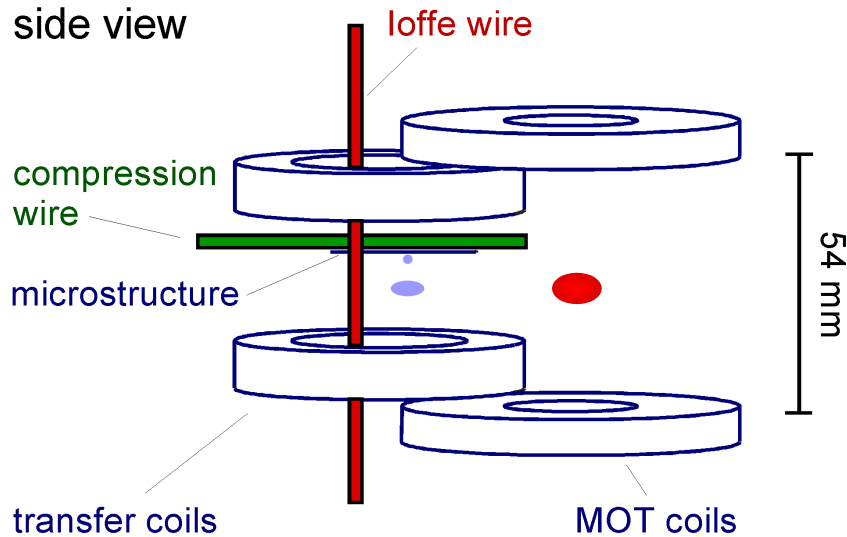
external bias field:



on chip bias field:

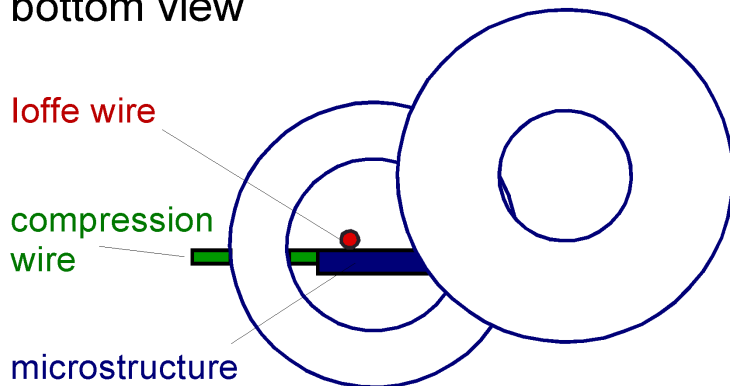


Loading scheme for the micro trap



- **six-beam magneto-optical trap**
20 mm beam diameter, 20 mW power in each beam, 3×10^8 atoms
- **adiabatic magnetic transfer**
of ^{87}Rb atoms ($F=2$, $m_F=2$) to the microstructure

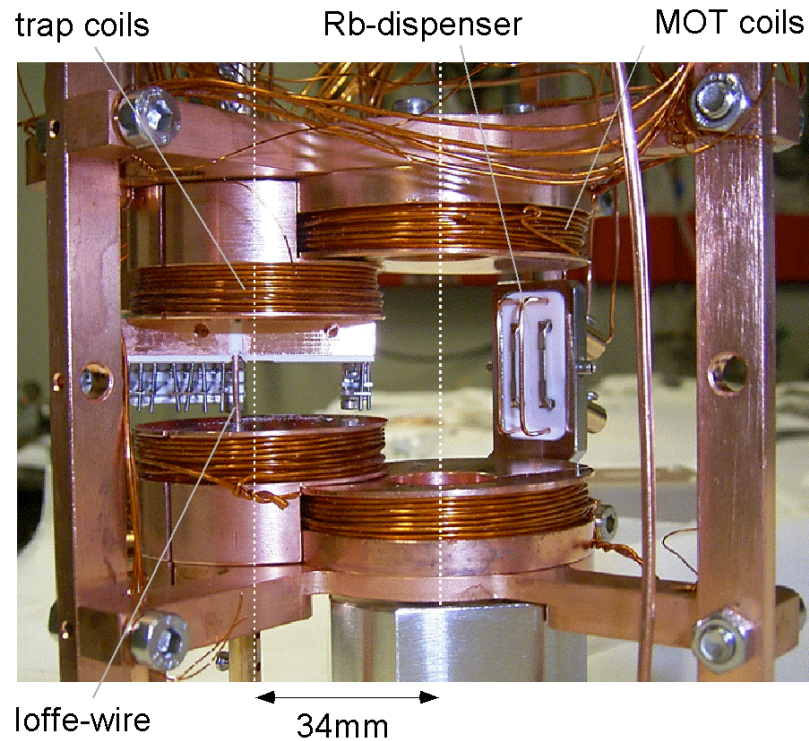
bottom view



- **large atom number**
in the microtrap up to 2×10^7 ,
in the condensates up to 5×10^5

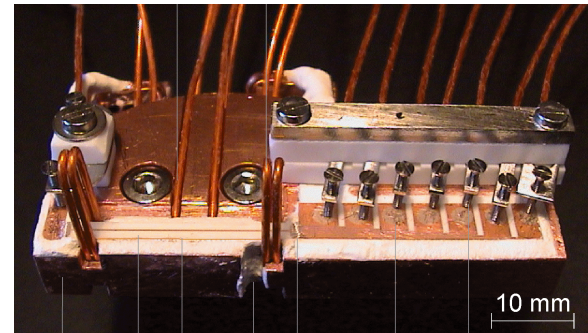
Magnetic hardware

trap setup inside the vacuum



background pressure= 1×10^{-11} mbar

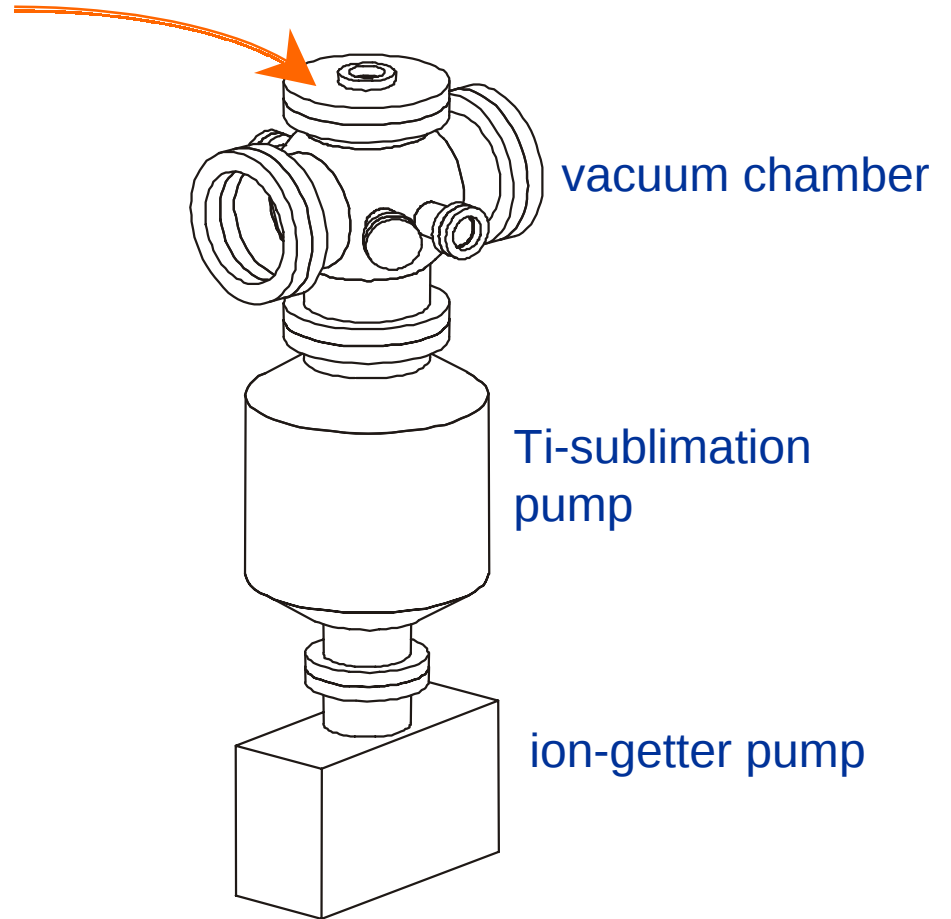
mounted microstructures



Vacuum setup



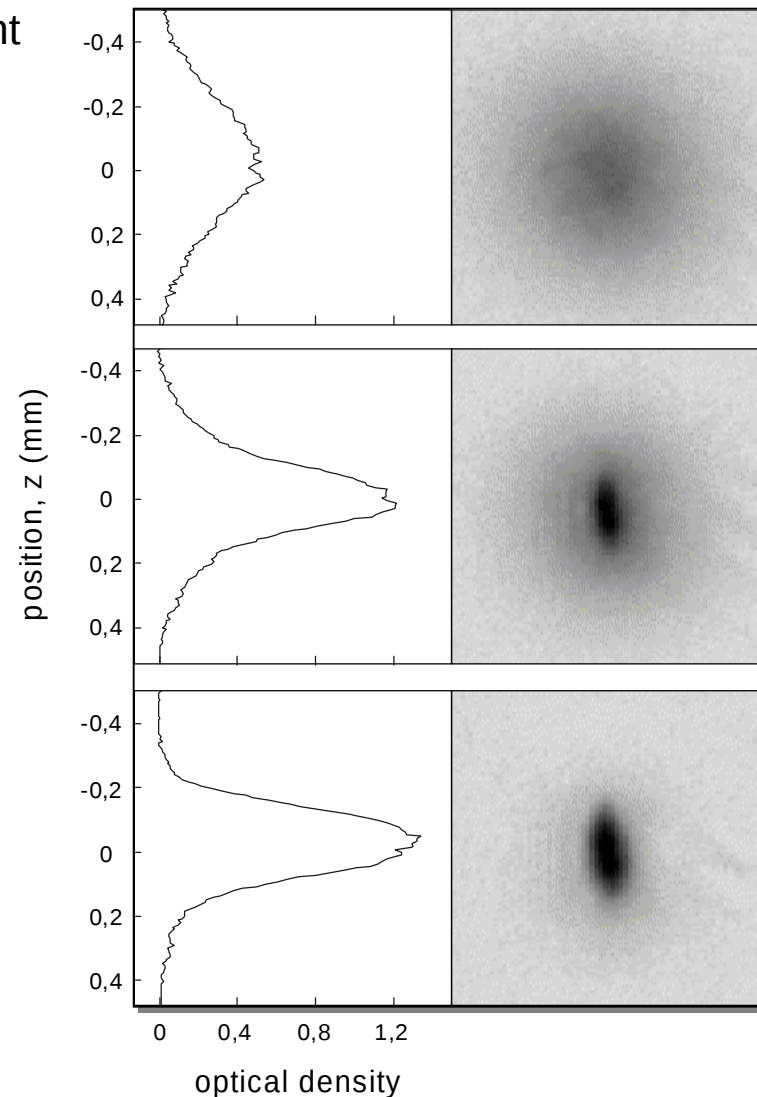
trap setup on a CF 160
flanch





Condensation of ^{87}Rb ($F=2$, $m_F=2$)

20 ms time of flight



$$\omega_{axial} = 2\pi \times 14 \text{ Hz}$$

$$\omega_{radial} = 2\pi \times 840 \text{ Hz}$$

$$\mu/k_B = 400 \text{ nK}$$

$$N_0 = 500\,000$$

$$n_0 = 10^{15} \text{ cm}^{-3}$$

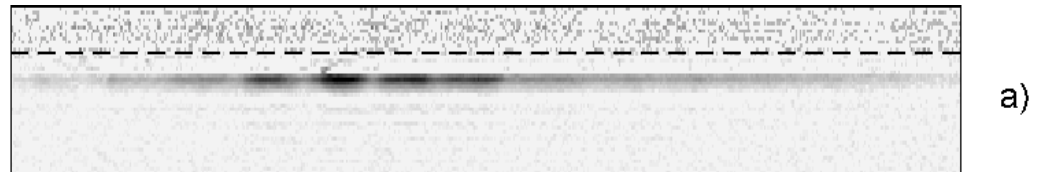
$$T_C = 1 \mu\text{K} \text{ @ } 10^6 \text{ atoms}$$

Fragmentation of a thermal cloud (1 μK)

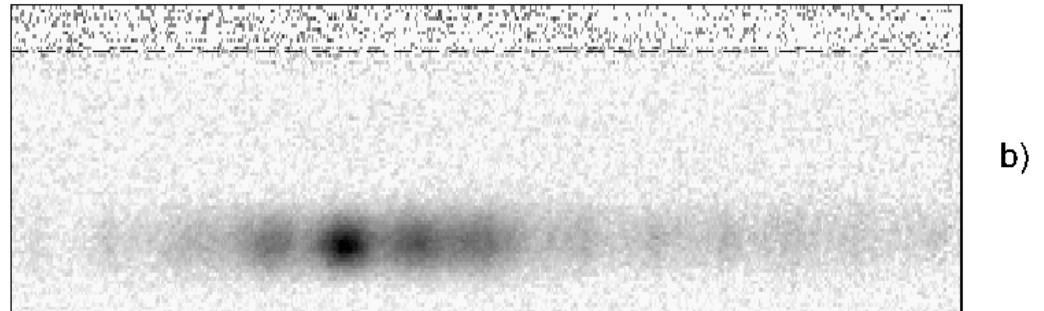
radial trap frequency $\omega_{\text{radial}} = 2\pi \times 840 \text{ Hz}$

axial trap frequency ω_{axial} is ramped to zero within 400 ms

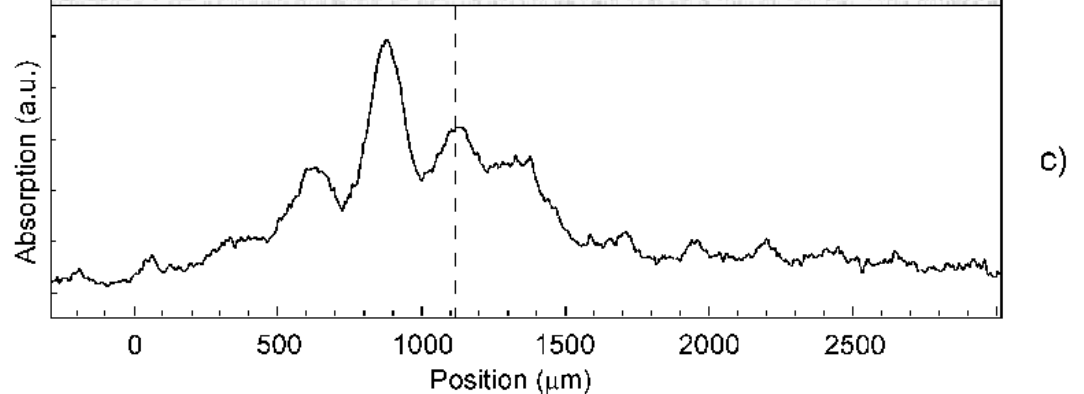
after 100 ms free
expansion inside the trap



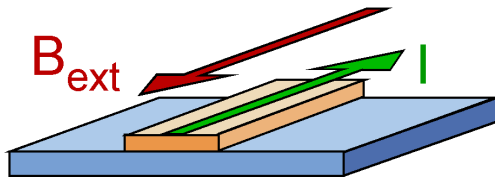
after 100 ms free
expansion inside the trap
and 10 ms time of flight



effective potential
with spatial fluctuations
at a scale of 260 μm

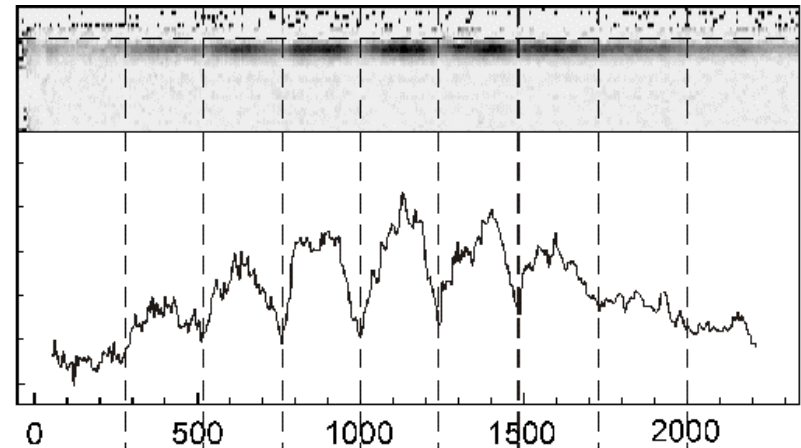


Fragmentation due to unwanted magnetic field

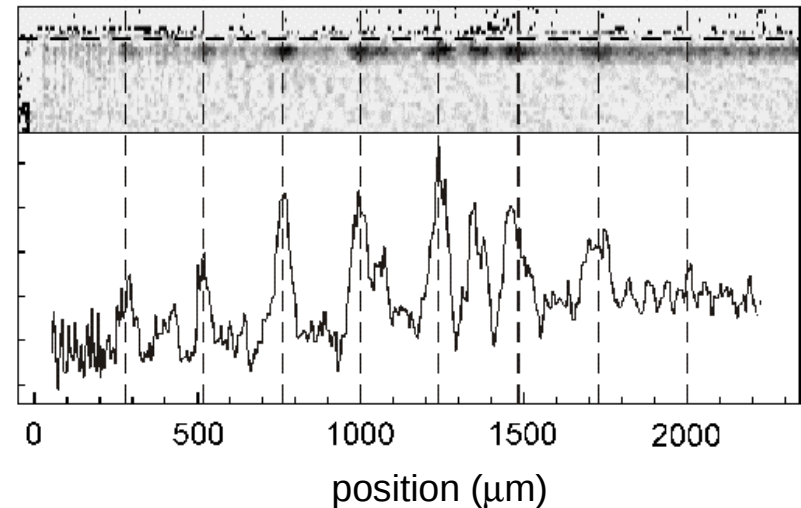


$$U = \mu |B(x) \pm B_{ext}| = \mu |\pm B(x) + B_{ext}|$$

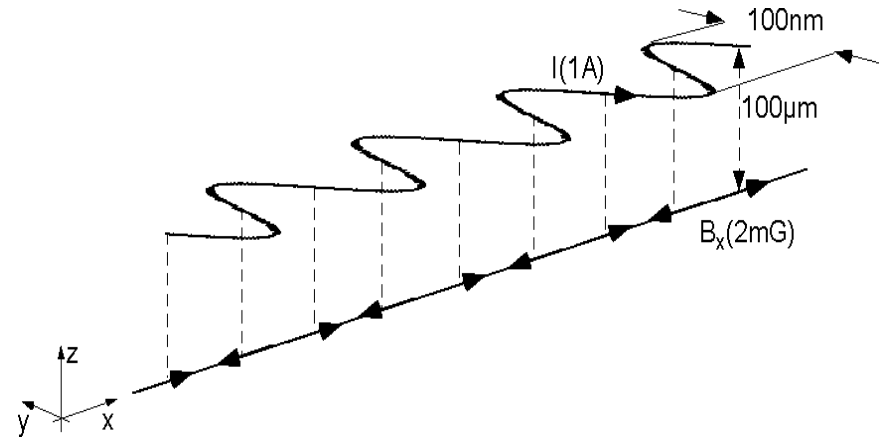
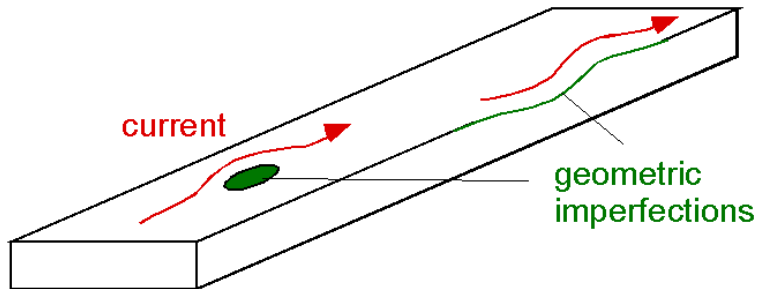
B_{ext} and I
parallel



B_{ext} and I
antiparallel



Geometric imperfections



numbers for a meandering model current:

- **Fragmentation due to unwanted axial magnetic field component:**
S. Kraft, et.al J. Phys. B: At. Mol. Opt. Phys. 35, L 469-L 474 (2002).
- **SEM image of the conductor maps the density distribution of the atomic cloud:**
Esteve et al., physics/0403020.
- **Correct distance dependence:**
M.P.A. Jones et al., Phys.B:At.Mol.Opt.Phys. 37, L15 (2004)
- **Theoretical study assuming white noise fluctuations of the wire width:**
D.-W. Wang et al., cond-mat/0307402

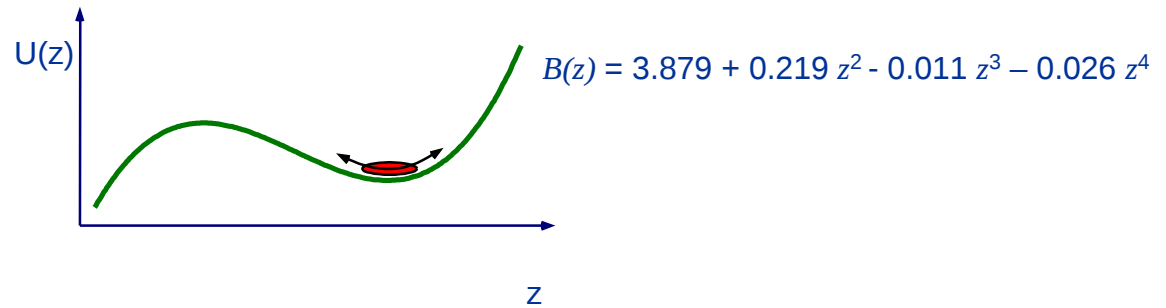
Condensate oscillation in anharmonic traps

initial displacement:

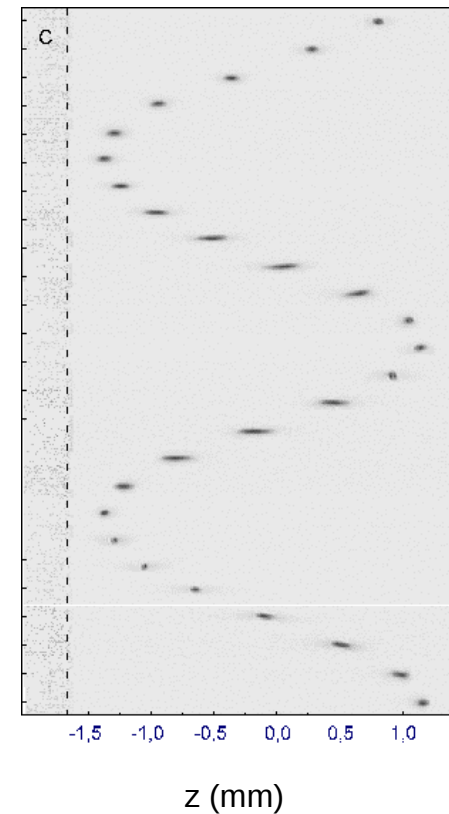
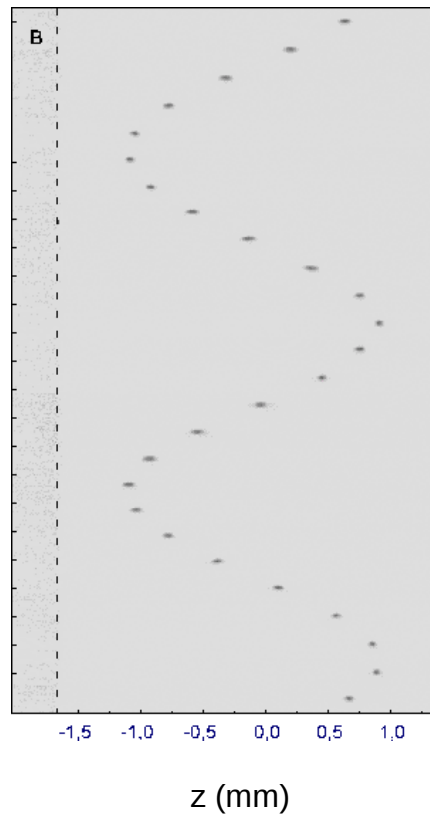
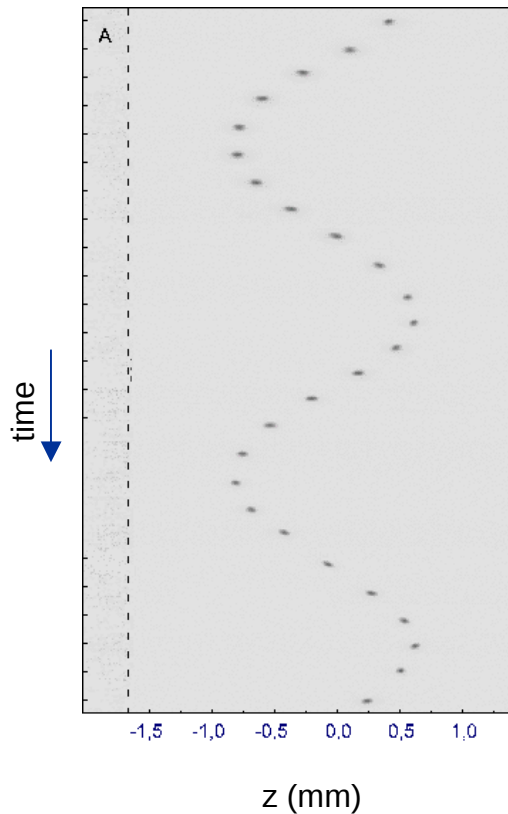
A: 0.45 mm

B: 0.63 mm

C: 0.79 mm



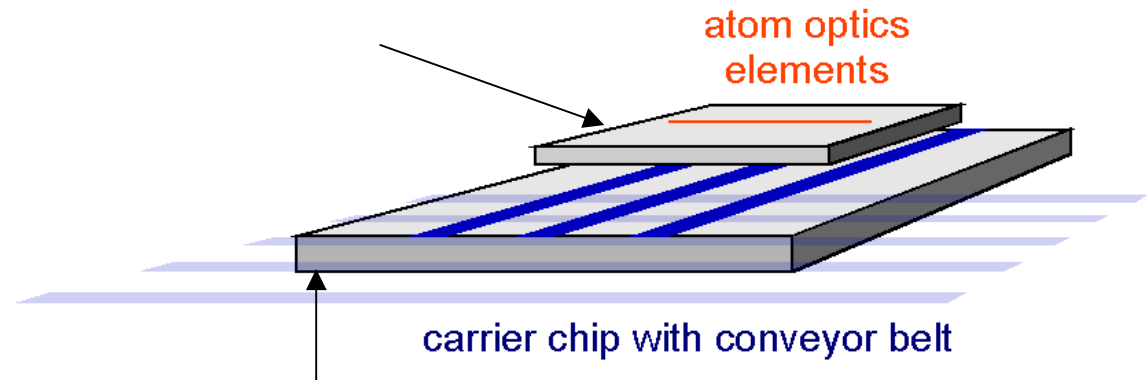
15 ms time of flight



Combined chips

small scale micro structure:

Atom optic elements close to the atoms.

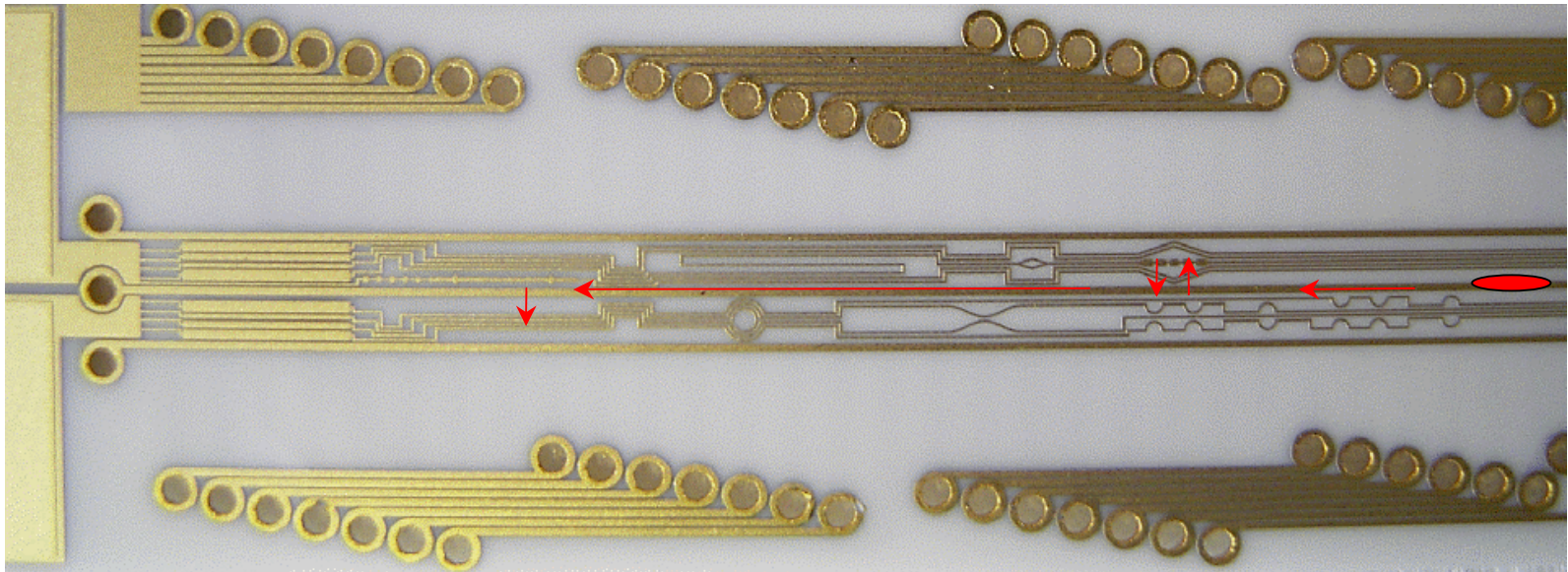
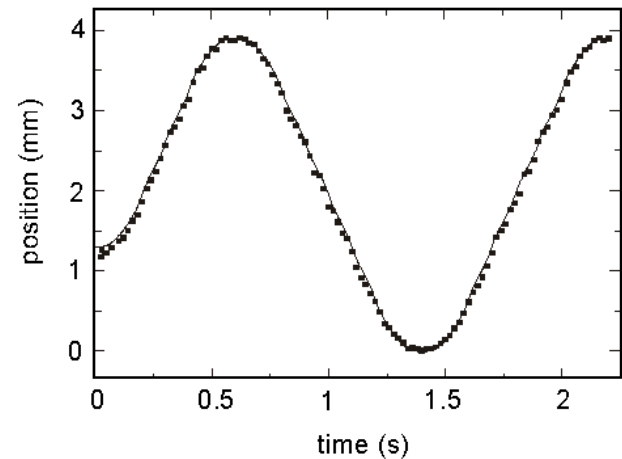


large scale carrier chip:

Quiet motion with a conveyor belt.

Quiet transport with a conveyor belt

- dual-layer microstructure supports a set of various microtraps
- loading the microtraps from a central waveguide
- **3D-positioning** at the chip, exchange of atoms between microtraps



22 mm

Positioning of a thermal cloud

loading

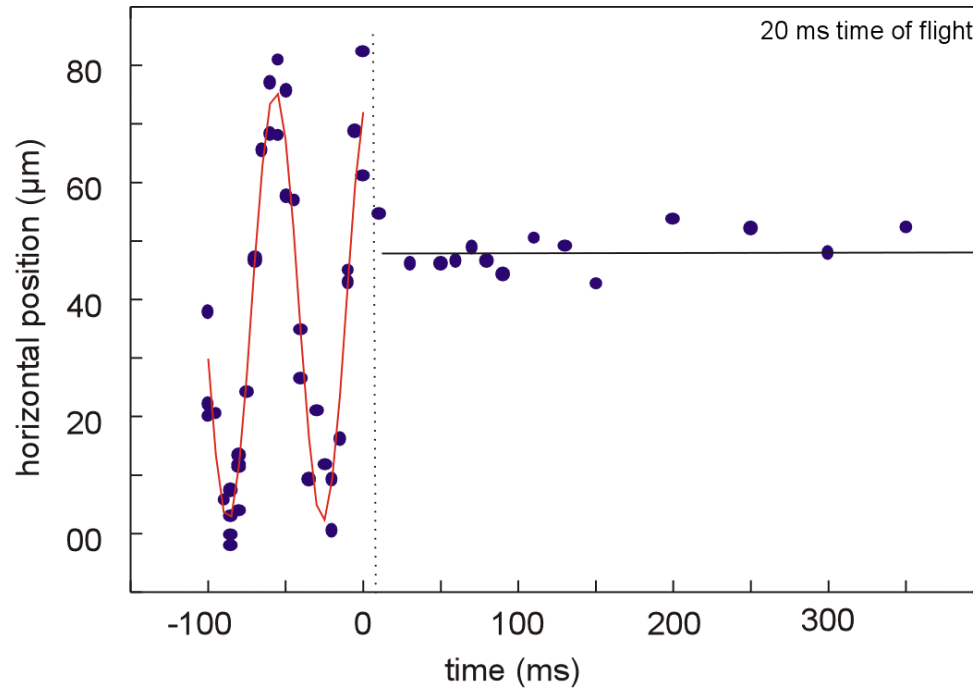
double well

waveguide

tiny trap



Transport and stopping of a condensate



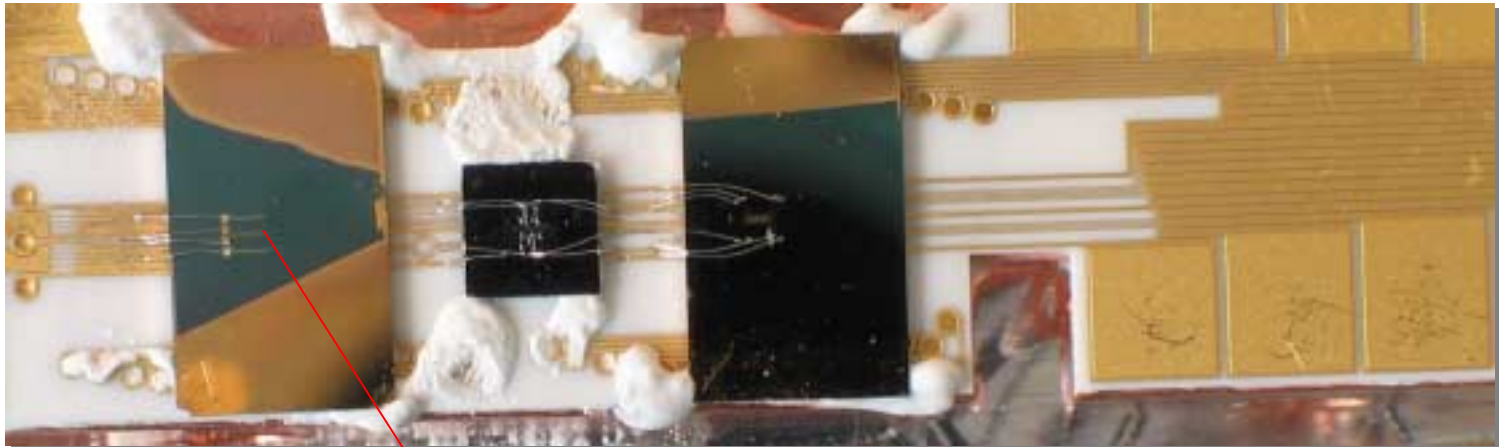
Oscillation due to excitation during transport

Stopping by sudden shift of the trap

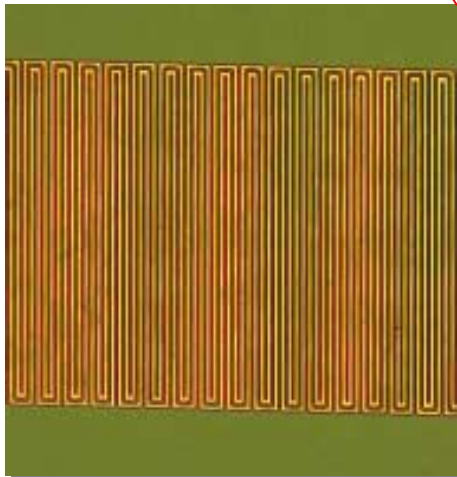
Residual velocity spread: $\Delta v = 0.1 \text{ mm/s}$ (3nK)

Chip with magnetic lattice

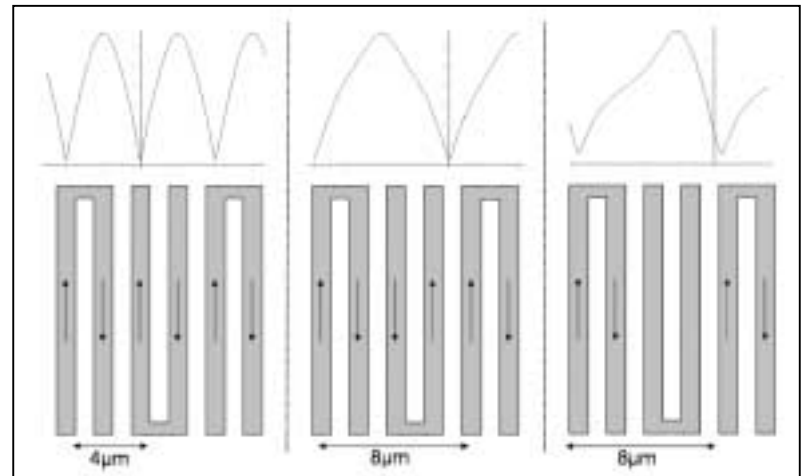
meandering conductors generate periodic potential in the wave guide



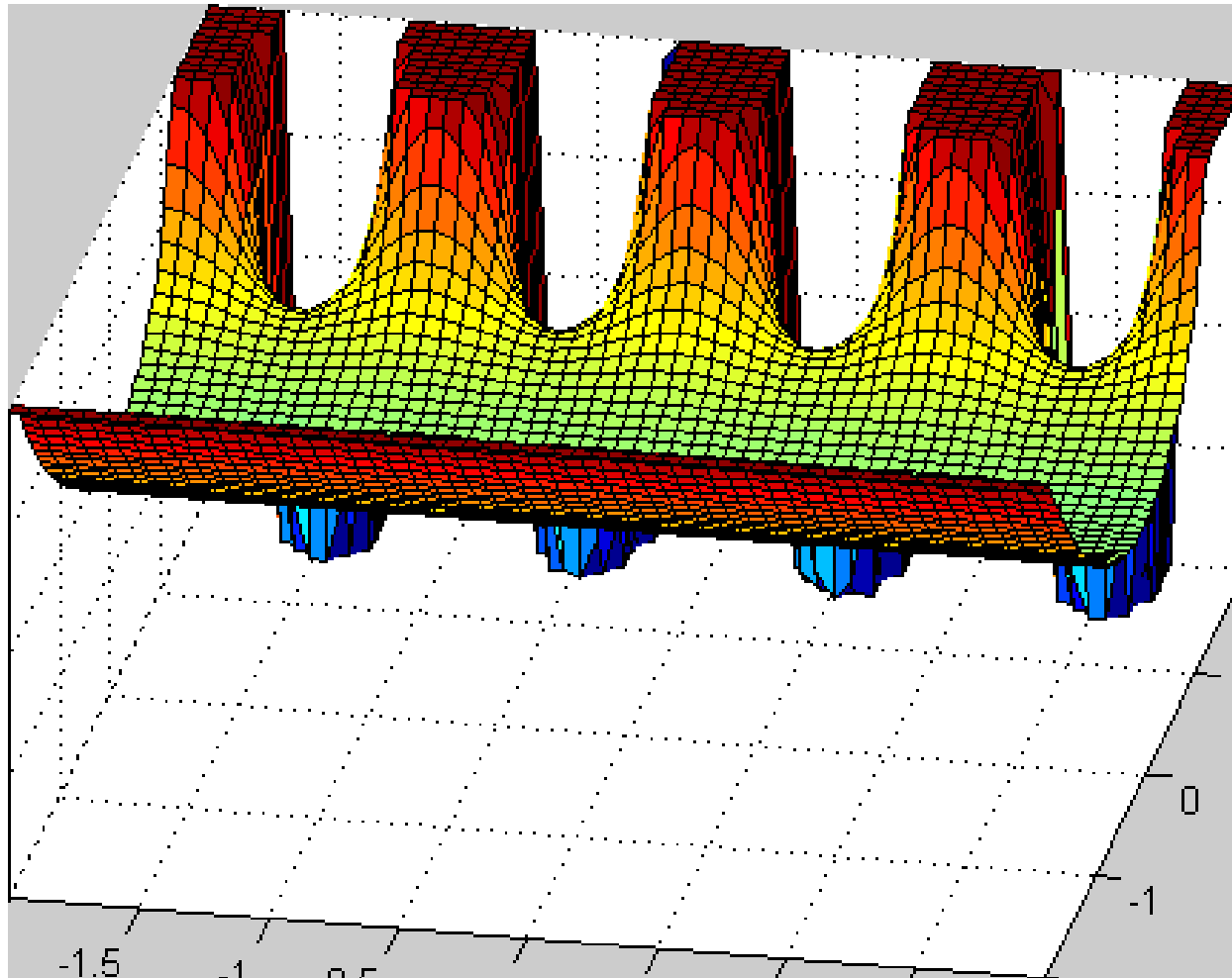
3 mm



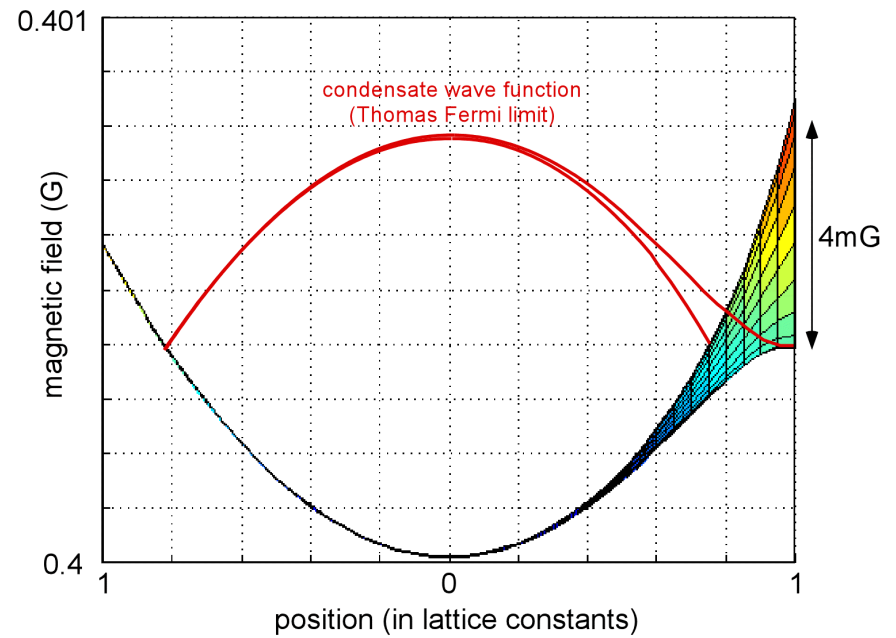
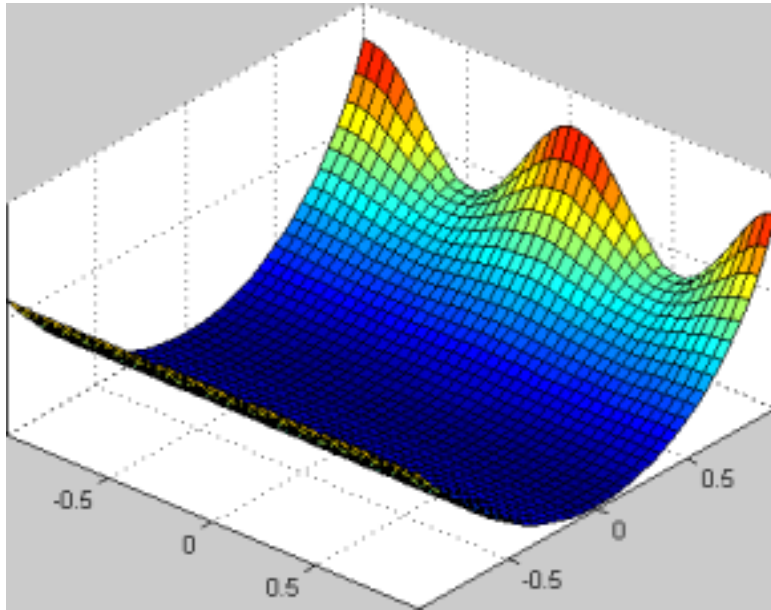
132 μm



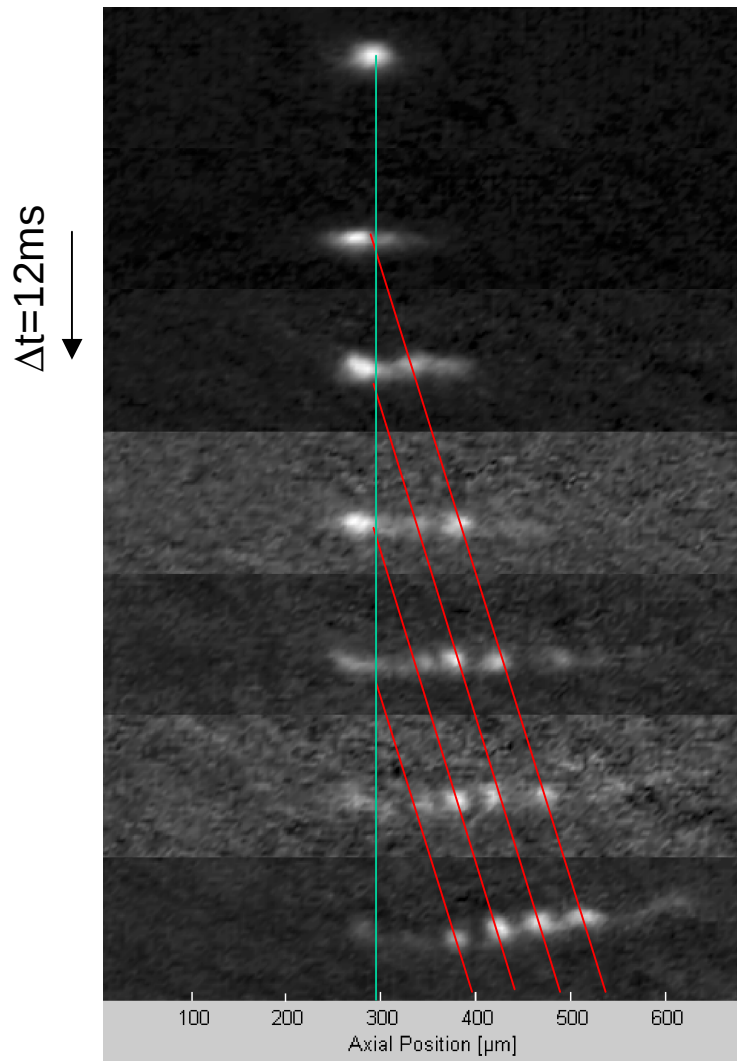
Magnetic lattice



Magnetic lattice

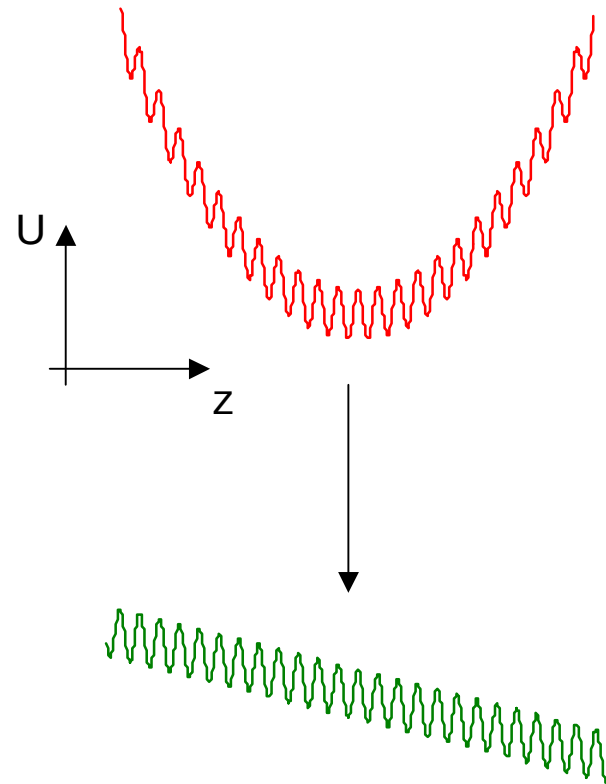


Applying a gradient



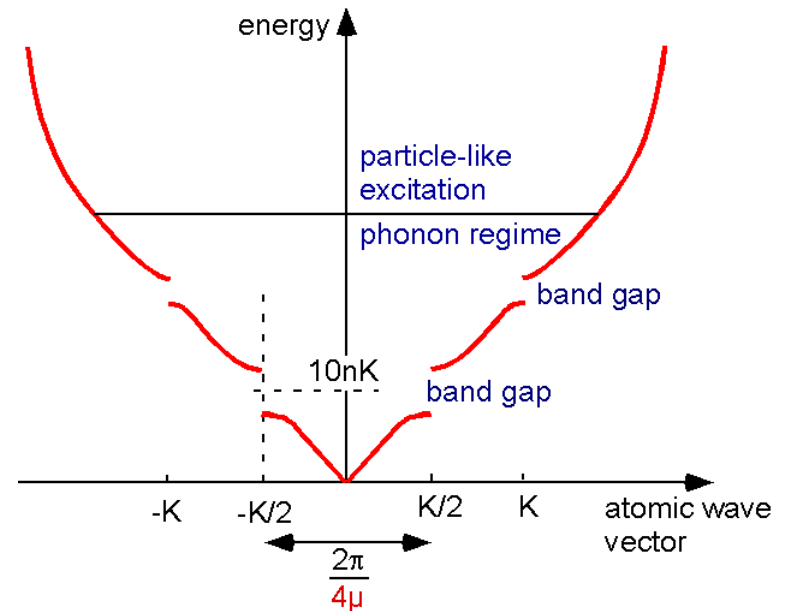
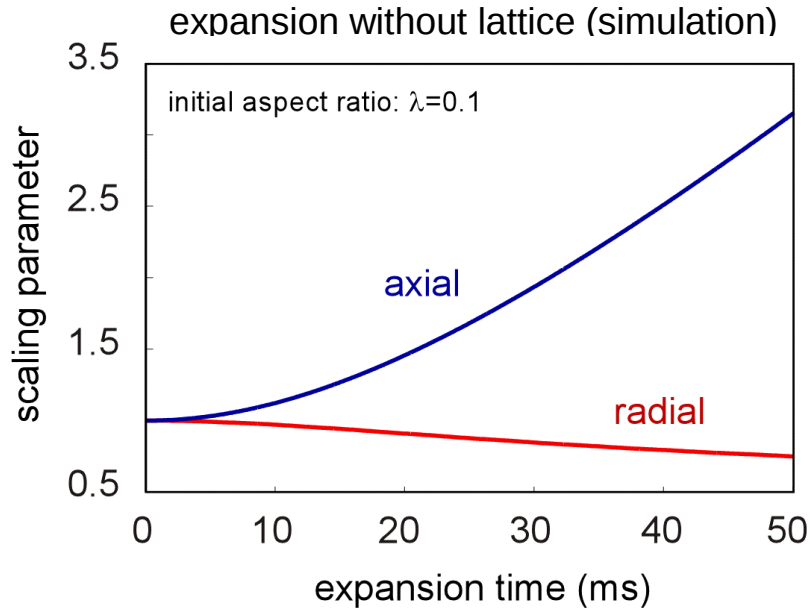
Bloch Oscillation with 80 Hz

Harmonic + periodic potential



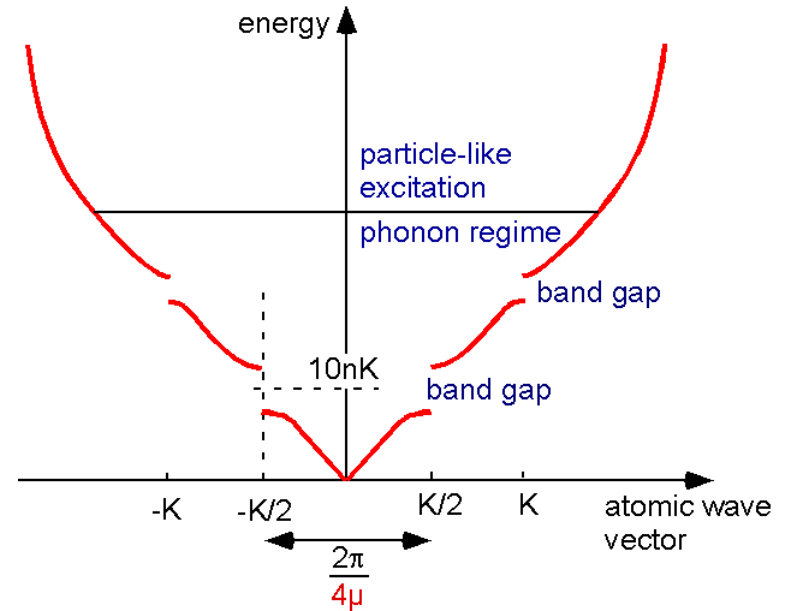
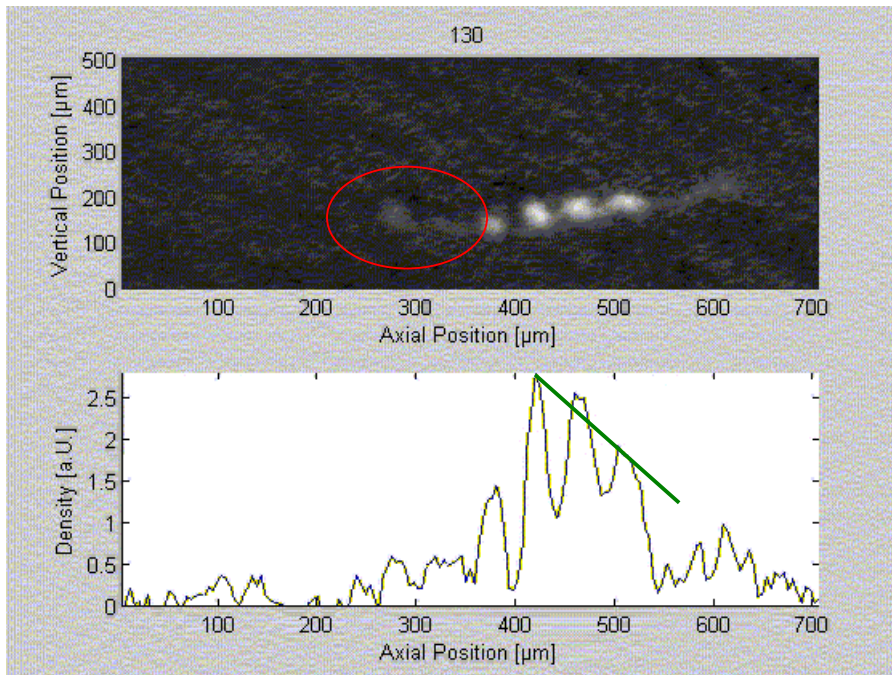
Linear + periodic potential

Bragg-reflection in the interaction regime ?

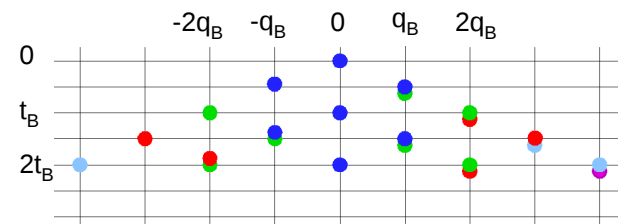
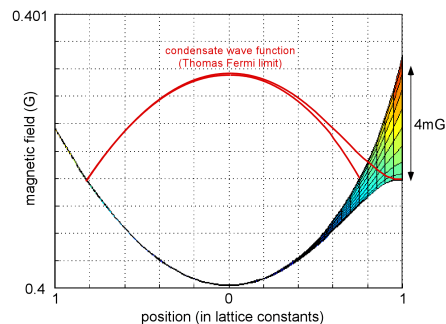


- lattice constant 10 times larger than in optical lattices
- Bragg velocity (single atom): **0.57mm/s**
- recoil energy (single atom): **35Hz (1.7nK)**
- initial chemical potential: **250Hz**
- Lattice depth: **3.5Hz...35 Hz (s=0.1...1)**

What else is different?



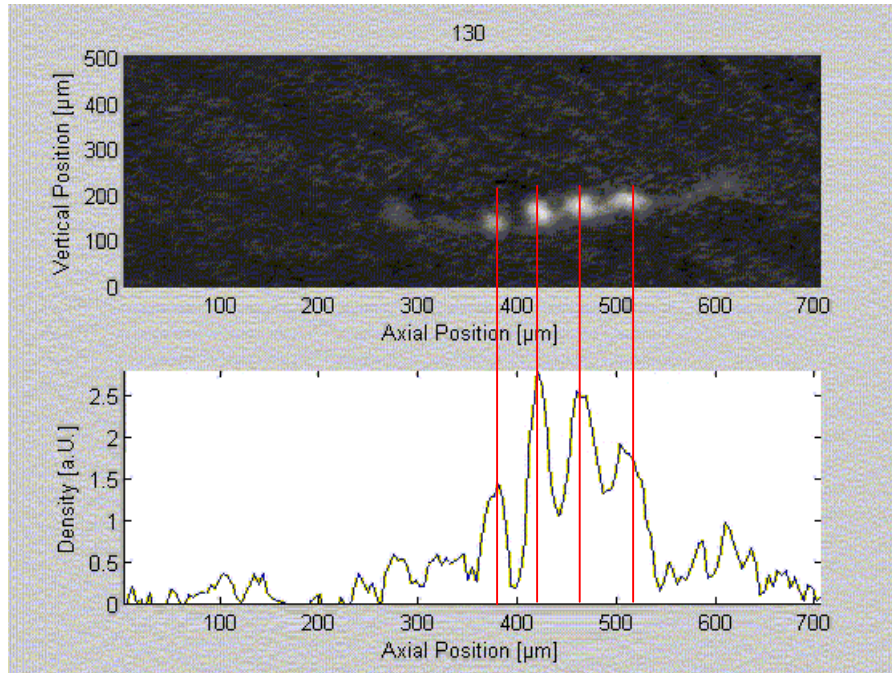
Number dependent lattice depth



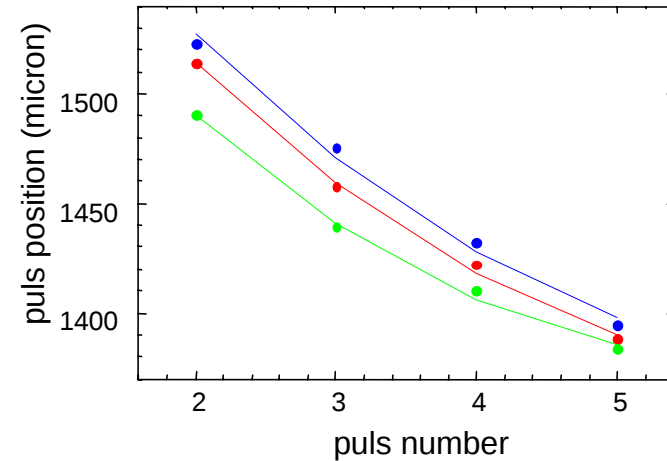
LZ tunneling and Bloch oscillation
in higher bands ?

An interferometric force detector

50 ms evolution in the lattice and 19 ms time-of-flight



Force measurement



$$s_n = A - Bn + 1/2 Cn^2$$

$$a = 0.0974 \pm 0.0023 \text{ m/s}^2$$

$$a = 0.0959 \pm 0.0013 \text{ m/s}^2$$

$$a = 0.0901 \pm 0.0012 \text{ m/s}^2$$

- Position of the pulses depends only on the gradient and the lattice constant.
- Better resolution for larger lattice constant.
- Already sensitive to $\sim 10^{-4} g = 0.1 \text{ gal} = 0.1 \text{ cm/s}^2$ (statistical error)

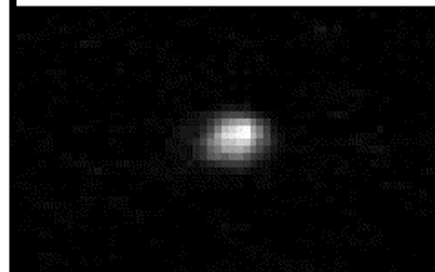
$$t_B = \frac{h}{m \lambda a}$$

Bragg beam splitter

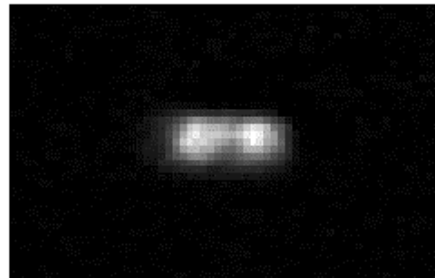
1) prepare Bloch state by slowly turning on the lattice

2) project it onto momentum states by suddenly switching off the lattice

20ms time of flight



without lattice

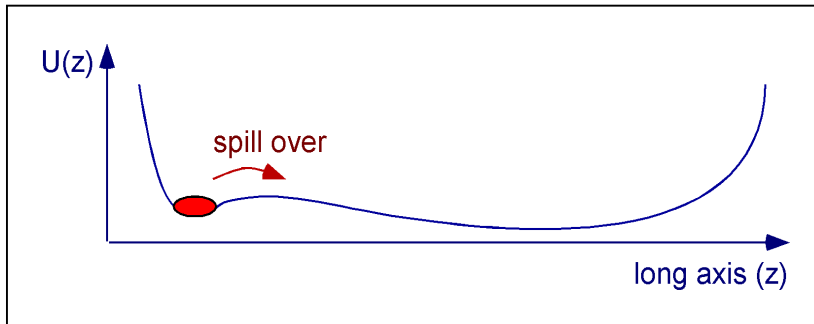


adiabatic activation (200ms)
60 ms hold
sudden switch off (1ms)



adiabatic activation (200ms)
60 ms hold
adiabatic switch off (100ms)

Condensate as reservoir



axial relaxation reduces interaction energy



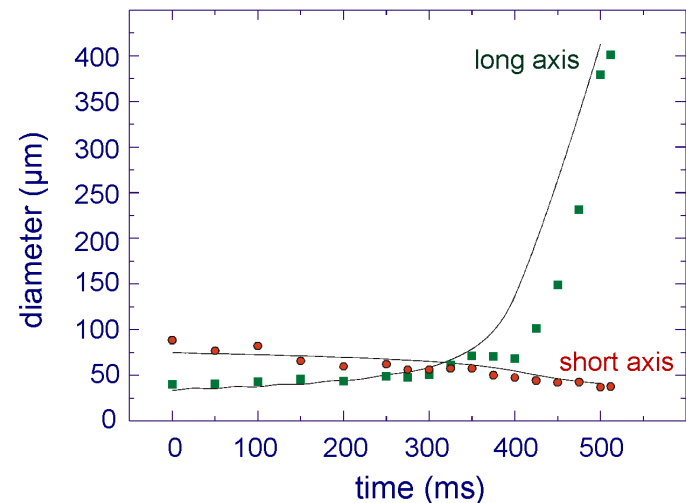
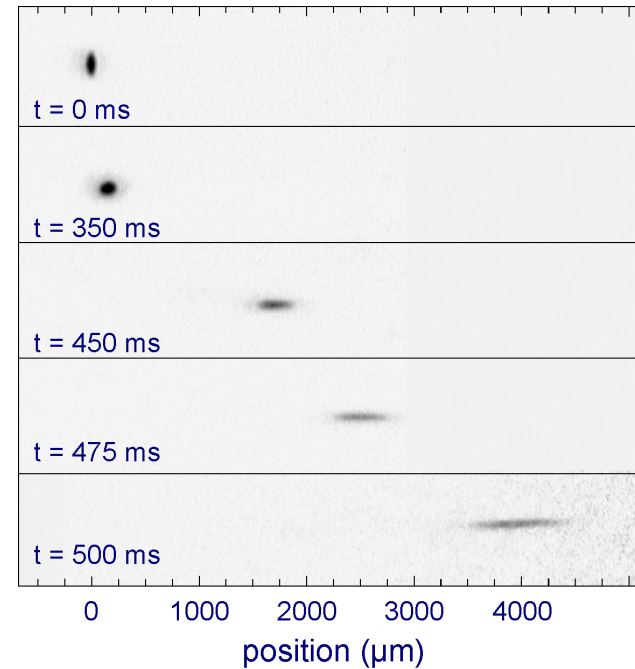
"quasi-1D condensate" without excitations

$$i\hbar \frac{\partial}{\partial t} \phi(r, t) = \left(-\frac{\hbar^2 \nabla^2}{2m} + V_{ext}(r) + g|\phi(r, t)|^2 \right) \phi(r, t)$$

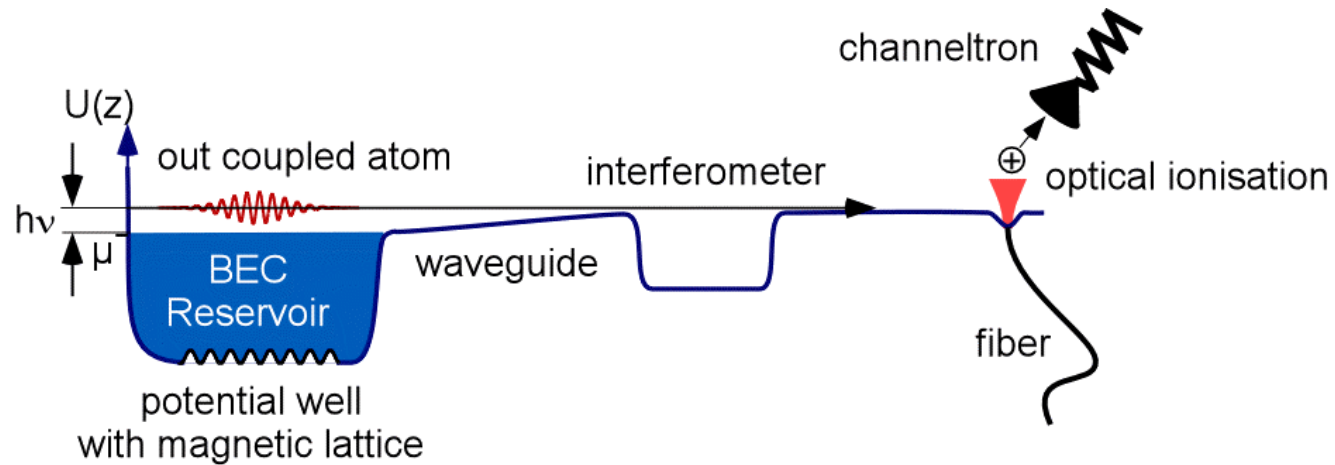
wave packet propagating in

transverse ground state

$v=50$ mm/s, $\Delta v=5$ mm/s



Future: an atom spectrometer



Atom-Quantumoptics:

correlation of many particle states
entanglement

Matter wave spectroscopy

visit us in Tübingen !

post doc position available



Claus Zimmermann

Andreas Günther

Sebastian Kraft

József Fortágh

Philipp Wicke